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This project requires an understanding of the Euler Phi Function, also known as the Totient Function. $\phi(\mathrm{n})$. Euler's Totient function is defined as the number of positive integers $\leq \mathrm{n}$ that are relatively prime to (i.e. do don't contain any factor in common with) $n$, where 1 is counted as being relatively prime to all numbers. The Euler phi function, starting with $n$ at 1 goes like this $1,1,2,2,4,2,6,4,6,4$.

If a number is a prime, then the Euler phi function of a prime number is one less than that number. This is true because all the numbers less than a prime are relatively prime to that prime number.

## References

Online encyclopedia of Integer sequences (OEIS) Sloans A0000010
Weinsstein, Eric W "Totient Function" from Mathworld - A Wolfram Web Resource
http://mathworld.wolfram.com/TotientFunction.html

