## Wolverine's Table

Fill in the blanks in Wolverine's two-way table of the people he knows:

|  | Mutant | Human | Alien | Total |
| :---: | :---: | :---: | :---: | :---: |
| Good |  | 43 |  | 72 |
| Bad | 84 |  | 35 |  |
| Total | 111 | 52 |  | 200 |

Use the table to answer the questions.


1. What is the probability of picking a mutant at random from the people Wolverine knows?
2. What's the probability of picking a good human?
3. What is the probability of picking someone who is bad? Challenge:
4. Which category of individual has a $1 \%$ chance of being selected?

Creating a frequency table from a Venn Diagram
Forest has a box of 12 candies. The Venn diagram below shows how many candies contain chocolate, coconut, both, or neither.

Complete the following two-way frequency table.

|  | Contain coconut | Do not contain coconut |
| :--- | :---: | :---: |
| Contain chocolate | $\square$ | $\square$ |
| Do not contain chocolate | $\square$ | $\square$ |



## Creating a frequency table from some observations

Nikita knows the following information about her food club that has 11 members:

- 3 members like neither fruit nor vegetables.
- 4 members like fruit but not vegetables.
- 5 members in total like fruit.

Can you help Nikita organize the results into a two-way frequency table?

## Like fruit <br> Do not like fruit

Like vegetables
Do not like vegetables


Creating a Relative Frequency Table (for the whole table) from a Two Way Frequency Table

Creating a Relative Frequency table based on TOTAL people.
Below is a table of people in the park and the activities that they do. Complete the frequency table below, based on the total participants. First, complete the table.

| Activity | Jog | Fly Kites | Picnic | Total |
| :---: | :---: | :---: | :---: | :---: |
| Male | 9 | 4 | 10 |  |
| Female | 11 | 1 |  |  |
| Total |  |  | 25 | 50 |

To create a relative-frequency two-way table for all 50 people, divide each number in each cell by 50

| Topping | Jog | Fly Kites | Picnic | Total |
| :---: | :---: | :---: | :---: | :---: |
| Male |  |  |  |  |
| Female |  |  |  |  |
| Total |  |  |  |  |

Fifty students in the $8^{\text {th }}$ grade class were asked what kind of ice-cream they like (vanilla or chocolate) and what kind of toppings they like (sprinkles, $m$ \& m's, or nothing). Identify any trends in the data.

| Topping | Sprinkles | $\mathrm{m} \& \mathrm{~m}$ 's | Nothing | Total |
| :---: | :---: | :---: | :---: | :---: |
| Vanilla | 9 | 8 | 13 | 30 |
| Chocolate | 7 | 9 | 4 | 20 |
| Total | 16 | 17 | 17 | 50 |

To create a relative-frequency two way table with percents, use the total number of students.

| Topping | Sprinkles | $\mathrm{m} \& \mathrm{~m}$ 's | Nothing | Total |
| :---: | :--- | :--- | :--- | :--- |
| Vanilla |  |  |  |  |
| Chocolate |  |  |  |  |
| Total |  |  |  |  |

This will answer the following questions. (State the Percents.)
$\mathrm{P}($ Vanilla and Sprinkles $)=$ $\qquad$ $\mathrm{P}($ Chocolate and Sprinkles $)=$ $\qquad$
P (Vanilla and m \& m 's $)=$ $\qquad$ $\mathrm{P}($ Chocolate and m \& m's $)=$ $\qquad$
$\mathrm{P}($ Vanilla and Nothing $)=$ $\qquad$ $\mathrm{P}($ Chocolate and Nothing $)=$ $\qquad$
To create a relative-frequency two way table for the rows, divide each number in each row by the total in that row.

| Topping | Sprinkles | $\mathrm{m} \& \mathrm{~m}$ 's | Nothing | Total |
| :---: | :---: | :---: | :---: | :---: |
| Vanilla |  |  |  |  |
| Chocolate |  |  |  |  |

This will answer the following questions. (State the Percents.)
$\mathrm{P}($ Sprinkles given Vanilla $)=$ $\qquad$ $\mathrm{P}($ Sprinkles given Chocolate $)=$ $\qquad$
$P(m \&$ m's given Vanilla $)=$ $\qquad$ $P(m \& m$ 's given Chocolate $)=$ $\qquad$
$P($ Nothing Given Vanilla $)=$ $\qquad$ $P($ Nothing given Chocolate $)=$ $\qquad$
To create a relative-frequency two way table for the columns, divide each number in each column by the total in that column.

| Topping | Sprinkles | m \& m's | Nothing |
| :---: | :---: | :---: | :---: |
| Vanilla |  |  |  |
| Chocolate |  |  |  |
| Total |  |  |  |

This will answer the following questions. (State the Percents.)
$\mathrm{P}($ Vanilla given Sprinkles $)=$ $\qquad$
$P($ Vanilla given $m \& m$ 's $)=$ $\qquad$
$P($ Vanilla given Nothing $)=$
$\mathrm{P}($ Chocolate given Sprinkles $)=$ $\qquad$
$\mathrm{P}($ Chocolate given m \& m's $)=$ $\qquad$
$P($ Chocolate given Nothing $)=$

