

# Introduction to Quantum Machine Learning

## Building Your First Quantum Circuit

We will be using IBM Qiskit libraries with IBM Quantum Simulation and a REAL IBM QUANTUM COMPUTER

<https://www.ibm.com/quantum-computing>

### This Notebook Built by Kinetic Labs

Import Libraries and set up IBM Qiskit

```
In [1]: import numpy as np
        from qiskit import *
        from qiskit.providers.aer import QasmSimulator
        from qiskit.visualization import plot_histogram
```

### Building the circuit

Building a basic circuit needed for your first program is the QuantumCircuit. We begin by creating a `QuantumCircuit` comprised of 2 qubits.

```
In [2]: circuit = QuantumCircuit(2, 2)
```

```
In [3]: circuit.draw()
```

```
Out[3]: q_0:
        q_1:
        c: 2/
```

### Adding Gates

**The Hadamard gate (H-gate) is a fundamental quantum gate.**

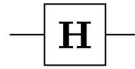
It allows us to move away from the poles of the Bloch sphere and create a superposition of  $|0\rangle$   $|0\rangle$  and  $|1\rangle$   $|1\rangle$ . It has the matrix: We can see that this performs the transformations below:

We create the circuit with its registers, you can add gates ("operations") to manipulate the registers. below is an example of a quantum circuit that makes a two-qubit GHZ state

$$|\psi\rangle = (|00\rangle + |11\rangle) / \sqrt{2}.$$

To create such a state, we start with a two-qubit quantum register. By default, each qubit is initialized to  $|0\rangle$ . To make the GHZ state, we apply the following gates:

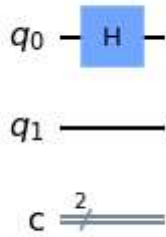
**Hadamard (H)**



$$\frac{1}{\sqrt{2}} \begin{bmatrix} 1 & 1 \\ 1 & -1 \end{bmatrix}$$

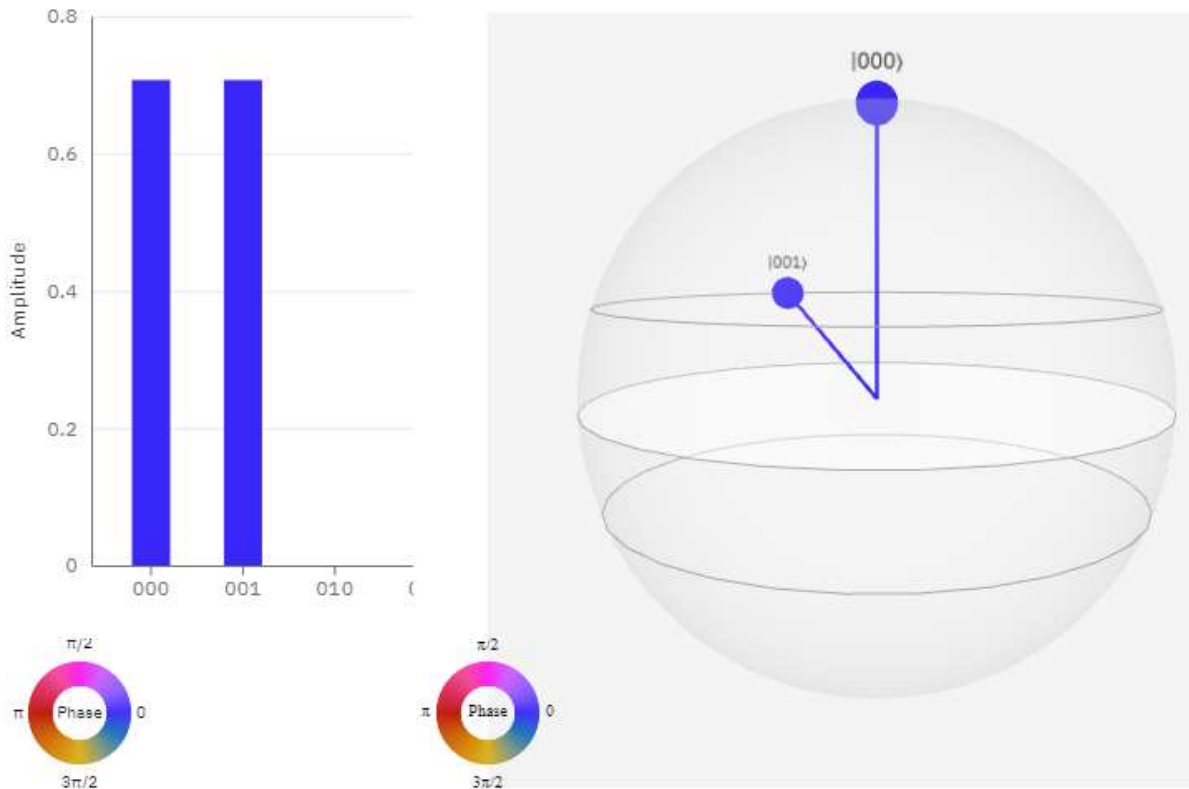
```
In [4]: circuit.h(0)
circuit.draw(output="mpl")
```

Out[4]:



**Bellow is an illastration on how the Hadamard H-Gate Creates a superposition of  $|0\rangle | 0 \rangle$  and  $|1\rangle | 1 \rangle$  on the Qubit.**

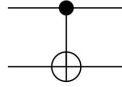
This visulazation illastration can be found using the IBM composer at <https://quantum-computing.ibm.com/composer>



## Complete the Circuit

The below output of the complete circuit shows 2x Qubits q0 and q1 with the circuit.measure([0,1], [0,1]) so that the H-gate with the addition of a CNOT gate will allow quantum output from the Qubits to be translated to Classical Bits.

**Controlled Not  
(CNOT, CX)**

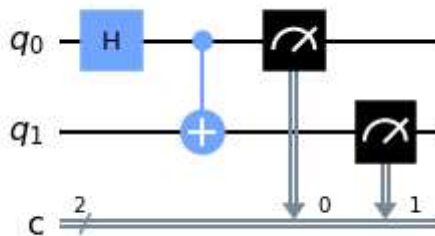


$$\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 1 \\ 0 & 0 & 1 & 0 \end{bmatrix}$$

In [5]: `%matplotlib inline`

In [6]: `circuit.cx(0,1) # 0-> # control qubit, 1-> target qubit  
circuit.measure([0,1], [0,1])  
circuit.draw(output="mpl")`

Out[6]:



## Attaching the built Circuit to IBM Simulated Quantum Simulator

In [7]: `# List available IBM quantum simulation computers  
Aer.backends()`

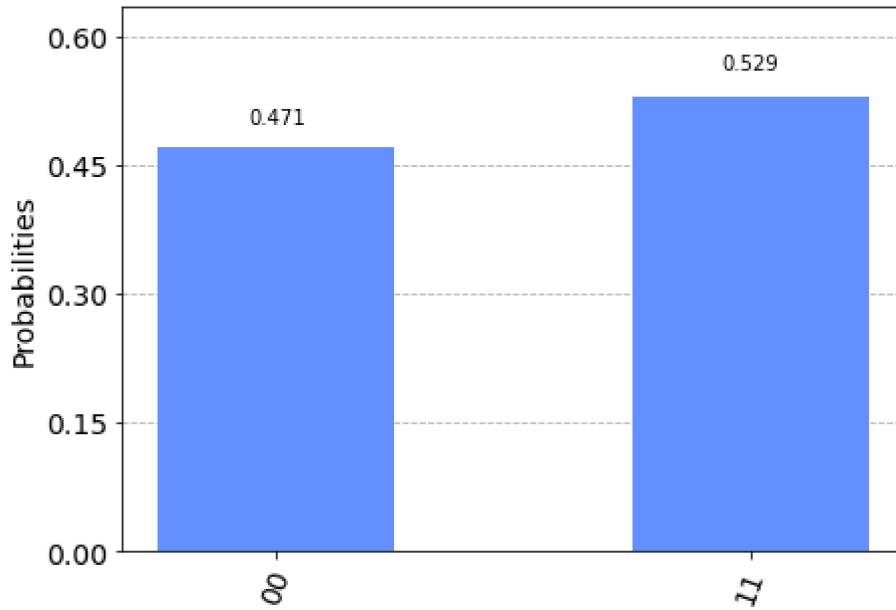
Out[7]: `[AerSimulator('aer_simulator'),  
AerSimulator('aer_simulator_statevector'),  
AerSimulator('aer_simulator_density_matrix'),  
AerSimulator('aer_simulator_stabilizer'),  
AerSimulator('aer_simulator_matrix_product_state'),  
AerSimulator('aer_simulator_extended_stabilizer'),  
AerSimulator('aer_simulator_unitary'),  
AerSimulator('aer_simulator_superop'),  
QasmSimulator('qasm_simulator'),  
StatevectorSimulator('statevector_simulator'),  
UnitarySimulator('unitary_simulator'),  
PulseSimulator('pulse_simulator')]`

In [8]: `# Build a simulator from IBM List of available simulators  
simulator = Aer.get_backend("qasm_simulator")`

In [9]: `result = execute(circuit,backend=simulator).result()`

In [10]: `plot_histogram(result.get_counts(circuit))`

Out[10]:



Above we have even distobution  $|0\rangle |0\rangle$  and  $|1\rangle |1\rangle$



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