



MATHSGYM®

NCERT
CLASS 12
RELATIONS & FUNCTIONS

FORMULAE – v1

Issue Dt: 29/03/2026

1. Relation is a subset of cartesian product
 - Symbolically
 - $R \subset P \times Q$ (where R = Relation, P & Q are two different sets respectively)
2. The total number of relations that can be defined from a set A to a set B is the number of possible subsets of $A \times B$.
 - If $n(A) = p$ and $n(B) = q$, then
 - $n(A \times B) = pq$ and
 - the total number of relations is 2^{pq}
3. A relation R from A to A is also stated as a relation on A .
4. The image of an element x under a relation R is given by y , where $(x, y) \in R$,
5. The domain of R is the set of all first elements of the ordered pairs in a relation R .
6. The range of the relation R is the set of all second elements of the ordered pairs in a relation R .
7. A function f from a set A to a set B is a **specific type of relation** for which every element x of set A has one and only one image y in set B .
 - We write $f: A \rightarrow B$, where $f(x) = y$.
 - A is the domain and B is the codomain of f .
8. The range of the function is the set of images.
9. A real function has the set of real numbers or one of its subsets both as its domain and as its range.

10. A real function has the set of real numbers or one of its subsets both as its domain and as its range.
11. **Empty relation** is the relation R in X given by $R = \phi \subset X \times X$.
12. **Universal relation** is the relation R in X given by $R = X \times X$.
13. **Reflexive relation** R in X is a relation with $(a, a) \in R \forall a \in X$.
14. **Symmetric relation** R in X is a relation satisfying $(a, b) \in R$ implies $(b, a) \in R$.
15. **Transitive relation** R in X is a relation satisfying $(a, b) \in R$ and $(b, c) \in R$ implies that $(a, c) \in R$.
16. **Equivalence relation** R in X is a relation which is reflexive, symmetric and transitive
17. A function $f: X \rightarrow Y$ is **one-one** (or **injective**) if
 - $f(x_1) = f(x_2) \Rightarrow x_1 = x_2 \forall x_1, x_2 \in X$.
18. A function $f: X \rightarrow Y$ is **onto** (or **surjective**) if given any $y \in Y$, $\exists x \in X$ such that $f(x) = y$.
19. A function $f: X \rightarrow Y$ is **one-one and onto** (or **bijective**), if f is both one-one and onto.
20. Given a finite set X , a function $f: X \rightarrow X$ is one-one (respectively onto) if and only if f is onto (respectively one-one). This is the characteristic property of a finite set. This is not true for infinite set