"Attention is all you need" Vaswani et al. 2017

ML Paper Club @Google Campus with nPlan 6th June 2019

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in: NMT Tutorial ACL 2016 – Luong et al.

When NMT Could Help...



in: "Sign of the times - Beijing puts an end to Chinglish" – J. Fullerton, The Australian 5 June 2019

NN architectures

	Feed Forward	Convolutional	Recurrent	Self-Attention		
Main unit	Node	Cell				
Input	Scalar	Sequence				
Tied weights	No	Ye	Sort of			
Process	-	Parallel	Sequential	Parallel		
Properties	-	Translation- invariant	Variable length Position-aware	Captures LT dependencies		

Comparison of complexity, path lengths and number of sequential operations

Table 1: Maximum path lengths, per-layer complexity and minimum number of sequential operations for different layer types. n is the sequence length, d is the representation dimension, k is the kernel size of convolutions and r the size of the neighborhood in restricted self-attention.

Layer Type	Complexity per Layer	Sequential	Maximum Path Length
		Operations	
Self-Attention	$O(n^2 \cdot d)$	O(1)	O(1)
Recurrent	$O(n \cdot d^2)$	O(n)	O(n)
Convolutional	$O(k\cdot n\cdot d^2)$	O(1)	$O(log_k(n))$
Self-Attention (restricted)	$O(r \cdot n \cdot d)$	O(1)	O(n/r)

RECURRENT NETWORKS

Recurrent networks

- Each *cell* processes a *sequence*
- Suited to sequences of *variable length*
- Use of "internal" or "cell" *state*
- On this example, input and output sequences of identical length



in: Deep Learning – Goodfellow et al. MIT Press 2016

LSTM

A specific case of RNNs

- Several *gates* control the flow of information between (time) steps
- Objective: address *long-term dependencies*



in: Long Short-Term Memory – Hochreiter et al. 1997

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in: colah's blog – Christopher Olah (colah.github.io)

RNNs architecture variants

- RNN with *single output*
- Provides a *fixed-size representation* of a sequence



in: Deep Learning – Goodfellow et al. MIT Press 2016

RNNs architecture variants

- RNN that maps a *fixed-length vector into a sequence*
- Example of use: image captioning



in: Deep Learning – Goodfellow et al. MIT Press 2016

Combination of 2 RNNs





Combination of 2 RNNs

• *Encoding* a sequence into a fixed-length representation

Decoder



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- *Encoding* a sequence into a fixed-length representation
- *Decoding* a single context vector into a variable length sequence

Decoder



Combination of 2 RNNs

- *Encoding* a sequence into a fixed-length representation
- *Decoding* a single context vector into a variable length sequence
- Input and output sequences of *different lengths*: suitable for machine translation

Decoder



ATTENTION MECHANISM

• Addresses bottleneck of *fixed-length intermediate representation*



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- Weights produced by an *attention model* (feed-forward network) – each context vector is different



Attention model





in: Neural Machine Translation by Jointly Learning to Align and Translate - Bahdanau et al. 2015



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Formalisation

- s_{t-1} : queries, matrix Q
- h_t (as attention parameters): keys, matrix K
- h_t (as values): values, matrix V
- Attention = a(Q, K).V



TRANSFORMER









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- One central idea: substitute LSTMs with self-attention mechanisms
- Numerous details in implementation



Multi-Head Attention

Changes vs. previous mechanism:

- *Dot product (scaled)* in place of feedforward network
- Multiple attention models performed in parallel across several (learned) *linear projections*



Attention model

$$\operatorname{Attention}(Q, K, V) = \operatorname{softmax}(\frac{QK^T}{\sqrt{d_k}})V$$

With d_k dimension of queries and keys



Multi-Head (1)

Original input: sequence S encompassing T words $S = (w_t) \text{ with } t \in [1, T]$ After embedding (d_{model} dimensions) and PE: $X = [X_t] \text{ with } t \in [1, T], \text{ dimension } T \times d_{model}$

Defining the number of heads h and dimension of q, k and v

$$d_k = d_{model}/h$$

Finally defining 3 (learned) linear projections per head *i*

 W_i^Q , W_i^K , $W_i^V \in \mathbb{R}^{d_{model} imes d_k}$

And a linear transformation $W^{O} \in \mathbb{R}^{d_{model} \times d_{model}}$



Multi-Head (2)

In the case of the encoder, *all keys, values and queries* come from the output of the previous layer of the encoder $X^{(l-1)}$, with $X^{(0)} = X$

For each head *i*:

$$Q_i \stackrel{\text{def}}{=} X^{(l-1)} W_i^Q$$
$$K_i \stackrel{\text{def}}{=} X^{(l-1)} W_i^K$$
$$V_i \stackrel{\text{def}}{=} X^{(l-1)} W_i^V$$



Multi-Head (3)

Every head has therefore the following form (dimension $T \times d_k$):

 $head_i \stackrel{\text{\tiny def}}{=} \operatorname{Attention}(Q_i, K_i, V_i)$

The multi-head is a (learned) linear transform of the concatenation of these different representation subspaces:

 $MultiHead(X^{(l-1)}) \stackrel{\text{\tiny def}}{=} Concat(head_1, ..., head_h)W^0$

Producing T "annotations" or "hidden states" of dimension d_{model}



Multi-Head (4)

- The decoder self-attention mechanism is similar to the encoder's, except that during training step *future output values are masked.*
- For the "encoder-decoder" attention mechanism, *queries* come from the *previous decoder layer* (representation of the translated sentence at this step), while *keys and values* both come from the final *output of the encoder* (representation of the original sentence to translate).





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- Both encoder and decoder have 6 such stacked layers



Numerous implementation details

- Residual Connection
- Layer Normalization
- Scaled Dot Product
- Multi-Head
- Linked embeddings
- Positional encoding

- Residual Dropout
- Label Smoothing
- Beam Search

Residual connection

- Additional layers do not always improve performance
- Intuition: solvers struggle to fit an identity mapping
- Central idea: perform identity mapping through shortcut connection



in: Deep Residual Learning for Image Recognition – Kaiming et al. 2015



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- In case of tokenisation with subwords, can be tied 3-ways



Positional encoding

Let us define:

$$\begin{aligned} \mathbf{R}_{\theta} & \stackrel{\text{def}}{=} \begin{bmatrix} \cos(\theta) & \sin(\theta) \\ -\sin(\theta) & \cos(\theta) \end{bmatrix} \\ \theta & \stackrel{\text{def}}{=} 10.000^{-2/d_{model}} \\ P_{0} & \stackrel{\text{def}}{=} \begin{bmatrix} 1 \\ 0 \\ 0 \\ 0 \\ 0 \end{bmatrix}_{d_{model}}^{d_{model}} \\ \mathbf{R} & \stackrel{\text{def}}{=} \begin{bmatrix} \mathbf{R}_{\theta} & \cdots & 0 \\ \vdots & \ddots & \vdots \\ 0 & \cdots & \mathbf{R}_{\theta} d_{model} / 2 \end{bmatrix} \end{aligned}$$

Then if P_n is the positional encoding added to the embedding vector in nth position,

$$P_n = \mathbf{R}^n P_0$$

Label smoothing

During training, replace each ground truth one-hot encoded vector :

 $[0, 0, ..., 0, \mathbf{1}, 0, 0, ..., 0]$ (dimension V = size of vocabulary)

With :

$$\left[\frac{\varepsilon}{v}, \frac{\varepsilon}{v}, \dots, \frac{\varepsilon}{v}, (1 - \frac{v-1}{v}\varepsilon), \frac{\varepsilon}{v}, \frac{\varepsilon}{v}, \dots, \frac{\varepsilon}{v}\right]$$

Which acts as *regularization* (increases perplexity, improves accuracy and BLEU) by *preventing the model of being "too confident"* (i.e. overfitting) over the training data.

In the paper the value retained for ε is 0.1

in: Rethinking the Inception Architecture for Computer Vision – Szegedy et al. 2015

Greedy search



Figure 22: A search graph where greedy search fails.

in: Neural Machine Translation and Sequence-to-sequence Models: A Tutorial – Neubig 2017

Beam search



Figure 23: An example of beam search with b = 2. Numbers next to arrows are log probabilities for a single word log $P(e_t | F, e_1^{t-1})$, while numbers above nodes are log probabilities for the entire hypothesis up until this point.

in: Neural Machine Translation and Sequence-to-sequence Models: A Tutorial – Neubig 2017

Results

Table 2: The Transformer achieves better BLEU scores than previous state-of-the-art models on the English-to-German and English-to-French newstest2014 tests at a fraction of the training cost.

Model	BLEU		Training C	Training Cost (FLOPs)	
Model	EN-DE	EN-FR	EN-DE	EN-FR	
ByteNet [18]	23.75				
Deep-Att + PosUnk [39]		39.2		$1.0 \cdot 10^{20}$	
GNMT + RL [38]	24.6	39.92	$2.3\cdot10^{19}$	$1.4\cdot10^{20}$	
ConvS2S [9]	25.16	40.46	$9.6 \cdot 10^{18}$	$1.5\cdot10^{20}$	
MoE [32]	26.03	40.56	$2.0\cdot10^{19}$	$1.2\cdot10^{20}$	
Deep-Att + PosUnk Ensemble [39]		40.4		$8.0\cdot10^{20}$	
GNMT + RL Ensemble [38]	26.30	41.16	$1.8\cdot 10^{20}$	$1.1 \cdot 10^{21}$	
ConvS2S Ensemble [9]	26.36	41.29	$7.7\cdot10^{19}$	$1.2\cdot10^{21}$	
Transformer (base model)	27.3	38.1	3.3 •	10 ¹⁸	
Transformer (big)	28.4	41.8	$2.3 \cdot$	10^{19}	

Moving forward...

"BERT (Bidirectional Encoder Representations from Transformers) is conceptually simple and empirically powerful. It obtains new state-<i>of-the-art results on *eleven natural language processing tasks (...)"*



Figure 3: Differences in pre-training model architectures. BERT uses a bidirectional Transformer. OpenAI GPT uses a left-to-right Transformer. ELMo uses the concatenation of independently trained left-to-right and right-to-left LSTMs to generate features for downstream tasks. Among the three, only BERT representations are jointly conditioned on both left and right context in all layers. In addition to the architecture differences, BERT and OpenAI GPT are fine-tuning approaches, while ELMo is a feature-based approach.

in: BERT: Pre-training of Deep Bidirectional Transformers for Language Understanding – Devlin et al. 2018

THAT'S ALL FOR NOW



in: Les Shadoks, Rouxel et al. 1968