

Vocabulary and Practice

$$12 \overline{)29436}$$

$$\begin{array}{r} \text{(Quotient)} \\ 5 \\ \text{(Divisor) } 5 \overline{)27} \text{ (Dividend)} \\ \underline{25} \\ 2 \text{ (Reminder)} \end{array}$$

Division Algorithm: $(\text{Quotient})(\text{Divisor}) + \text{Remainder} = \text{Dividend}$

LONG DIVISION

$$3x-2 \overline{)27x^3 + 9x^2 - 3x - 10}$$

There is **NO REMAINDER** so

Division Algorithm:

LONG DIVISION

$$(x^3 - 2x^2 + 6x - 6) \div (x - 3)$$

There is a **REMAINDER** so

Division Algorithm:

Long Division and Synthetic Division

LONG DIVISION (Missing Term)

$$\frac{x^3 - 4x^2 + 3}{x - 1}$$

There is **NO REMAINDER** so

Division Algorithm:

LONG DIVISION Finishing with the DIVISION ALGORITHM

$$2x - 1 \overline{) 2x^3 - 5x^2 - 28x + 15}$$

There is **NO REMAINDER** so

Division Algorithm:

SYNTHETIC DIVISION

Divide $(3x^4 + 12x^3 - 5x^2 - 18x + 8) \div (x + 4)$



There is **NO REMAINDER** so

Division Algorithm:

Long Division and Synthetic Division

SYNTHETIC DIVISION (Missing Term)

$$\frac{3x^4 - 12x + 15}{x + 1}$$



There is **NO REMAINDER** so

Division Algorithm:

Not to Scale



The total volume of the popcorn box can be written as...

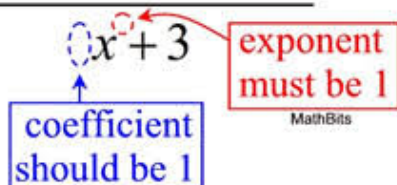
$$2x^3 + 15x^2 + 28x + 15$$

Given that, what is the width of the box?

When to use Long Division or Synthetic Division

To use Synthetic Division:

$$\frac{2x^3 - 5x^2 - x + 3}{x + 3}$$



**EVERYTHING ELSE -
JUST USE LONG
DIVISION**