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## Anisotropic Porous Materials for Drag Reduction G26: Duke Bristow, Gianna Canto, Antoine Moats, Joe Rees Dept. of Aerospace and Mechanical Engineering, University of Southern California.

## Motivation

- Studies show that skin friction drag accounts for 50% of parasitic drag during cruise conditions for aircrafts [1].
- Drawing inspiration from biology, research on passive drag reduction has found that the jaggedness of shark scales, known as riblets, reduces circular flow along the surface leading to a decrease in friction.



Figure 3: Flow directional diagram illustrating the permeability of the flow in each direction • Further research estimates that reducing drag on aircraft by 1% may lead to a 0.5-1% reduction in fuel consumption depending on the aircraft [2].



*Figure 2. Diagram of the reduction of vortices (blue)* as the riblet spacing changes [4]

• Recent studies have demonstrated the reduction of vortices in both the spanwise and wall normal directions through the simulation of porous structures with permeability values  $(K_{xx}, K_{yy}, K_{zz})$  shown in fig 2 [5]. These studies were pivotal in determining target permeability ratios ( $K_{xx}$  /  $K_{yy}$ ) for drag reduction but not *specific* geometries.



- Riblets reduce drag by
- Goal: Determine pressure drop measurements for



Figure 8. Cubic geometry cube for the permeameter setup based on previous experimental parameter sweeps for cubic porous structures.

# Porous Structure Design



Figure 9. Riblet geometry cube for the permeameter setup based on previous porous drag reduction experiments manufactured using steel meshes



Figure 10. Elliptical geometry cube for the permeameter setup utilizing similar pore sizing as the cubic geometry. Chosen because the pore radius can be altered systematically





## References

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[3] Hirt, G., and M. Thome. "Large Area Rolling of Functional Metallic Micro Structures - Production Engineering." SpringerLink, Springer-Verlag, 9 Nov. 2007, link.springer.com/article/10.1007/s11740-007-0062

[4] [Endrikat, S., et al. "Influence of Riblet Shapes on the Occurrence of Kelvin–Helmholtz Rollers: Journal of Fluid Mechanics." Cambridge Core, Cambridge University Press, 2 Mar. 2021, www.cambridge.org/core/journals/journal-of-fluid-mechanics/article/abs/influence-of-riblet-shapes-on-theoccurrence-of-kelvinhelmholtz-rollers/CEA7823C0265742836CFC528CD429C05. [5] G. Gomez-de-Segura, and R. Garcia-Mayoral, "Turbulent drag reduction by anisotropic permeable substrates - analysis and direct numerical simulations." Available https://link.springer.com/article/10.1007/s10494-018-9916-4

Figure 1. Theorized methods of drag reduction include riblets which vary in shape and size [3]

suppressing the development of circular flow in the spanwise direction, perpendicular to the flow, along the boundary [4].

permeability ratios and drag profiles through Reynolds numbers of [500, *3000) for structured and* unstructured geometries.



Figure 12. Commercial sponge pads of different pore sizes were used for a comparison to the structured geometries. Compared to the structured geometries, the geometry of these pads do not constitute a repeated pattern and instead are randomly assorted.





Geometry	K <sub>xx</sub> (mm <sup>2</sup> )	K <sub>yy</sub> (mm²)	K <sub>zz</sub> (mm <sup>2</sup> )	$\phi_{xy}$	$\phi_{yz}$	φ,
Frapezodial Riblets	0.22 ± 0.03	$0.009 \pm 0.002$	$0.061 \pm 0.002$	28 ± 10	0.14 ± 0.04	3.6 ±
Gyroid	0.06 ± 0.01	0.007 ± 0.001	$0.018 \pm 0.002$	8 ± 2	0.4 ± 0.1	3.4 ±
Cubic	0.07 ± 0.03	0.05 ±0.03	0.05 ± 0.03	3 ± 2	2±1	3 ±
Elliptical	0.05 ± 0.03	0.027 ± 0.008	0.027 ± 0.008	2 ± 1	1 ± 0.6	2 ±
Previous Experiments						
Cubic	0.07 ± 0.01	0.07 ± 0.01	0.07 ± 0.01	1 ± 0.3	1 ± 0.3	1 ±(

 $(\phi)$  for the geometries conducted. The cubic geometry permeability ratios concluded from previous experiments.

- anisotropy  $(\phi_{xy})$  and drag reduction.
- Reynolds numbers >3000 need to be conducted to conclusively determine the relationship between anisotropy and friction factor.
- whether this criteria is conducive to drag reduction as expected from computational experiments.

Conclusion

As noted in figure 14 and table 1, the anisotropy of the structured geometries did not have a significant effect on the drag profiles at the Reynolds number tested. Based on the computational studies by Gomez and Garcia, the key factor in the reduction of drag is  $\phi_{xy}$  under the condition that  $\phi_{xy} = \phi_{xz}$ . It is evident that for more complex structured geometries (i.e. trapezoidal and gyroid) the symmetry condition is not met, obscuring the relationship between

transducer. For higher Reynolds numbers, the expected decreasing trend of the friction factor matches theoretical predictions

It is possible that the decreasing trend extends to higher Reynolds numbers and that the more anisotropic structures result in lower friction factors. From previous research, the friction factor asymptotically reaches a lower bound for Reynolds numbers larger than the ones tested. Therefore, experiments for

Based on the decreasing trend, two promising structures emerge: the gyroid and the riblet geometry. Further experiments altering the pore sizing along with testing at higher Reynolds numbers will illuminate more clearly whether the symmetry condition  $\phi_{xy} = \phi_{xz}$  is plausible for more complex geometries and