

Astronomical Telescope:

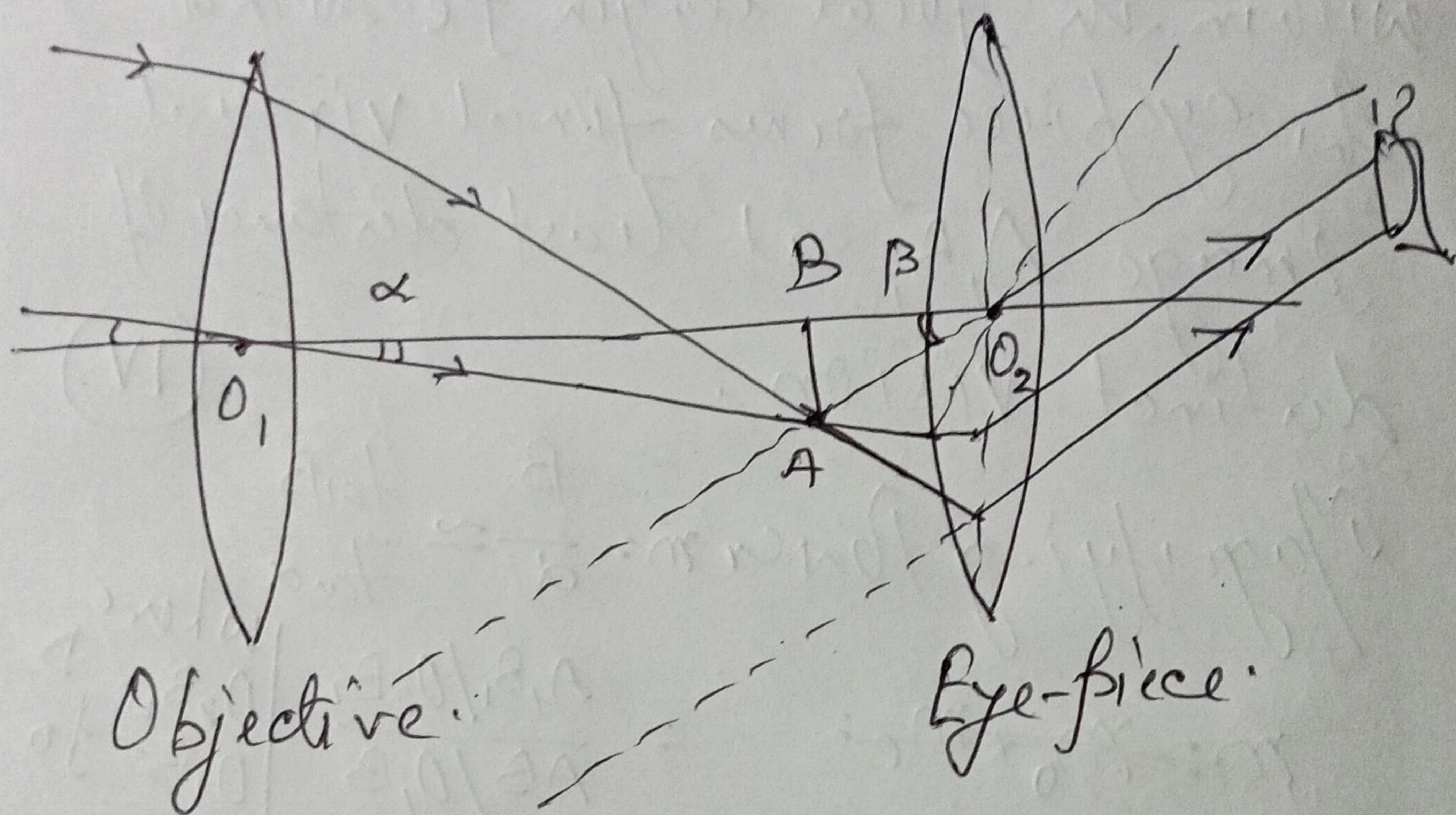
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This telescope is an optical device used for viewing far objects, celestial bodies like stars and planets. It consists of two coaxial convex lens one kept near the object called Objective and other is near the eye is called eye-piece.

The focal length of objective is larger & aperture is wider. while focal length of eye-piece is small.

This telescope is used in two different conditions.

(i) When final image of object is formed at large (infinite) distance



The rays coming from far away object gets focussed on focus of Objective & forms inverted real ~~object~~ image AB.

$$O_1B = f_o = \text{focal Length of Objective}$$

The position of eye-piece is adjusted so that this image is at focus of Eye-piece.

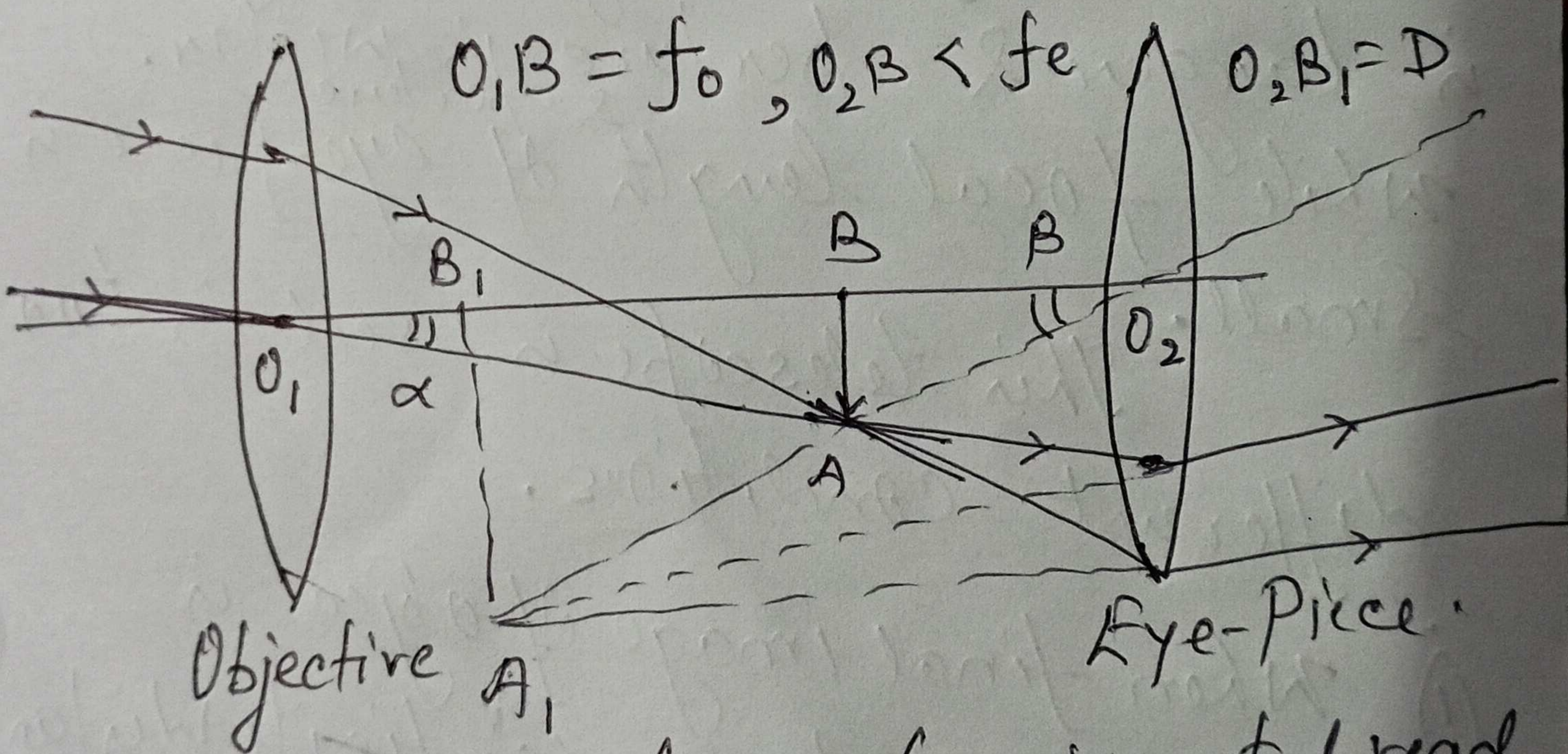
$$O_2B = f_e = \text{focal Length of Eye-piece.}$$

The final image is formed at infinity.

Magnification of telescope in this

mode $m = \frac{-\beta}{\alpha} = -\frac{\tan\beta}{\tan\alpha}$
 $= -\frac{AB/fe}{AB/fo} = \frac{fo}{fe}$

(ii) When Astronomical telescope is used in the adjustment in which final image is formed at least distance of Distinct vision.



The Objective forms ~~an~~ inverted real image AB at its own focus. The position

of Eye-piece is adjusted so that AB lie within its focal length f_e so that the eyepiece forms final virtual image A'B, at least distance of distinct vision.

(IV)

Magnifying Power $m = \frac{\beta}{\alpha} \approx \frac{\tan \beta}{\tan \alpha}$

~~$m = m_o \times m_e =$~~

$= \frac{A_1 B_1 / O_2 B_1}{AB / O_1 B}$

where
 $O_2 B_1 = D$
 $O_1 B = f_o$

Applying Lens Maker's formula on eyepiece.

$\frac{1}{v_e} - \frac{1}{u_e} = \frac{1}{f_e}$
 $1 - \frac{v_e}{u_e} = \frac{v_e}{f_e}$

$m_e = -\frac{v_e}{u_e} = 1 - \frac{v_e}{f_e} = 1 + \frac{D}{f_e}$

$= \frac{A_1 B_1}{AB} \times \frac{O_1 B}{O_2 B_1}$

~~m_e~~
 $= m_{\text{eyepiece}} \times \frac{f_o}{D}$

$= \left(1 + \frac{D}{f_e}\right) \frac{f_o}{D}$

$= \frac{(f_e + D)f_o}{D f_e}$