1. Recall: Transformations "alter" graphs. Several types of transformations are possible, including:

$$
\begin{array}{ccc}
y=f(x)+b & y=f(x+b) & y=a f(x) \quad y=f(a x) \\
y=-f(x) & y=f(-x) & y=f(x+b)+c
\end{array}
$$

Functions can undergo vertical and $\qquad$ shifts, called $\qquad$ .

These are easy to describe with $\qquad$ . A vertical shift can be represented by $y=$ $\qquad$ and the latter by $y=$ $\qquad$ . They can be carried out at the same time, for example, $y=$ $\qquad$ would represent a $\qquad$ by $\qquad$ . It is crucial to remember that for the domain, the $\qquad$ is always changed.

There are also $\qquad$ . These can be vertical or $\qquad$ transformations.

The function $y=$ $\qquad$ would represent a vertical $\qquad$ of the function, and for
$y=$ $\qquad$ this would represent a $\qquad$ of the function. Again, for the domain, it is tricky because $\qquad$ can be thought of more as a $\qquad$ _.

Transformations also include reflections. $y=$ $\qquad$ is a reflection in the $\qquad$ - axis and $y=$
$\qquad$ is a reflection in the $\qquad$ - axis.
2. Sketch $y=\sin x$ for $0 \leq x \leq 360$

$$
\text { Sketch } y=\cos x \text { for } 0 \leq x \leq 360
$$


3. Based on your graphs, determine the value of $y$ the following (NO CALCULATOR ALLOWED):
a) $y=\sin 0$
b) $y=\sin 90$
c) $y=\sin 180$
d) $y=\sin 270$
e) $y=\sin 360$
a) $y=\cos 0$
b) $y=\cos 90$
c) $y=\cos 180$
d) $y=\cos 270$
e) $y=\cos 360$
4. Transformations can also be carried out on trig functions. Based on Q1, what type of transformation is $y=4 \sin x$ ? Using your answers from Q3, sketch this function for $0 \leq x \leq 360$, using a suitable range.


This type of transformation is special in trig, because it determines the $\qquad$ of the function.
5. Based on Q1, what type of transformation is $y=\sin (x)+1$ ? Using your answers from Q3, sketch this function for $0 \leq x \leq 360$, using a suitable range.
6. Based on Q1, what type of transformation is $y=\sin (3 x)$ ? Using your answers from Q3, sketch this function for $0 \leq x \leq 360$, using a suitable range.


This type of transformation is special in trig because it determines the $\qquad$ of the function. The formula is:
7. Based on Q1, what type of transformation is $y=\sin (x+\pi)$ ? Using your answers from Q3, sketch this function for $0 \leq x \leq 360$, using a suitable range.


This can be called a $\qquad$ shift.
8. Based on Q1, what type of transformation is $y=-\sin (x)$ ? Using your answers from Q3, sketch this function for $0 \leq x \leq 360$, using a suitable range.

9. For each of the following, describe the transformations the functions have undergone using appropriate language. Sketch each function for $0 \leq x \leq 360$, using a suitable range.
a) $y=\sin x=>y=3 \sin (4 x)-1$
b) $y=\cos x \Rightarrow y=-2 \cos (3 x)+1$
10. For a) and b) above, state the amplitude and the period

