

Pg 176

x	y
4	1
5	1
6	1

Function.

D: {4, 5, 6}

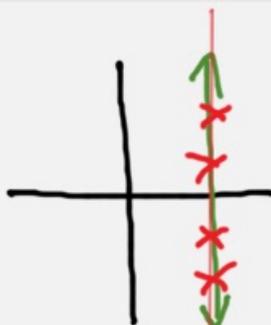
R: {1}

$$(36) \ a) \ f(2) = \frac{4(2)^3 + 1}{(2)^3} = \frac{33}{8}$$

$$b) \ f(-2) = \frac{4(-2)^3 + 1}{(-2)^3} = \frac{-31}{-8} = \frac{31}{8}$$

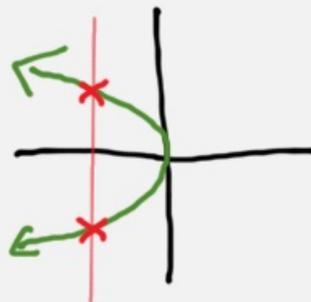
$$c) \ f(-x) = \frac{4(-x)^3 + 1}{(-x)^3} = \frac{-4x^3 + 1}{-x^3} \text{ or } \frac{4x^3 - 1}{x^3}$$

(58)



Not a function as  
it fails the vertical  
line test.

(62)



Not a function as  
it fails the vertical  
line test.

66  $f(2) = -4$

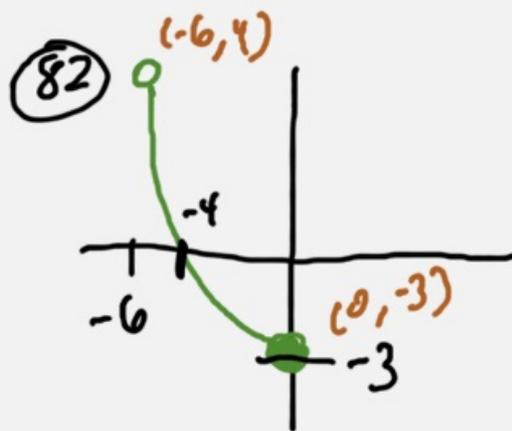
68  $f(-4) = 4$

70  $f(-1) = 0$

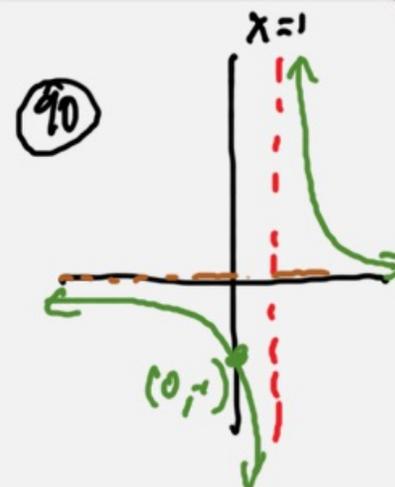
72  $g(2) = -2$

74  $g(10) = -2$

76  $g(?) = -1$   
 $? = 1$



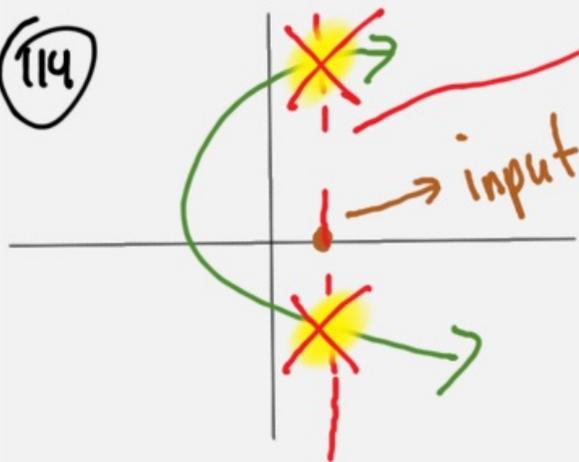
- a)  $D: (-6, 0]$
- b)  $R: [-3, 4)$
- c) x-int  $(-4, 0)$
- d) y-int  $(0, -3)$
- e)  $f(-4) = 0$



- a)  $D: (-\infty, 1) \cup (1, \infty)$
- b)  $R: (-\infty, 0) \cup (0, \infty)$
- c) x-int: None
- d) y-int:  $(0, -1)$
- e)  $f(2) = 1$

(110) a function has only ONE output per input.  
 A relation can have many outputs per input.

(114)



(122) False, the Domain is  $[-4, 4]$

(124)  $f(-1) - f(4) = 2$   
 $1 - (-1) = 2$

vertical line revealing multiple outputs for a single input!  
 Not a function by definition!