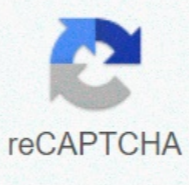




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Mutually exclusive events probability worksheet

Mutually exclusive independent events probability worksheet. The probability of mutually exclusive and inclusive events worksheet. distribucion uniforme biologia definicion Probability mutually exclusive events worksheet 1 answer key. Probability of mutually exclusive events scrambled math worksheet answers. What are mutually exclusive events. Explain mutually exclusive events. Probability of mutually exclusive events and overlapping events worksheet. Mutually exclusive events probability worksheet with answers.



What is mutually exclusive events in probability.

Mutually exclusive events probability worksheet pdf. muwotiwuj.pdf Example of mutually exclusive event in probability. What does mutually exclusive events mean in probability.

The mutually exclusive events will be explained in this worksheet. This worksheet will become a guide on how to determine mutually exclusive events. In probability theory, two events are said to be mutually exclusive if they cannot occur at the same time or simultaneously. In other words, mutually exclusive events are called disjoint events. If two events are considered disjoint events, then the probability of both events occurring at the same time will be zero. This worksheet will assist you in better understanding on how to determine the mutually exclusive events. This worksheet intends to assist through identification math drills, remembering crucial key concepts, practical problems, and also understanding its significance. Use this worksheet to enhance your ability on how to determine the mutually exclusive events. A 5-item activity will be given to the learners to determine if the statement is true or false. Also, an activity will be given to the learners to identify whether it is a mutually exclusive event or not. Lastly, an activity will be given to the learners to create their own mutually exclusive event. Being able to learn on how to determine the mutually exclusive events has led to a tremendous development in mathematics, also it broadened my knowledge in mathematics. If you have any questions or comments, please let us know What Are Mutually Exclusive Events in Probability?

In probability, events are defined as the outcomes and the results achieved from the experiments. Where some events bear some resemblance among them, others show no relationship between them. In other words, some events tend to affect the occurrence of other events, while some do not affect the chances of occurrence of other events. Probability broadly entails two types of events: simple and compound. When we conduct a single experiment to achieve a single outcome, it is known as a simple event. However, when more than one outcome is possible, we get a compound event. These compound events are again categorized as mutually exclusive and mutually inclusive events. Mutually exclusive events are those events that cannot happen at the same time. In such situations, when one event takes place, it often hinders the second event from happening. Mutually exclusive events always have different outcomes. For instance, if you get a head on a coin toss, you won't get a tail on the same coin toss. Events like these are mutually exclusive. Another way to understand these events is by rolling of a fair-die. sove.exe.pdf The probability of getting a 4 when you roll a die is 1/6. There is only one 4 on the die, and the possible outcomes are 6. In these cases, it is impossible to get a 4 and 5 together upon rolling a single die. Events like these are known as mutually exclusive events. Introduces the concept of predicting multiple outcomes. A pair of dice is rolled. What is the probability that the sum of the numbers rolled is either 7 or 11? View worksheet This lesson focuses on determining the probability of sums.

Two mutually exclusive events A and B have probabilities $P(A) = \frac{1}{10}$ and $P(B) = \frac{1}{5}$. Find $P(A \cup B)$.

Two or more events are mutually exclusive if they cannot happen at the same time.

$P(A \cap B) = 0$
 $P(A \cup B) = P(A) + P(B)$

$P(A \cup B) = \frac{1}{10} + \frac{1}{5} = \frac{1}{10} + \frac{2}{10} = \frac{3}{10}$

View worksheet Students practice with 20 Mutually Exclusive Events problems. The answers can be found below.

Algebra 2 - Contrasts ID: 1

Mutually Exclusive Events $P(A \text{ or } B) = P(A) + P(B)$ Date: _____ Period: _____

Determine if events A and B are mutually exclusive.

1) $P(A) = \frac{3}{20}$, $P(B) = \frac{1}{4}$, $P(A \text{ or } B) = \frac{61}{100}$
 $P(A \cup B) = P(A) + P(B) = \frac{3}{20} + \frac{1}{4} = \frac{3}{20} + \frac{5}{20} = \frac{8}{20} = \frac{2}{5}$
 $\frac{61}{100} \neq \frac{2}{5}$ NOT MUTUALLY EXCLUSIVE

2) $P(A) = \frac{3}{5}$, $P(B) = \frac{1}{4}$, $P(A \text{ or } B) = \frac{17}{20}$
 $P(A \cup B) = P(A) + P(B) = \frac{3}{5} + \frac{1}{4} = \frac{12}{20} + \frac{5}{20} = \frac{17}{20}$
 $\frac{17}{20} = \frac{17}{20}$ MUTUALLY EXCLUSIVE

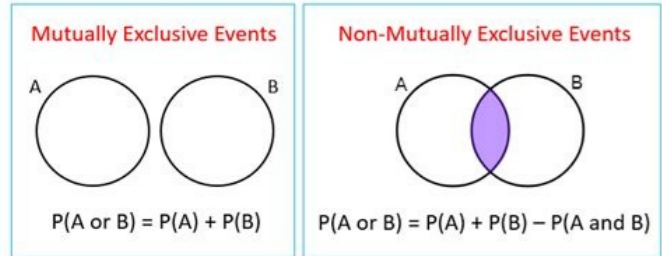
3) $P(A) = \frac{13}{100}$, $P(B) = \frac{9}{100}$, $P(A \text{ or } B) = \frac{22}{100}$
 $P(A \cup B) = P(A) + P(B) = \frac{13}{100} + \frac{9}{100} = \frac{22}{100}$
 $\frac{22}{100} = \frac{22}{100}$ MUTUALLY EXCLUSIVE

4) $P(A) = \frac{7}{10}$, $P(B) = \frac{1}{10}$, $P(A \text{ or } B) = \frac{3}{10}$
 $P(A \cup B) = P(A) + P(B) = \frac{7}{10} + \frac{1}{10} = \frac{8}{10} = \frac{4}{5}$
 $\frac{3}{10} \neq \frac{4}{5}$ NOT MUTUALLY EXCLUSIVE

A pair of dice is rolled. What is the probability that the sum of the numbers rolled is either an even number or a multiple of 5? View worksheet Another 20 Mutually Exclusive Events problems. The answers can be found below.

A pair of dice is rolled. What is the probability that the sum of the numbers rolled is either an even number or a multiple of 3? View worksheet Reviews all skills in the unit. ionic compounds using polyatomic ions worksheet A great take home sheet. Also provides a practice problem. A pair of dice is rolled. What is the probability that the sum of the numbers rolled is either an even number or a multiple of 4? Of the 36 possible outcomes, 18 are even sums. View worksheet 10 problems that test Mutually Exclusive Events skills. View worksheet Answers for the homework and quiz. View worksheet Answers for the lesson and practice sheets. View worksheet There were 9 candies with 3 flavors, but there were 4 kids.

What is the probability of 4 kids getting their first choice? If they all want the same, there will be 1 unhappy child. $pr(4 \text{ happy}) = 1 - pr(1 \text{ unhappy}) = 1 - 3/81 = 1 - 1/27 = 26/27 = 96\%$ Mutually Exclusive: can't happen at the same time.



Examples: Turning left and turning right are Mutually Exclusive (you can't do both at the same time) Tossing a coin: Heads and Tails are Mutually Exclusive Cards: Kings and Aces are Mutually Exclusive What is not Mutually Exclusive: Turning left and scratching your head can happen at the same time Kings and Hearts, because we can have a King of Hearts! Like here: Aces and Kings are Mutually Exclusive (can't be both) Hearts and Kings are not Mutually Exclusive (can be both) Probability Let's look at the probabilities of Mutually Exclusive events. But first, a definition: Probability of an event happening = Number of ways it can happen / Total number of outcomes Number of ways it can happen: 4 (there are 4 Kings) Total number of outcomes: 52 (there are 52 cards in total) So the probability = $4/52 = 1/13$ Mutually Exclusive When two events (call them "A" and "B") are Mutually Exclusive it is impossible for them to happen together: $P(A \text{ and } B) = 0$ "The probability of A and B together equals 0 (impossible)" A card cannot be a King AND a Queen at the same time! The probability of a King and a Queen is 0 (Impossible) But, for Mutually Exclusive events, the probability of A or B is the sum of the individual probabilities: $P(A \text{ or } B) = P(A) + P(B)$ "The probability of A or B equals the probability of A plus the probability of B" In a Deck of 52 Cards: the probability of a King is 1/13, so $P(\text{King}) = 1/13$ the probability of a Queen is also 1/13, so $P(\text{Queen}) = 1/13$ When we combine those two Events: The probability of a King or a Queen is $(1/13) + (1/13) = 2/13$ Which is written like this: $P(\text{King or Queen}) = (1/13) + (1/13) = 2/13$ So, we have: $P(\text{King and Queen}) = 0$ $P(\text{King or Queen}) = (1/13) + (1/13) = 2/13$ Special Notation Instead of "and" you will often see the symbol \cap (which is the "Intersection" symbol used in Venn Diagrams) Instead of "or" you will often see the symbol \cup (the "Union" symbol) So we can also write: $P(\text{King } \cap \text{ Queen}) = 0$ $P(\text{King } \cup \text{ Queen}) = (1/13) + (1/13) = 2/13$ Example: Scoring Goals If the probability of: scoring no goals (Event "A") is 20% scoring exactly 1 goal (Event "B") is 15% Then: The probability of scoring no goals and 1 goal is 0 (Impossible) The probability of scoring no goals or 1 goal is $20\% + 15\% = 35\%$ Which is written: $P(A \cap B) = 0$ $P(A \cup B) = 20\% + 15\% = 35\%$ Remembering To help you remember, think: "Or has more ..."

Go to Probability - Mutually Exclusive Events

1. A set of 50 cards is shuffled. What is the probability that the number 10 will be drawn?	2. A set of 50 cards is shuffled. What is the probability that the number 10 will be drawn?
3. A set of 50 cards is shuffled. What is the probability that the number 10 will be drawn?	4. A set of 50 cards is shuffled. What is the probability that the number 10 will be drawn?

Goal	0	1	2	3	4	5	6
Percentage	0%	17%	33%	50%	67%	83%	100%

than And" Also \cup is like a cup which holds more than \cap Not Mutually Exclusive Now let's see what happens when events are not Mutually Exclusive. Example: Hearts and Kings Hearts and Kings together is only the King of Hearts: But Hearts or Kings is: all the Hearts (13 of them) all the Kings (4 of them) But that counts the King of Hearts twice! So we correct our answer, by subtracting the extra "and" part: 16 Cards = 13 Hearts + 4 Kings - the 1 extra King of Hearts Count them to make sure this works! As a formula this is: $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$ "The probability of A or B equals the probability of A plus the probability of B minus the probability of A and B" Here is the same formula, but using \cup and \cap : $P(A \cup B) = P(A) + P(B) - P(A \cap B)$ A Final Example 16 people study French, 21 study Spanish and there are 30 altogether. Work out the probabilities! This is definitely a case of not Mutually Exclusive (you can study French AND Spanish). Let's say b is how many study both languages: people studying French Only must be 16-b people studying Spanish Only must be 21-b And we know there are 30 people, so: $(16-b) + b + (21-b) = 30$ $37 - b = 30$ $b = 7$ And we can put in the correct numbers: So we know all this now: $P(\text{French}) = 16/30$ $P(\text{Spanish}) = 21/30$ $P(\text{French Only}) = 9/30$ $P(\text{Spanish Only}) = 14/30$ $P(\text{French or Spanish}) = 30/30 = 1$ $P(\text{French and Spanish}) = 7/30$ Lastly, let's check with our formula: $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$ Put the values in: $30/30 = 16/30 + 21/30 - 7/30$ Yes, it works! Summary: Mutually Exclusive A and B together is impossible: $P(A \text{ and } B) = 0$ A or B is the sum of A and B: $P(A \text{ or } B) = P(A) + P(B)$ Not Mutually Exclusive A or B is the sum of A and B minus A and B: $P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$ And is \cap (the "Intersection" symbol) Or is \cup (the "Union" symbol) Copyright © 2019 MathsFun.com