Quadrilaterals



Answer:

(i) 4

(ii) 4

(iii) 4, co-linear

(iv) 2

(v) opposite

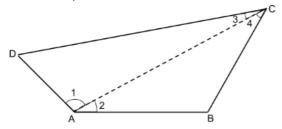
(vi) 360°

Q2.

Answer:

- (i) There are four pairs of adjacent sides, namely (AB,BC), (BC,CD), (CD,DA) and (DA,AB).
- (ii) There are two pairs of opposite sides, namely (AB,DC) and (AD,BC).
- (iii) There are four pairs of adjacent angles, namely $\angle A, \angle B, \angle B, \angle C, \angle C, \angle D$ and $\angle D, \angle A$.
- (iv) There are two pairs of opposite angles, namely $\angle A, \angle C$ and $\angle B, \angle D$.
- (v) There are two diagonals, namely AC and BD.

Q3.



Let ABCD be a quadrilateral.

Join A and C

Answer:

Now, we know that the sum of the angles of a triangle is 180°.

For △ABC:∠2+∠4+∠B=1800 ... (1)

For △ADC: ∠1+∠3+∠D=1800 ... (2

For $\triangle ADC$:

$$\angle 1 + \angle 3 + \angle D = 180^{\circ}$$
 ... (2)

Adding (1) and (2):

$$(\angle 1 + \angle 2 + \angle 3 + \angle 4) + \angle B + \angle D = 360^{\circ}$$

or
$$\angle A + \angle B + \angle C + \angle D = 360^{\circ}$$

Hence, the sum of all the angles of a quadrilateral is 360° . Q4.

Answer:

Sum of all the four angles of a quadrilateral is 360°.

Let the unknown angle be $x^{\circ}.76+54+108+x=360238+x=360x=122$

The fourth angle measures 122°.

Q5

Answer:

Let the measures of the angles of the given quadrilateral be $(3x)^{\circ}$, $(5x)^{\circ}$, $(7x)^{\circ}$ and (9x)

°. Sum of all the angles of a quadrilateral is 3600.∴3x+5x+7x+9x=36024x=360x=15

Angles measure: $(3\times15)^\circ=45^\circ(5\times15)^\circ=75^\circ(7\times15)^\circ=105^\circ(9\times15)^\circ=135^\circ$ O.6

Answer:

Sum of the four angles of a quadrilateral is 360°.

If the unknown angle is x°, then:

75+75+75+x=360x=360-225=135

The fourth angle measures 135°

Q7.

5x)°,(7x)° and (9x) 024x=360x=15 5°

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Let the three angles measure x° each.

Sum of all the angles of a quadrilateral is 360°.

:: x+x+x+120=3603x+120=3603x=240x=2403=80

Each of the equal angles measure 80°.

Answer:

Answer:

Sum of the angles of a quadrilateral is 360°.

∴∠A+∠B+600+1000=360°∠A+∠B=360-100-

 $60 = 200^{\circ} \text{or} 12 \angle \text{A} + \angle \text{B} = 100^{\circ} \qquad \dots \text{ (1)} \\ \text{Sum of the angles of a triangle is } 180^{\circ}. \\ \text{In } \triangle \text{APB: } 12 \angle \text{A} + \angle \text{B} + \angle \text{P} = 180^{\circ}. \\ \text{In } \triangle \text{APB: } 12 \angle \text{A} + \angle \text{B} + \angle \text{P} = 180^{\circ}. \\ \text{In } \triangle \text{APB: } 12 \angle \text{A} + \angle \text{B} + \angle \text{APB: } 12 \angle \text{A} + \angle \text{B} + \angle \text{APB: } 12 \angle \text{A} + \angle \text{APB: } 12 \angle \text{A} + \angle \text{APB: } 12 \angle \text$ Using equation (1):100°+∠P=180°⇒∠P=80°

Mondelement

∴ ∠APB=80°

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