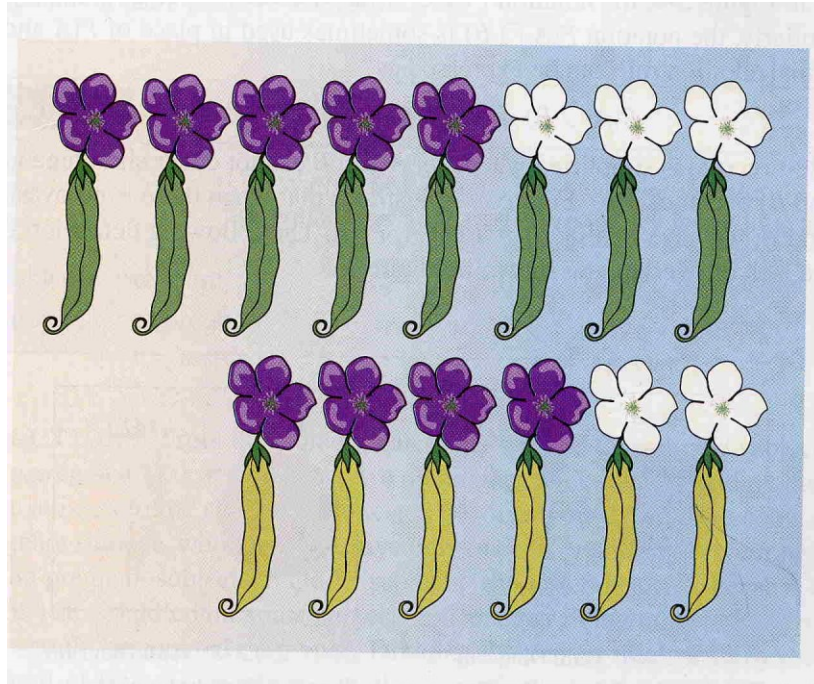


## 3-3 Addition Rule

$P(A \text{ or } B) = P(\text{event } A \text{ occurs or event } B \text{ occurs or they both occur})$



\*Find  $P(\text{green pod or purple flower}) = \frac{12}{14} = \frac{6}{7}$

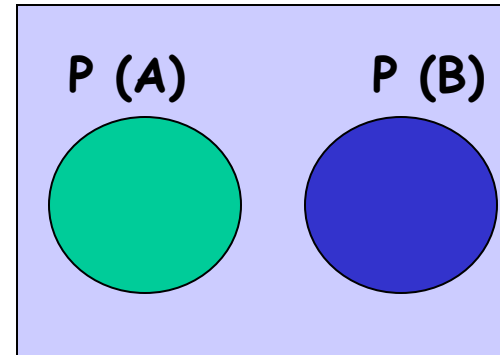
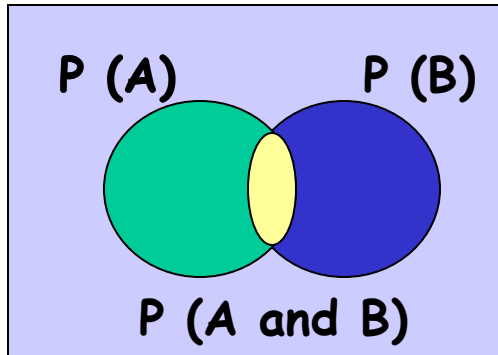
$$P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$$

\*Compound event-combining 2 or more simple events

# 3-3 Addition Rule

$$P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$$

$$P(A \cup B) = P(A) + P(B) - P(A \cap B)$$



Events A and B are disjoint (or mutually exclusive). They cannot occur together.

## 3-3 Addition Rule

Assuming that 1 person is randomly selected from the 99 people included in the study, apply the addition rule to find the probability of selecting a subject who is pregnant or had a positive test result

Table 3-1 Pregnancy Test Results		
	+ test	- test
Pregnant	80	5
Not pregnant	3	11

$$P(\text{pregnant or Positive}) = \frac{88}{99}$$

## 3-3 Addition Rule

### Complementary Events

In reality, when a baby is born,  $P(\text{boy})=0.5121$ .

Find  $P(\overline{\text{boy}})$

#### Rule of Complementary Events

$$P(A) + P(\overline{A}) = 1$$

$$P(\overline{A}) = 1 - P(A)$$

$$P(A) = 1 - P(\overline{A})$$

$$P(\overline{\text{boy}}) = 1 - P(\text{boy}) = 1 - 0.5121 = 0.4879$$

See section 3-4 for Multiplication Rule