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Merging man and maths

1. If  $a^x = n$ , then \_\_\_\_\_

**Additional MCQ** 

### Unit 03: MCQs Mathematics (Science Group): 9<sup>th</sup>

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11. For common logarithm, the base is\_

#### Q.1 Multiple Choice Questions. Choose the correct answer.

	(a) $a = \log_x n$	(b) $x = \log_n a$	(a) 2	(b) 1	0				
	(c) $x = \log_a n$	(d) $a = \log_n x$	(c) e	(d) 1					
2.	The relation of y	$y = \log_z x$ implies		For natural logarithm, the base is					
	(a) $x^y = z$		(a) 10	, ,					
	(c) $x^z = y$	(d) $y^z = x$	(c) 2	(d) 1	of the common				
3.	The logarithm o	f unity to any base is		ithm of a number					
	(a) 1	(b) 10	_	naracteristic (b) Ma					
	(c) e	(d) 0	, ,	garithm (d) No					
4.	The logarithm o	f any number to itself as	, ,	The decimal part of the common					
	base is			logarithm of a number is called					
	(a) 1	(b) 0	the						
	(c) -1	(d) 10		naracteristic (b) M	antissa				
5.	$\log e = \underline{\hspace{1cm}} \text{wh} e$			ogarithm (d) No					
	(a) 0	(b) 0.4343	15. If $x =$	log y, then y is cal	led the of				
	(c) ∞	(d) 1	х.						
6.	The value of log	$\left(\frac{\mathbf{p}}{\mathbf{q}}\right)$ is		ntilogarithm (b)					
				haracteristic (d)					
	(a) log p –log q	(b) $\frac{\log p}{\log q}$		in scientific notat	<del></del>				
				$06 \times 10^4$ (b)					
		(d) $\log q - \log p$		$0.6 \times 10^4$ (d)					
7.	logp – logq is sai	me as:		10 <sup>6</sup> in ordinary n					
	(a) $\log\left(\frac{q}{q}\right)$	(b) $\log(p-q)$	(a) 63	50000 (b)65 350 (d)65	35000				
	$\begin{pmatrix} a \end{pmatrix}  \log \begin{pmatrix} - \\ p \end{pmatrix}$	$(0) - \log(p-q)$	, ,	, ,					
	logp	D		nber written in th on, where 1≤a<10					
	(c) $\frac{\log p}{\log q}$	(b) $\log(p-q)$ (d) $\log \frac{p}{q}$			anu n is an				
Q	$\log m^n$ can be wr		_	er is called(b)	Ordinary notation				
ο.		(b) m log n		<ul><li>(a) Scientific notation(b) Ordinary notation</li><li>(c) Logarithm notation (d) None</li></ul>					
	(c) n log m	_	, ,	idea of logarithm i					
9.				rther cayley (b) I					
	log <sub>b</sub> a×log <sub>c</sub> b can be written as			• •	ohn Napier				
	(a) $\log_c a$	(b) $\log_a c$		n – log <sub>a</sub> n is same	-				
	(c) $\log_a b$	(d) $\log_b c$		$\log_a(m+n)$ (b) $\log_a(m+n)$					
10.	$Log_y x$ will be eq	qual to							
	$\log_z x$	$\log_{x} z$	(c) lo	$\log_a m \times \log_a n(d)$ lo	$\log_a \frac{m}{}$				
	(a) $\frac{\log_z x}{\log_y z}$	(b) $\frac{\log_x z}{\log_y z}$			11				
					d the logarithms				
	(c) $\frac{\log_z x}{\log_z y}$	(d) $\frac{\log_{z} y}{\log_{z} x}$	(a) 0	es to the base(b)					
	$\log_z y$	$\log_z x$	(a) 0 (c) 10	` ′					
	A 3131242 1 NACCO	`	(c) $(c)$	, (u)	•				

22.  $\log_2^3$  in common logarithm is written as

(d)  $\log 2^3$ 

- 23.  $\log_e 10 =$ \_\_\_\_
  - (a) 2.3026
- (b) 0.4343

(c)  $e^{10}$ 

(d) 10

**24.** If  $\log_2^x = 5$  then x is:

(a) 25

(b) 32

(c) 10

(d)  $2^{5x}$ 

1	c	2	b	3	d	4	a	5	b	6	a	7	d	8	c
9	a	10	c	11	b	12	b	13	a	14	b	15	a	16	a
17	a	18	a	19	d	20	d	21	d	22	a	23	a	24	b

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