

UNIVERSITY
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**Do people with item pre-knowledge
really respond faster to items they
had prior access?**

Murat Kasli & Cengiz Zopluoglu

- ❖ Item pre-knowledge ; computer based delivery
- ❖ Response time (RT) availability
- ❖ Response Time is a potential source of information to identify item pre-knowledge (e.g, Lee, 2018; Qian, Staniewska, Reckase, and Woo, 2016; van der Linden & Krimpen-Stoop, 2003; van der Linden & Guo, 2008)

- ❖ Due to the lack of real datasets, simulation is a de facto approach to evaluate the performance of new or existing methods
- ❖ These (simulation based) studies have to make assumptions about the response time behavior of people who had prior access to test items
 - ❖ Meijer and Sotaridona (2006) reduced the original response time to one-half and one-fourth
 - ❖ Van der Linden and Guo (2008) fixed response time to 10, 20, and 30 seconds
 - ❖ Lee (2018) draw response time from uniform distribution $U(20,30)$

- ❖ In this study, we tried to understand the response time behavior of unflagged test takers and test takers with item pre-knowledge using a real dataset provided by Cizek and Wollack (2017).
 - ❖ Do examinees with item pre-knowledge response faster than the unflagged examinees? If so, to what degree?
 - ❖ Does the response time of examinees with item pre-knowledge differ than the unflagged examinees for those items they had prior access?

- The dataset used in the current study comes from Cizek and Wollack (2017) includes two test forms.
- 170 Operational items , 87 Common Items

Merged Form

- **94 respondents** were flagged by the agency as suspicious, and potentially had access to some items.
- **91 items** were flagged by the agency as potentially leaked prior to test

	Form-1	Form-2	Merged
Sample Size	1636	1644	3280
Operational Items	170	170	253

We analyzed the response time using a 2-level random effects model by treating item responses nested within test takers.

$$\left. Y_{ij} = \beta_{0j} + \beta_{1j} * I_i + \varepsilon_{ij} \right\} \dots\dots\dots \text{(Level 1)}$$
$$\left. \begin{aligned} \beta_{0j} &= \gamma_{00} + \gamma_{01} * P_j + \mu_{0j} \\ \beta_{1j} &= \gamma_{10} + \gamma_{11} * P_j + \mu_{1j} \end{aligned} \right\} \dots\dots\dots \text{(Level 2)}$$

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- Y_{ij} is the **log response time** for the j th person on the i th item,
- I_i is a dummy variable to indicate whether or not the i th item is flagged (0: unflagged, 1:flagged),
- P_j is another dummy variable to indicate whether or not the j th person is flagged (0: unflagged, 1:flagged).

Table 1. The parameter estimates of the multilevel models fitted to log response time data

Fixed Effects	Model 1	Model 2
γ_{00}	4.019 (0.003) ***	4.025 (0.003) ***
γ_{01}		- 0.199 (0.019) ***
γ_{10}	- 0.128 (0.002) ***	- 0.125 (0.002) ***
γ_{11}		- 0.087 (0.011) ***
Variance Components		
σ_e^2 (Level 1)	0.352943	0.352943
τ_{00} (Level 2 Intercept)	0.029858	0.028766
τ_{11} (Level 2 Slope)	0.001315	0.001109

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Interaction term is statistically significant : The difference in response time between unflagged test takers and flagged test takers depends on the type of item (flagged vs unflagged)

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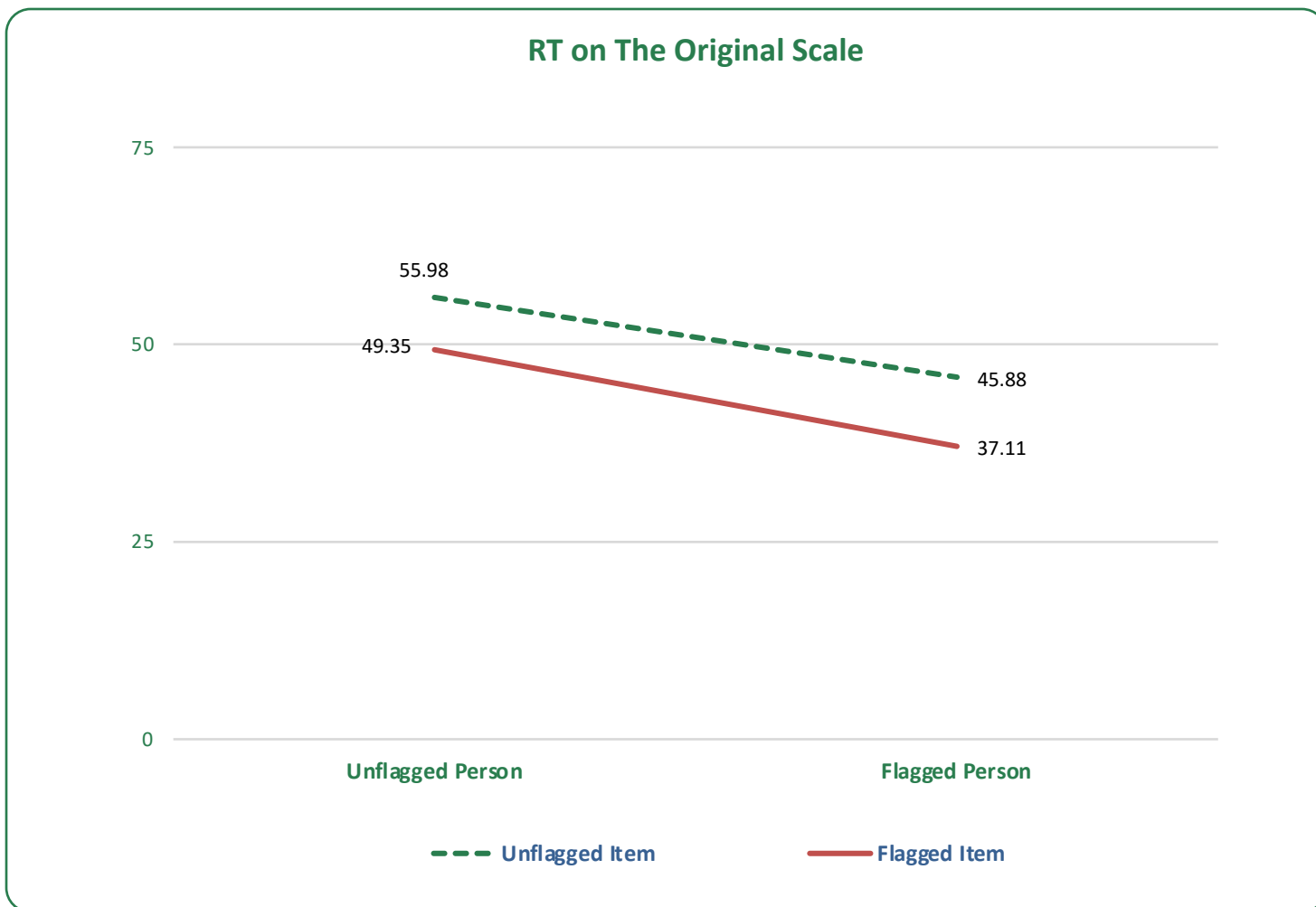
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$$1 - \frac{0.001109}{0.001315} = 15.7\%$$

		Person Flag	
		No	Yes
Item Flag	No	$e^{\gamma_{00}}$	$e^{(\gamma_{00} + \gamma_{01})}$
	Yes	$e^{(\gamma_{00} + \gamma_{10})}$	$e^{(\gamma_{00} + \gamma_{01} + \gamma_{10} + \gamma_{11})}$

Response time on the original scale

		Person Flag	
		No	Yes
Item Flag	No	55.98	45.88
	Yes	49.35	37.11



- ❖ What we found ?
- ❖ Why these results are important ?
- ❖ What is the next step ?

Thank you!

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