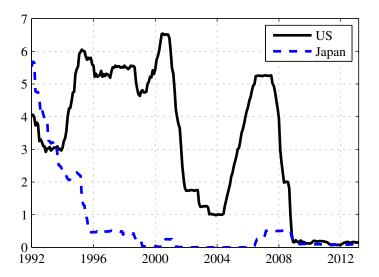
CONCLUSION

THE ZERO LOWER BOUND, THE DUAL MANDATE, AND UNCONVENTIONAL DYNAMICS

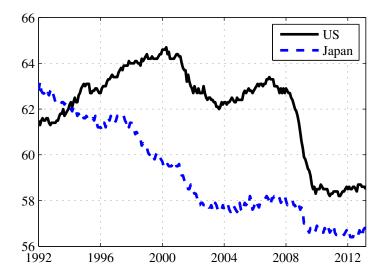
William T. Gavin Federal Reserve Bank of St. Louis Benjamin D. Keen University of Oklahoma Alexander W. Richter Auburn University Nathaniel A. Throckmorton College of William & Mary

The views expressed in this presentation are our own and do not necessarily reflect the views of the Federal Reserve Banks of St. Louis or the Federal Reserve System.

INTERBANK LENDING RATE (%)



EMPLOYMENT-TO-POPULATION (%)



INTRODUCTION

MOTIVATION

- Five years after the crisis began
 - the Fed's target interest rate remains near zero
 - the economy is below potential
- Motivates the need for a better understanding of
 - the canonical model used for monetary policy analysis
 - the effect of the central bank's dual mandate
- This paper calculates global nonlinear solutions to standard New Keynesian models with and without capital and a provides a thorough explanation of the dynamics

INTRODUCTION

ECONOMIC FRAMEWORK AND QUESTIONS

- Alternative model setups:
 - Model 1: Labor Only
 - Model 2: Capital
- Examine both technology and discount factor shocks
- Key questions:
 - 1. Do technology shocks have unconventional effects?
 - Paradox of Thrift
 - Paradox of Toil
 - 2. What are the effects of the Fed shifting their focus to the real economy?
 - 3. Is it important to include capital in the model?
 - 4. Is it important to solve the fully nonlinear model?

Key Findings

- 1. The output gap specification may reverse the effects of technology shocks at the ZLB:
 - ► Steady-state output gap $(y_t^* = \bar{y})$: unconventional dynamics
 - ► Potential output gap $(y_t^* = y_t^n)$: conventional dynamics
- 2. When the central bank targets the steady-state output gap, a technology shock leads to more pronounced unconventional dynamics in Model 2 than in Model 1.
- 3. In Model 1, the constrained linear model provides a decent approximation of the nonlinear model, but meaningful differences exist between the Model 2 solutions

INTRODUCTION

KEY MODEL FEATURES

- Representative Household
 - Values consumption and leisure with preferences

$$E_0 \sum_{t=0}^{\infty} \widetilde{\beta}_t \{ \log(c_t) - \chi n_t^{1+\eta} / (1+\eta) \}$$

- Cashless economy and bonds are in zero net supply
- Model 1: no capital accumulation
- Model 2: adds capital with quadratic adjustment costs
- Intermediate and final goods firms
 - Monopolistically competitive intermediate firms produce differentiated inputs
 - Rotemberg (1982) quadratic costs to adjusting prices
 - A competitive final goods firm combines the intermediate inputs to produce the consumption good

MONETARY POLICY

Monetary policy rule

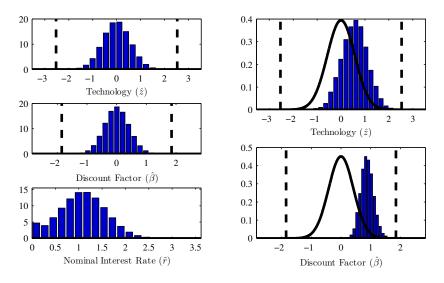
$$r_t = \max\{1, \bar{r}(\pi_t/\pi^*)^{\phi_{\pi}}(y_t/y_t^*)^{\phi_y}\}$$

- Output target (y_t^*)
 - Steady-state output target: $y_t^* = \bar{y}$
 - Potential output target: $y_t^* = y_t^n$
- Calibration:
 - Baseline: $\pi^* = 1.006$, $\bar{r} = 1.011$, $\phi_{\pi} = 1.5$, and $\phi_y = 0.1$
 - We also examine alternative values of ϕ_y

STOCHASTIC PROCESSES AND SOLUTION

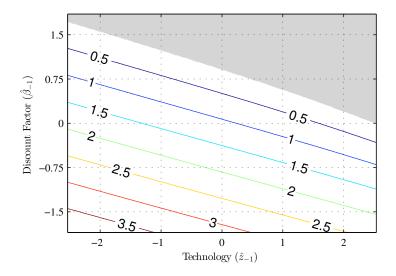
- Discount factor (β) follows an AR(1) process
 - ▶ The mean is 0.995 and the AR(1) parameter is 0.8
 - \blacktriangleright The standard deviation of shocks is 0.25% per quarter
 - The state space is $\pm 1.9\%$ around the mean
- Technology (z) follows an AR(1) process
 - ▶ The mean is 1 and the AR(1) parameter is 0.9
 - > The standard deviation of shocks is 0.25% per quarter
 - \blacktriangleright The state space is $\pm 2.5\%$ around the mean
- Compute nonlinear solutions using policy function iteration
 - Linear interpolation and Gauss Hermite quadrature
 - Duration of ZLB events is stochastic
 - Expectational effects of hitting and leaving ZLB

Model 1: Distributions $(y_t^* = \bar{y})$

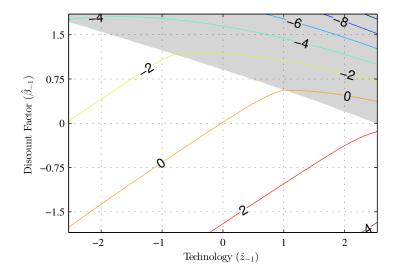


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Model 1: Nominal Interest Rate $(y_t^* = \bar{y})$



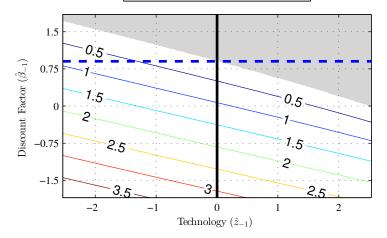
MODEL 1: ADJUSTED OUTPUT $(y_t^* = \bar{y})$



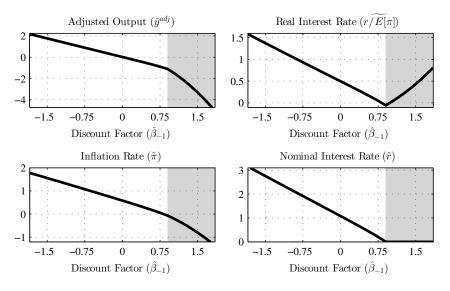
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MODEL 1: CROSS SECTIONS $(y_t^* = \bar{y})$

$$\hat{z}_{-1} = 0 \quad - \quad - \quad \hat{\beta}_{-1} = 0.9$$

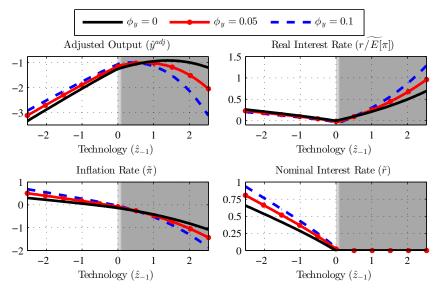


MODEL 1: SOLUTION ACROSS DISC. FACTOR

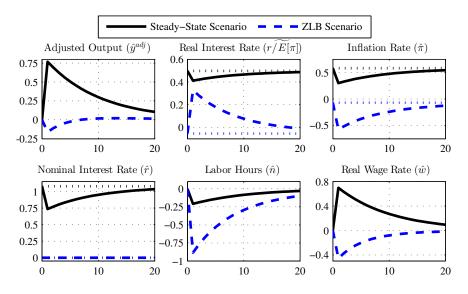


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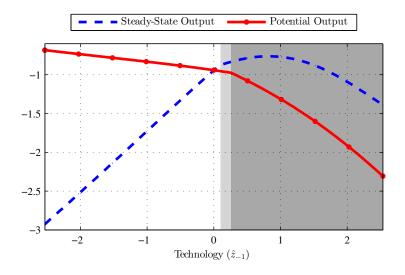
MODEL 1: SOLUTION ACROSS TECHNOLOGY



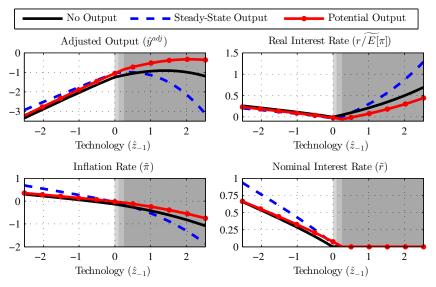
IMPULSE RESPONSE: TECHNOLOGY SHOCK



MODEL 1: OUTPUT GAP



MODEL 1: OUTPUT TARGET COMPARISON

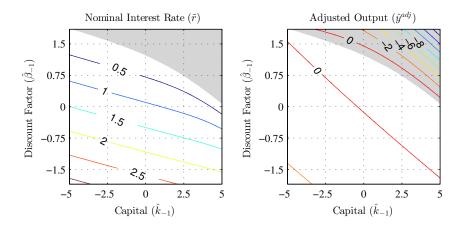


MODEL 1: SIMULATION

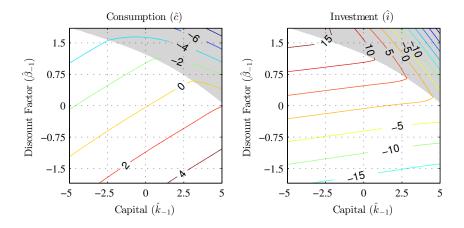
| | Steady-Sta | ate Output | $(y_t^* = \bar{y})$ | Potential Output $(y_t^* = y_t^n)$ | | | |
|----------|----------------------------|---|---------------------|------------------------------------|---------------------|--------------------------|--|
| ϕ_y | ZLB Binds % of quarters | Std. Dev. (% of mean) Output Inflation | | ZLB Binds % of quarters | Std. Dev. Output | (% of mean) Inflation | |
| 0.125 | 2.73 | 0.6501 | 0.3326 | 1.56 | 0.6993 | 0.2800 | |
| 0.100 | 2.56 | 0.6704 | 0.3308 | 1.67 | 0.7107 | 0.2908 | |
| 0.075 | 2.45 | 0.6925 | 0.3311 | 1.80 | 0.7234 | 0.3025 | |
| 0.050 | 2.38 | 0.7167 | 0.3335 | 1.95 | 0.7376 | 0.3152 | |
| 0.025 | 2.33 | 0.7431 | 0.3379 | 2.13 | 0.7537 | 0.3293 | |
| 0.000 | 2.33 | 0.7719 | 0.3447 | 2.33 | 0.7719 | 0.3447 | |

*500,000 quarter simulation. $\phi_{\pi} = 1.50, \rho_z = 0.90, \sigma_z = 0.0025, \rho_{\beta} = 0.80, \text{ and } \sigma_{\beta} = 0.0025.$

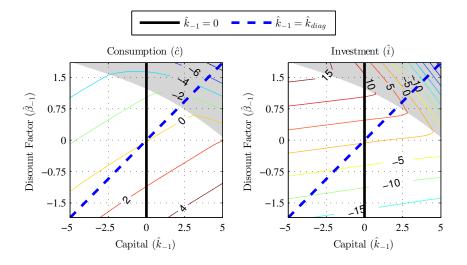
MODEL 2: COMPLETE SOLUTION



MODEL 2: COMPLETE SOLUTION

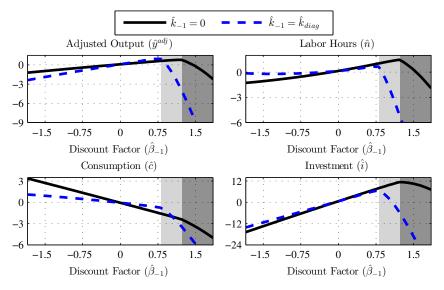


MODEL 2: CROSS SECTIONS

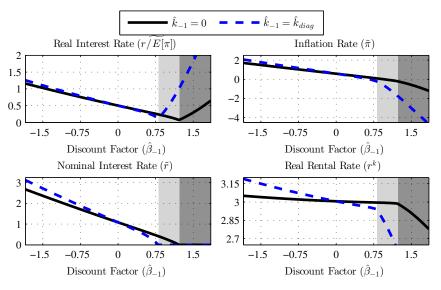


GAVIN, KEEN, RICHTER AND THROCKMORTON: THE ZLB, THE DUAL MANDATE, AND UNCONVENTIONAL DYNAMICS

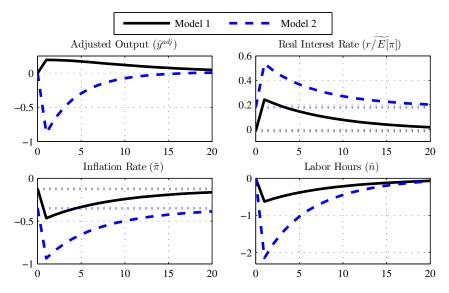
MODEL 2: SOLUTION ACROSS DISC. FACTOR



MODEL 2: SOLUTION ACROSS DISC. FACTOR



IMPULSE RESPONSE: TECHNOLOGY SHOCK



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INTRODUCTION

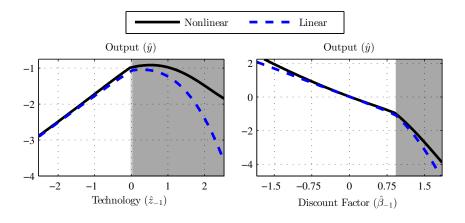
SIMULATION COMPARISON $(y_t^* = \bar{y})$

- Both models only contain discount factor shocks
- Without technology shocks, $\bar{y} = y_t^n$ in Model 1

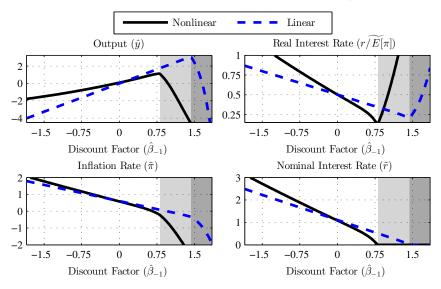
| | | Model 1 | | Model 2 | | | |
|--|--------------------------------------|---|---|--|---|--|--|
| ϕ_y | ZLB Binds % of quarters | Std. Dev. Output | (% of mean) Inflation | ZLB Binds % of quarters | Std. Dev. Output | (% of mean) Inflation | |
| $\begin{array}{c} 0.100 \\ 0.075 \\ 0.050 \\ 0.025 \\ 0.000 \end{array}$ | 1.20 1.29 1.39 1.51 1.64 | $\begin{array}{c} 0.4972 \\ 0.5168 \\ 0.5382 \\ 0.5615 \\ 0.5870 \end{array}$ | $\begin{array}{c} 0.2769 \\ 0.2878 \\ 0.2997 \\ 0.3126 \\ 0.3268 \end{array}$ | $1.15 \\ 0.35 \\ 0.16 \\ 0.07 \\ 0.03$ | $\begin{array}{c} 0.4005 \\ 0.4127 \\ 0.4271 \\ 0.4421 \\ 0.4581 \end{array}$ | 0.2979 0.2654 0.2473 0.2304 0.2133 | |

*500,000 quarter simulation. $\phi_{\pi} = 1.50, \rho_{\beta} = 0.80$, and $\sigma_{\beta} = 0.0025$.

Model 1: Nonlinearities $(y_t^* = \bar{y})$



Model 2: Nonlinearities $(y_t^* = \bar{y})$



SUMMARY OF FINDINGS

- Our models show that technology shocks at the ZLB can have unconventional effects on the economy.
- Whether the central bank targets the steady-state output gap or the potential output matters.
- Whether capital is included in the model matters.
- Linearization works well for the model without capital but does not work well in the model with capital.
- The dual mandate probably does not help stabilize output because potential output is generally unknown in real time.