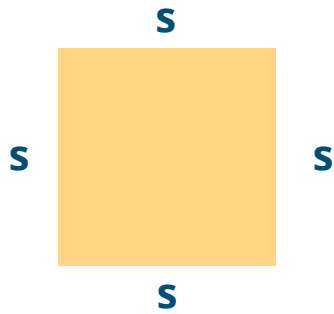
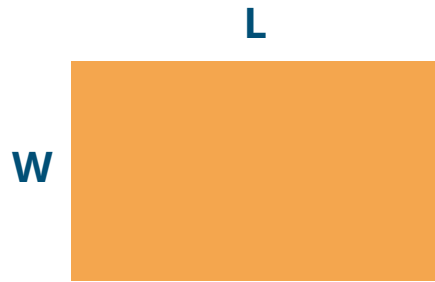


# PERIMETER FORMULAS



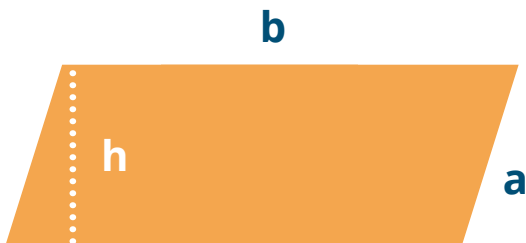
**Square**

$$P = 4s$$



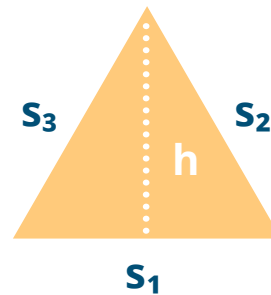
**Rectangle**

$$P = 2(L + W)$$



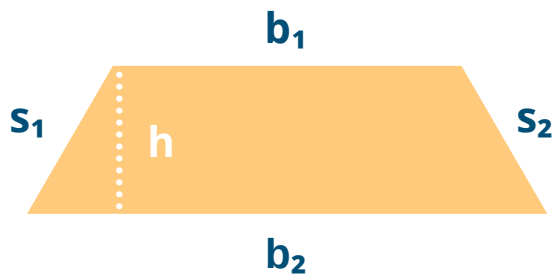
**Parallelogram**

$$P = 2(a + b)$$



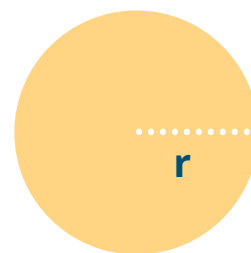
**Triangle**

$$P = s_1 + s_2 + s_3$$



**Trapezoid**

$$P = b_1 + b_2 + s_1 + s_2$$

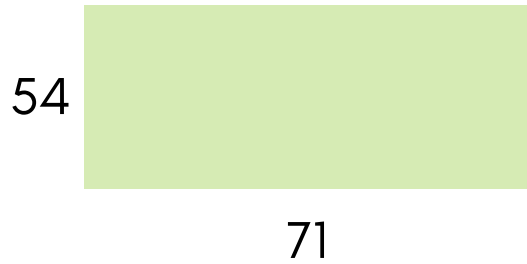


**Circle**

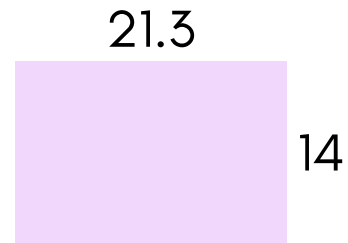
$$C = \pi d = 2\pi r$$

# PERIMETER OF A RECTANGLE

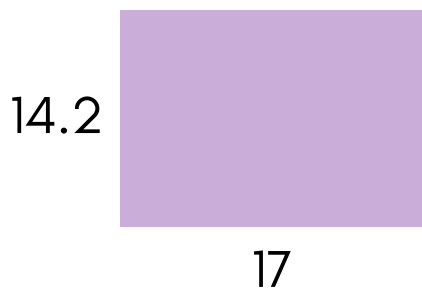
Find the perimeter of each rectangle.



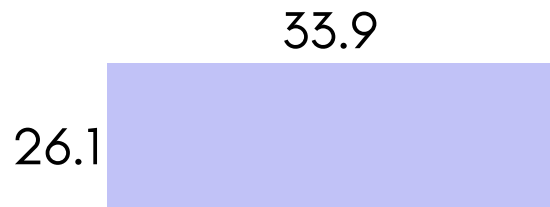
Perimeter =



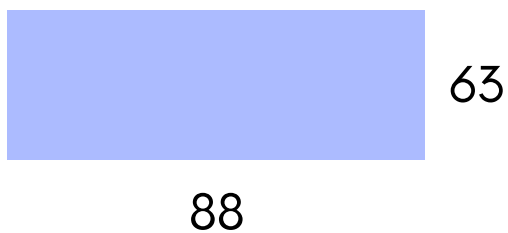
Perimeter =



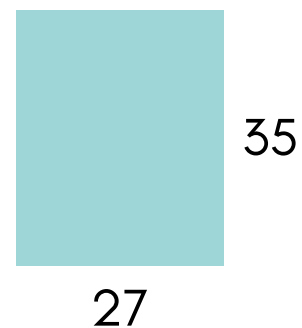
Perimeter =



Perimeter =



Perimeter =



Perimeter =

# AREA FORMULAS



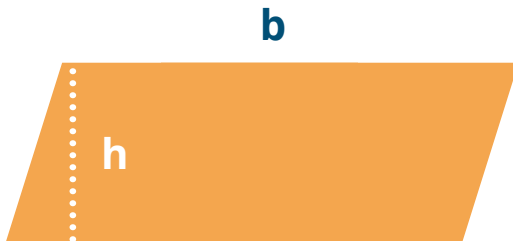
**Square**

$$A = s^2$$



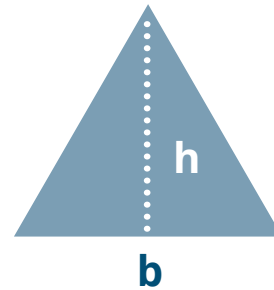
**Rectangle**

$$A = lw$$



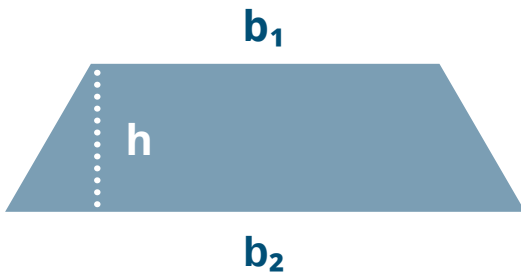
**Parallelogram**

$$A = bh$$



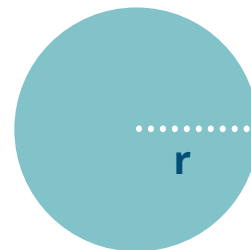
**Triangle**

$$A = \frac{1}{2}bh$$



**Trapezoid**

$$A = \frac{1}{2}h(b_1 + b_2)$$

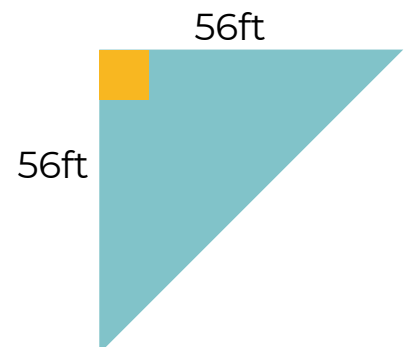
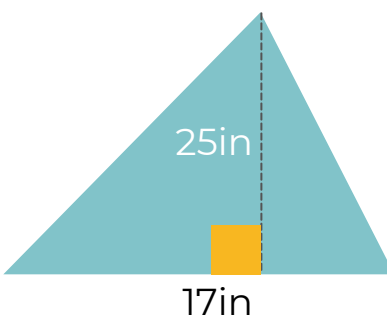
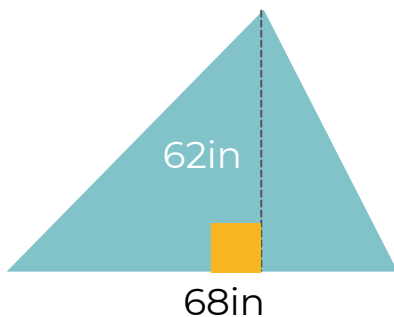
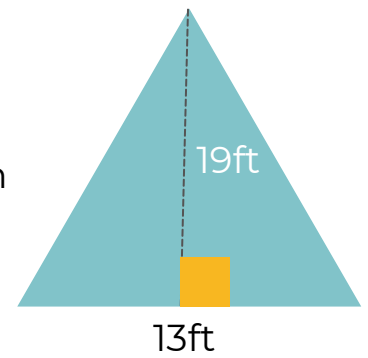
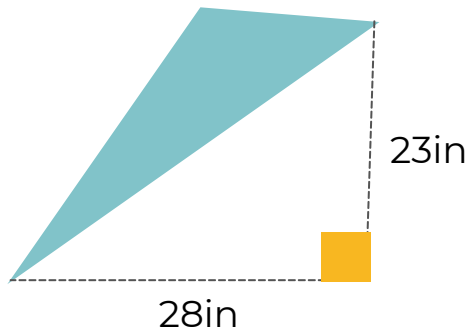
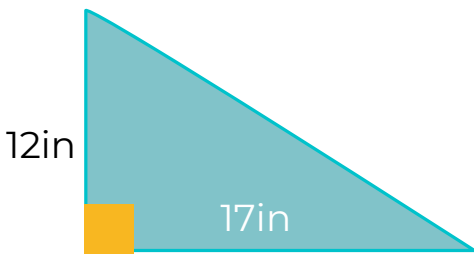
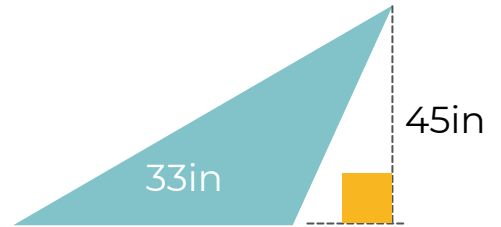
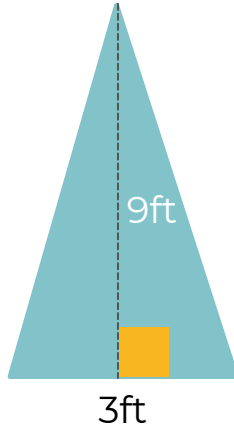
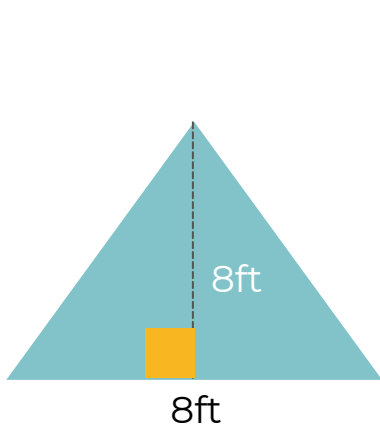


**Circle**

$$A = \pi r^2$$

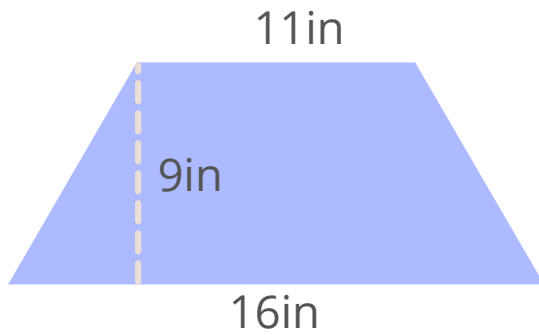
# Solving for Area: Triangles

Solve for the area of each triangle

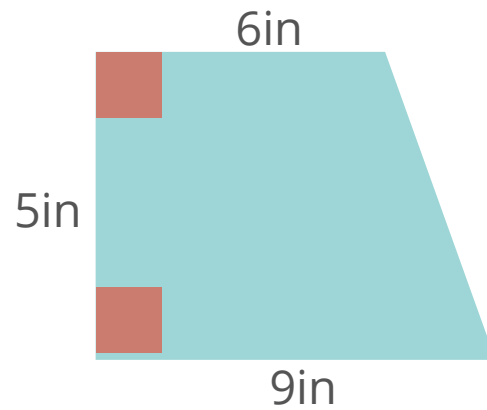


# AREA OF A TRAPEZOID

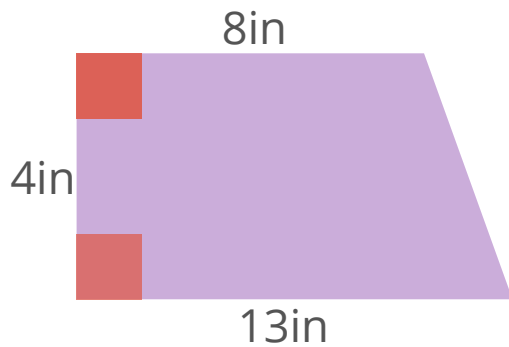
Find the area of each trapezoid.



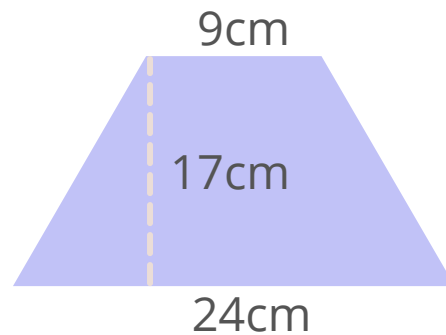
Area =



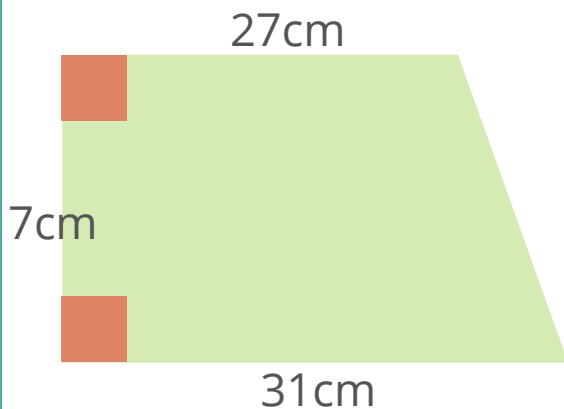
Area =



Area =



Area =



Area =



Area =

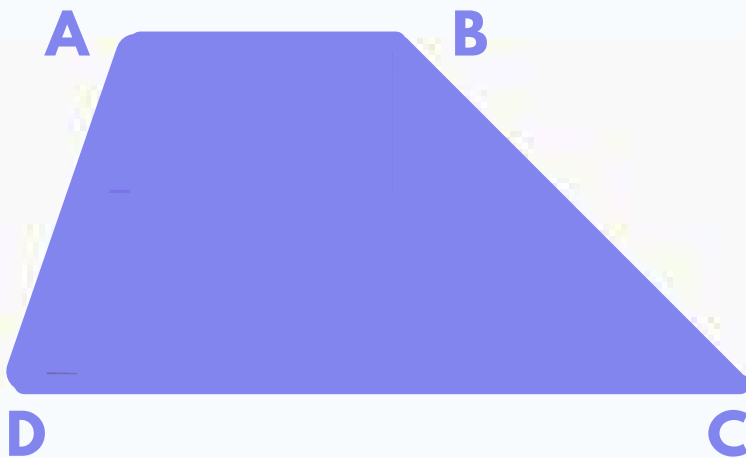
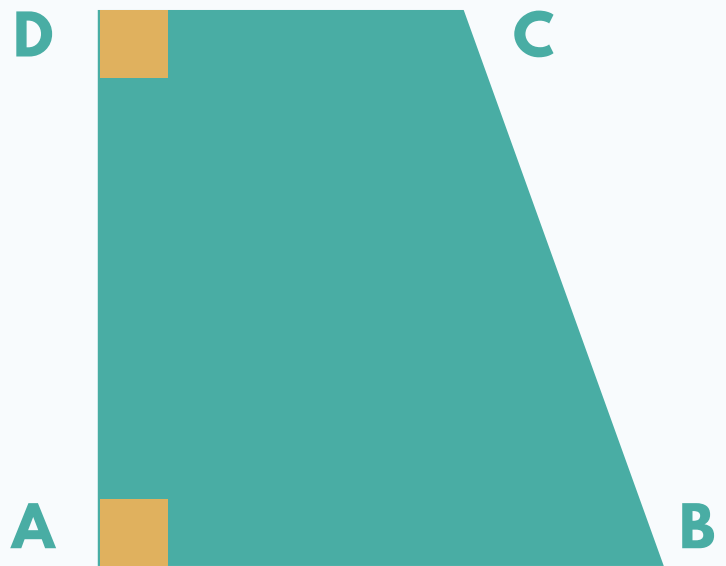
# TYPES OF TRAPEZOIDS



## Isosceles Trapezoids:

Trapezoids with equal leg lengths (the non-parallel sides)

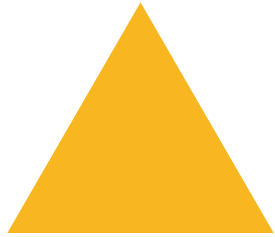
**Right Trapezoids:**  
Trapezoids that have one pair of right angles



## Scalene Trapezoids

Trapezoids that do not have equal sides or angles

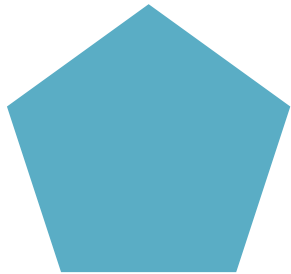
# TYPES OF POLYGONS



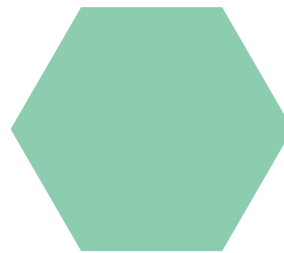
3 sides, 3 vertices, no diagonals,  
sum of interior angles is  $180^\circ$



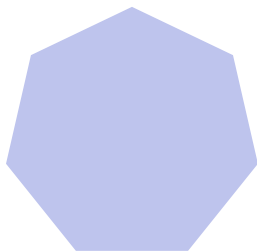
4 sides, 4 vertices, has 2 diagonals,  
sum of interior angles is  $360^\circ$



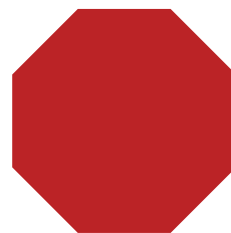
5 sides, 5 vertices, has 5 diagonals,  
sum of interior angles is  $540^\circ$



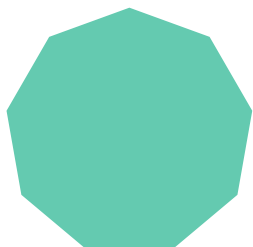
6 sides, 6 vertices, has 9 diagonals,  
sum of interior angles is  $720^\circ$



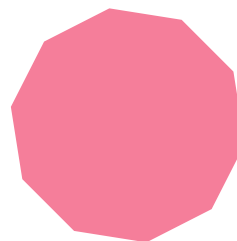
7 sides, 7 vertices, has 14 diagonals,  
sum of interior angles is  $900^\circ$



8 sides, 8 vertices, has 20 diagonals,  
sum of interior angles is  $1080^\circ$



9 sides, 9 vertices, has 27 diagonals,  
sum of interior angles is  $1260^\circ$



10 sides, 10 vertices, has 35 diagonals,  
sum of interior angles is  $1440^\circ$

# Classifying Quadrilaterals

Write the name of each quadrilateral

square rhombus rectangle parallelogram trapezoid



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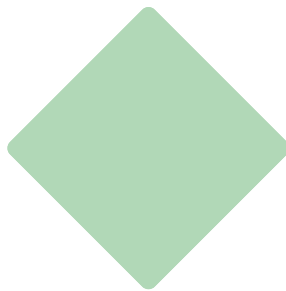
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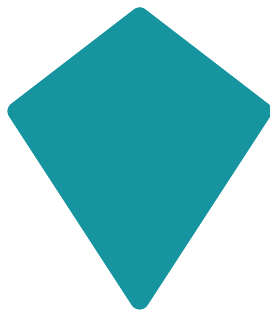
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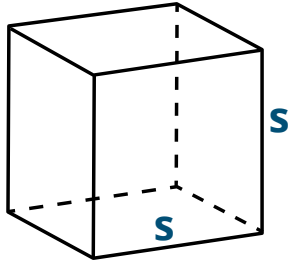
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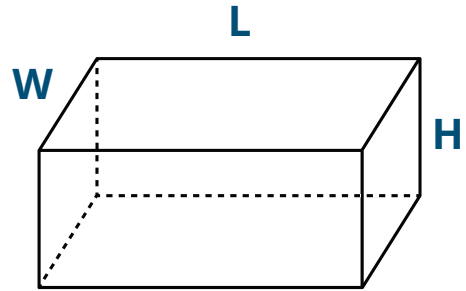


# SURFACE AREA FORMULAS



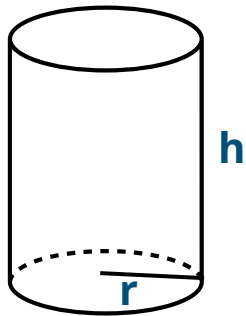
**Cube**

$$\text{Total SA} = 6s^2$$



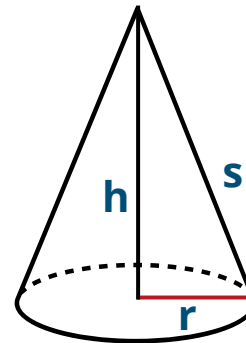
**Cuboid**

$$\text{Total SA} = 2(LW + WH + HL)$$



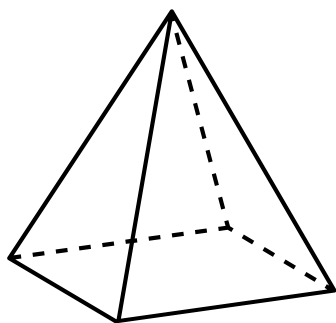
**Cylinder**

$$\text{Total SA} = 2\pi rh + 2\pi r^2$$



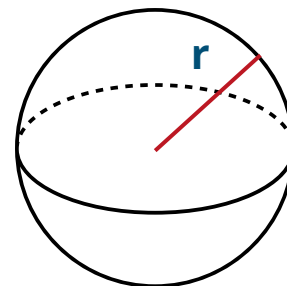
**Cone**

$$\text{Total SA} = \pi rs + \pi r^2$$



**Pyramid**

$$\text{Total SA} = 2bs + b^2$$

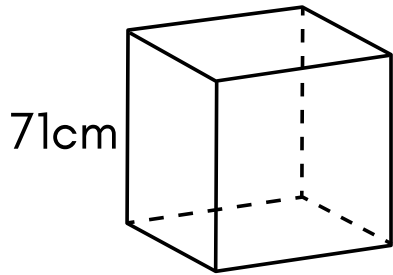


**Sphere**

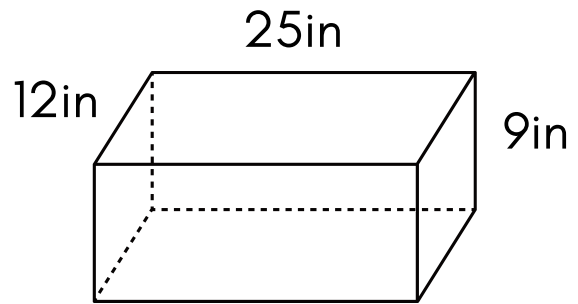
$$\text{Total SA} = 4\pi r^2$$

# SURFACE AREA PRACTICE

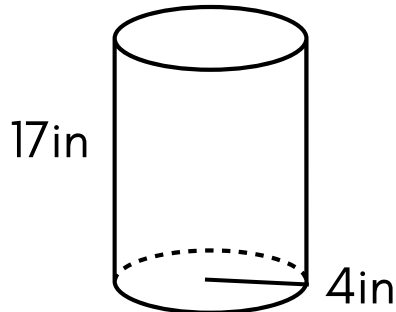
Find the total surface area of each shape



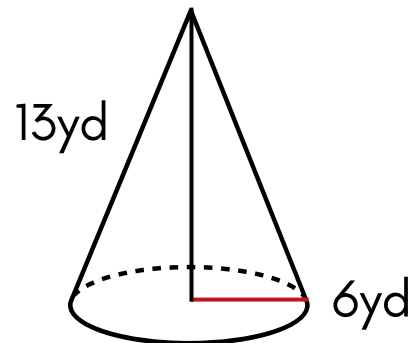
Total SA =



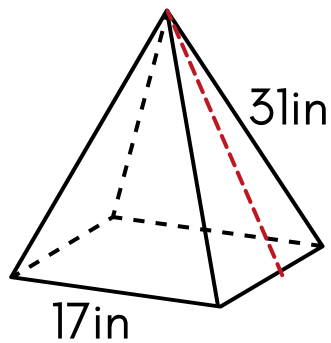
Total SA =



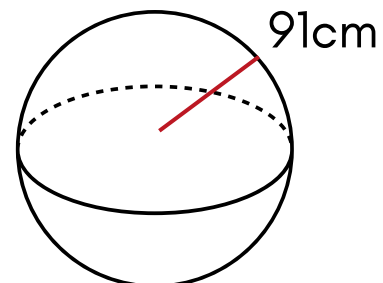
Total SA =



Total SA =



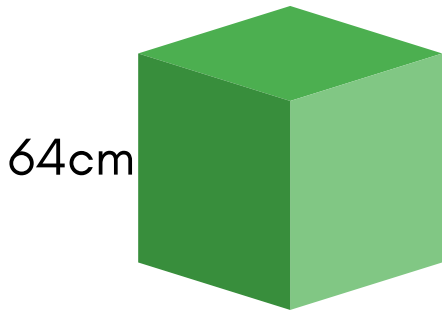
Total SA =



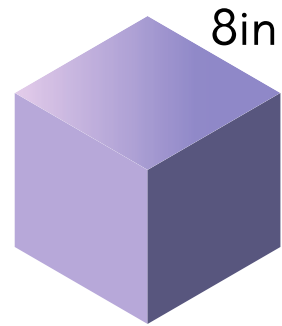
Total SA =

# SURFACE AREA OF A CUBE

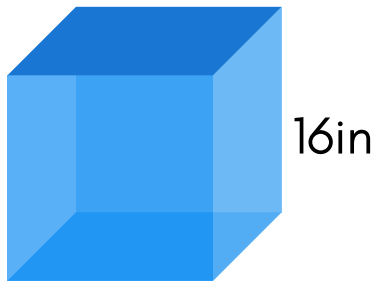
Find the total surface area of each cube



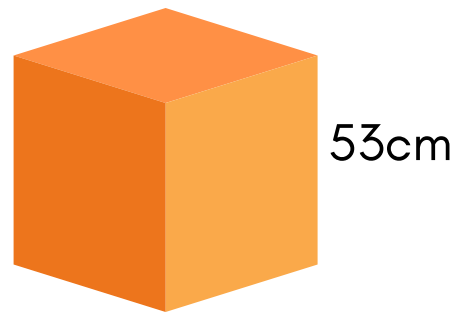
Total SA =



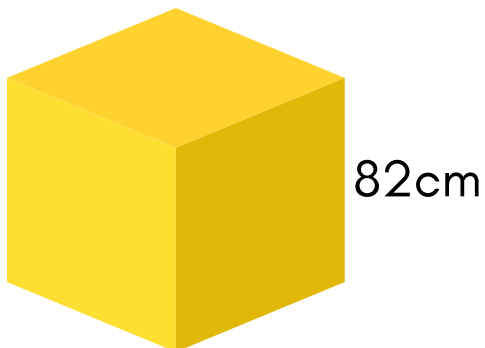
Total SA =



Total SA =



Total SA =



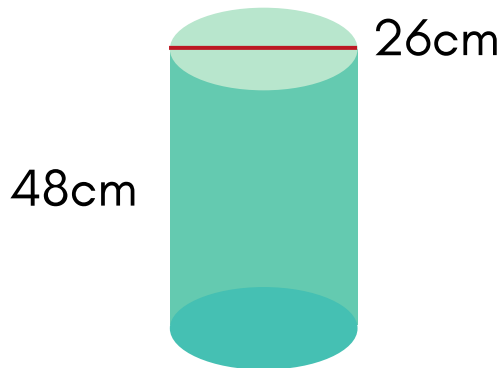
Total SA =



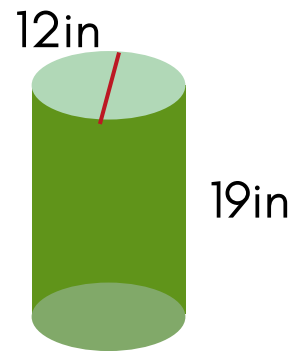
Total SA =

# SURFACE AREA OF A CYLINDER

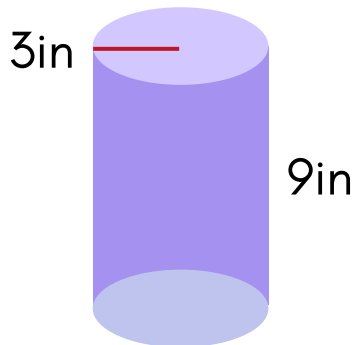
Find the total surface area of each cylinder



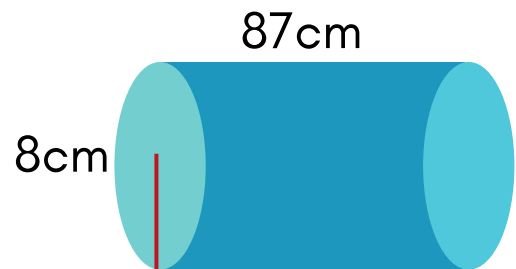
Total SA =



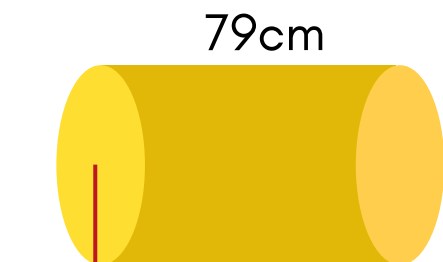
Total SA =



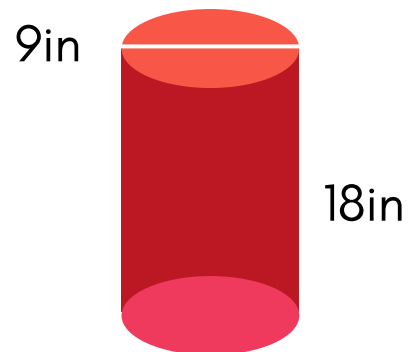
Total SA =



Total SA =



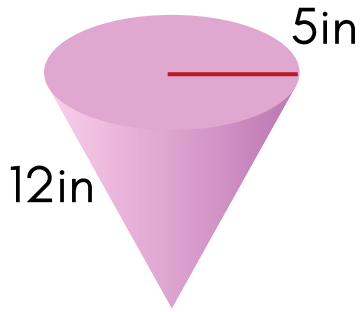
Total SA =



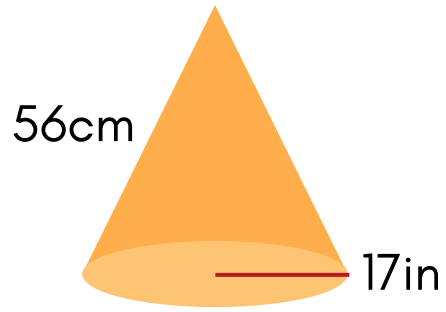
Total SA =

# SURFACE AREA OF A CONE

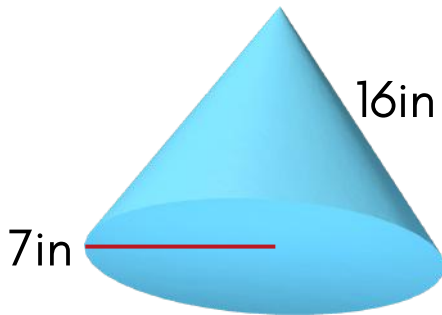
Find the total surface area of each cone



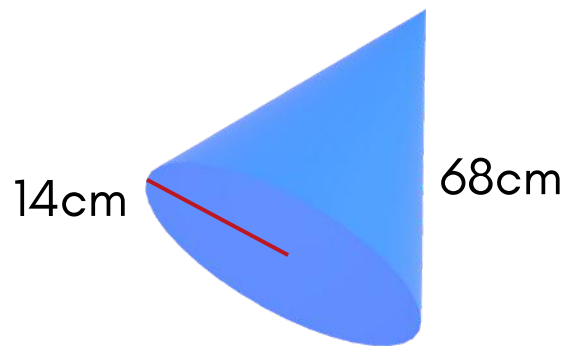
Total SA =



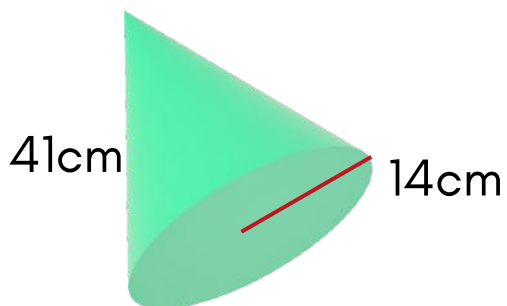
Total SA =



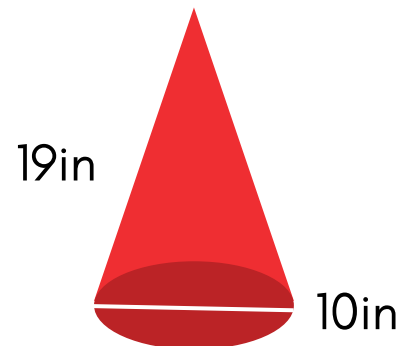
Total SA =



Total SA =

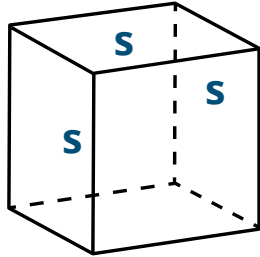


Total SA =



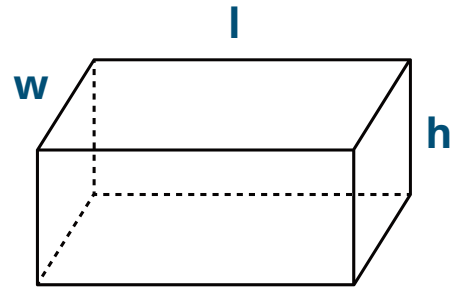
Total SA =

# VOLUME FORMULAS



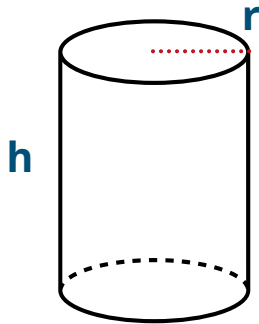
**Cube**

$$V = s^3$$



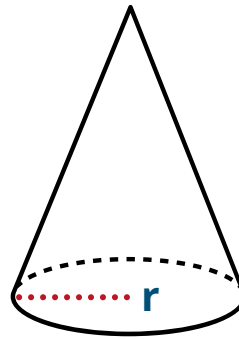
**Cuboid**

$$V = lwh$$



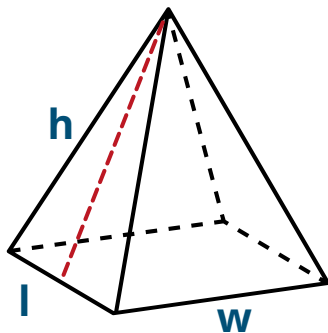
**Cylinder**

$$V = \pi r^2 h$$



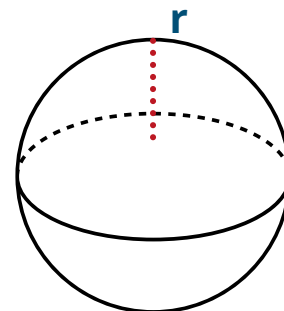
**Cone**

$$V = \frac{1}{3} \pi r^2 h$$



**Rectangular Pyramid**

$$V = \frac{1}{3} lwh$$

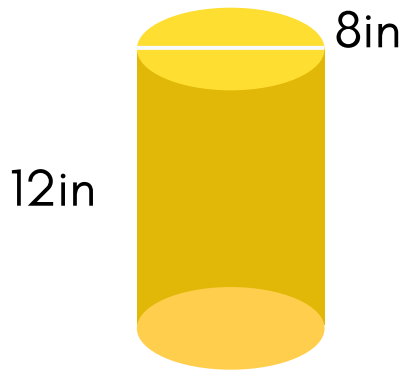


**Sphere**

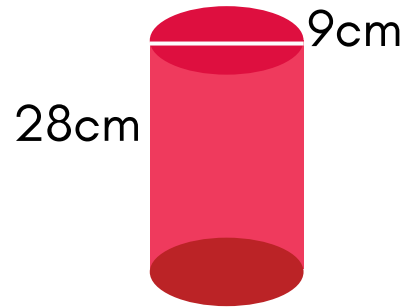
$$V = \frac{4}{3} \pi r^3$$

# VOLUME OF A CYLINDER

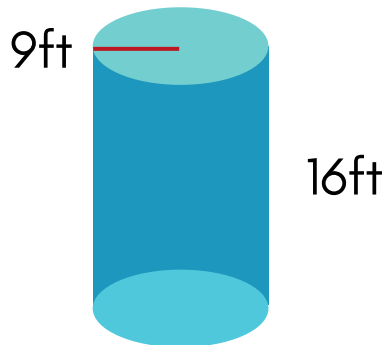
Find the total surface area of each cylinder



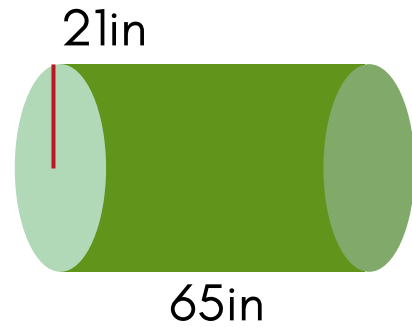
$V =$



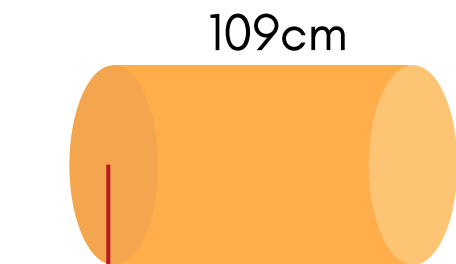
$V =$



$V =$

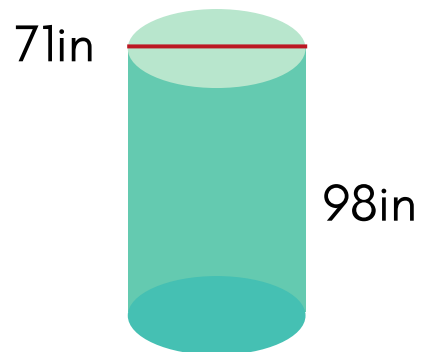


$V =$



42cm

$V =$



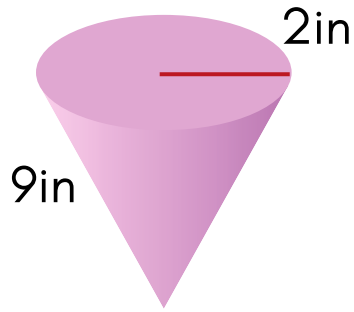
71in

98in

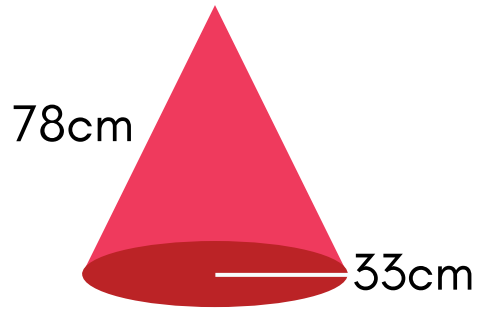
$V =$

# VOLUME OF A CONE

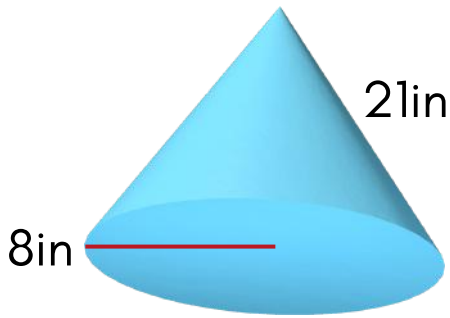
Find the volume of each cone



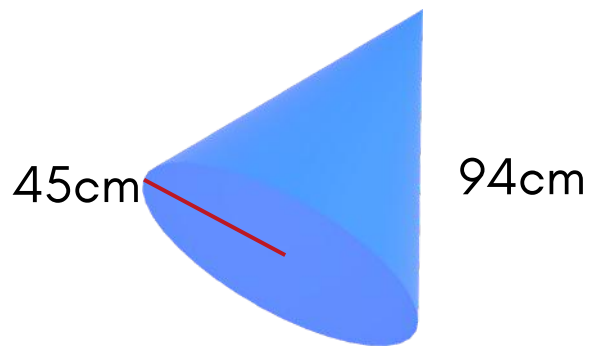
$V =$



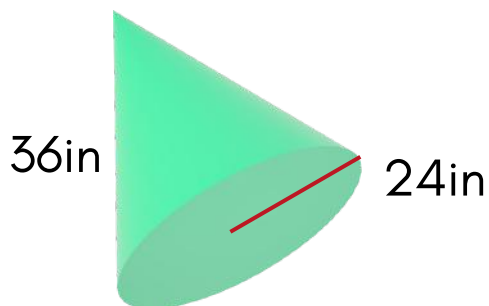
$V =$



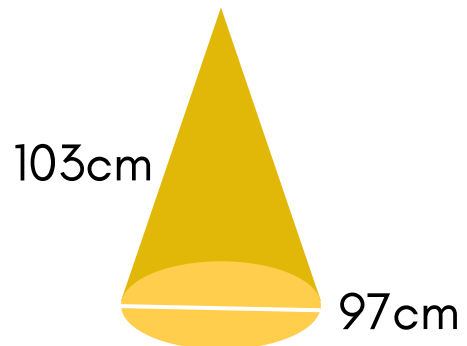
$V =$



$V =$



$V =$

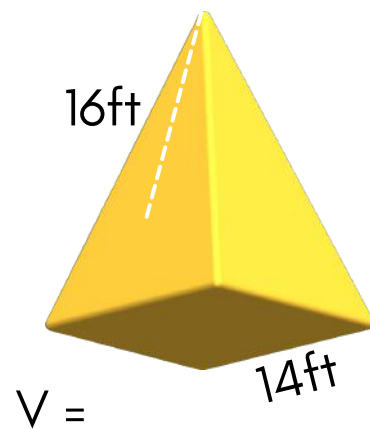
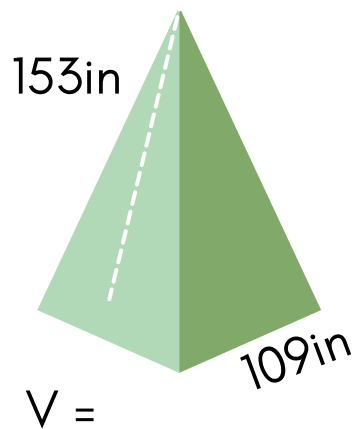
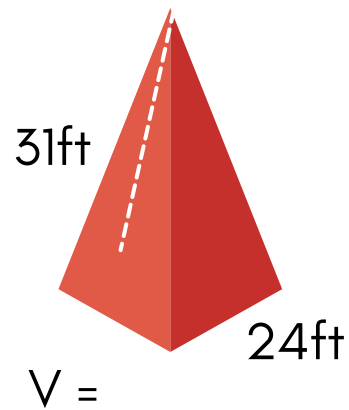
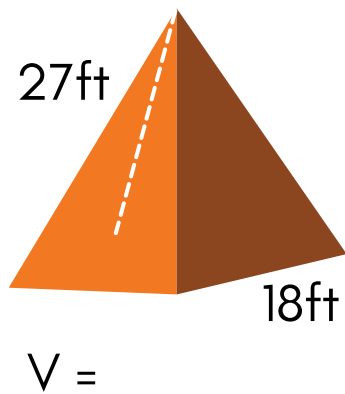
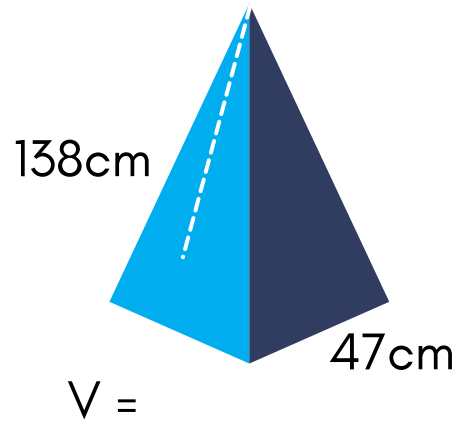
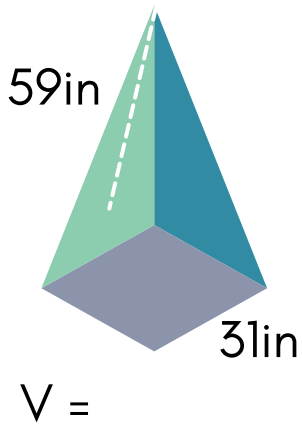


$V =$



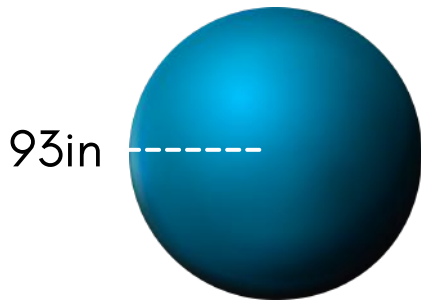
# VOLUME OF PYRAMID

Find the volume of each pyramid



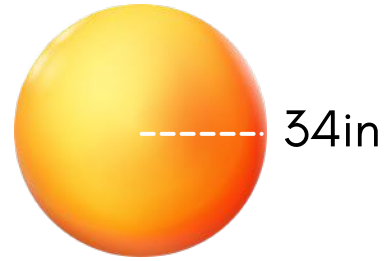
# VOLUME OF A SPHERE

Find the total surface area of each cone



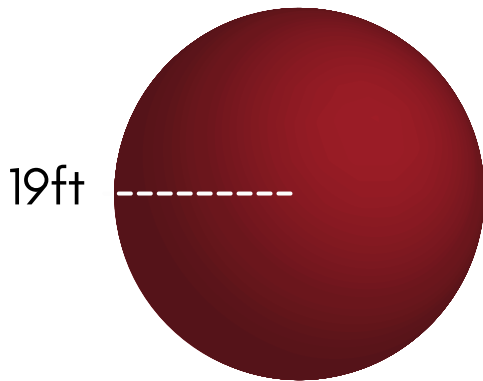
93in

$V =$



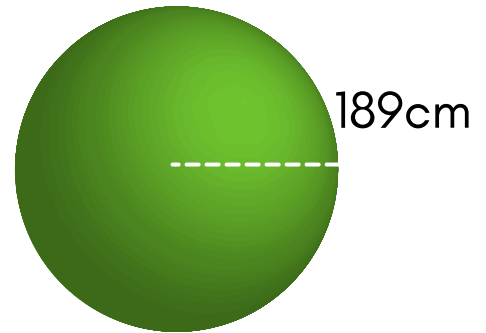
34in

$V =$



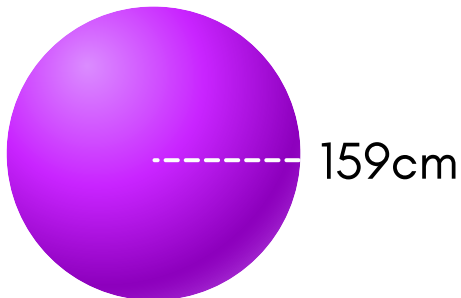
19ft

$V =$



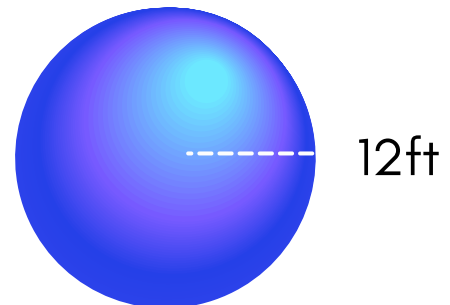
189cm

$V =$



159cm

$V =$



12ft

$V =$

# TYPES OF LINES, SEGMENTS, AND RAYS

## Point

A **point** is an exact location in a space. It has no dimension so it can't be measured.



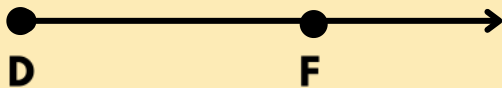
## Line

A **line** is perfectly straight and extends forever in both directions.



## Ray

A **Ray** is a part of a line, with one endpoint, that continues without end in one direction



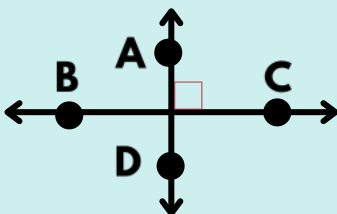
## Line Segment

A **Line Segment** is a finite portion of a line, it includes two end points



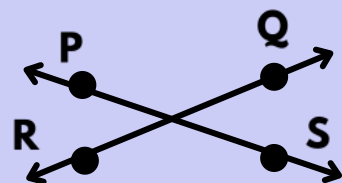
## Perpendicular Lines

**Perpendicular Lines** are two lines that intersect to form four right angles



## Intersecting Lines

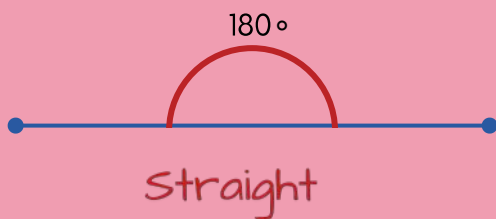
**Intersecting Lines** are lines that cross at exactly one point



# TYPES OF ANGLES

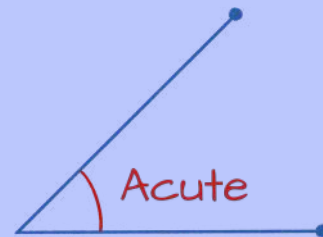
## Straight Angle

A **straight angle** is an angle that measures exactly  $180^\circ$



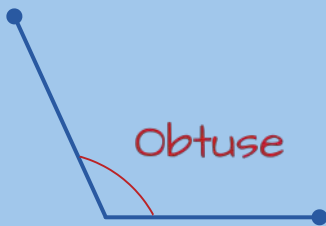
## Acute Angle

An **acute angle** is an angle that is less than  $90^\circ$



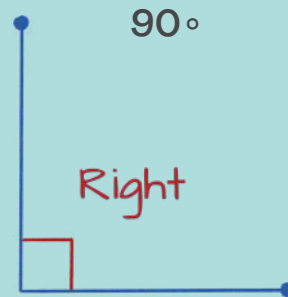
## Obtuse Angle

An **obtuse angle** measures more than  $90^\circ$  but less than  $180^\circ$



## Right Angle

A **right angle** is an angle that measures exactly  $90^\circ$



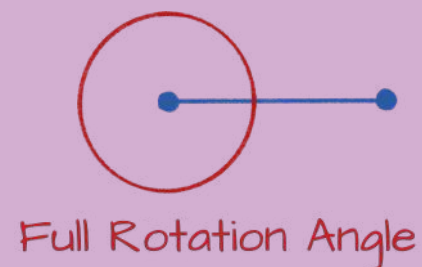
## Reflex Angle

A **reflex angle** is greater than  $180^\circ$  and less than  $360^\circ$



## Full Rotation Angle

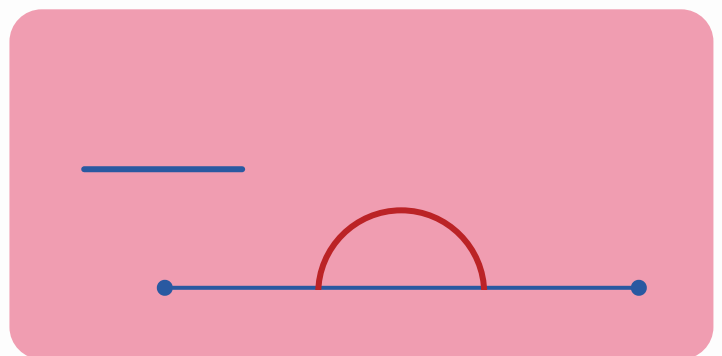
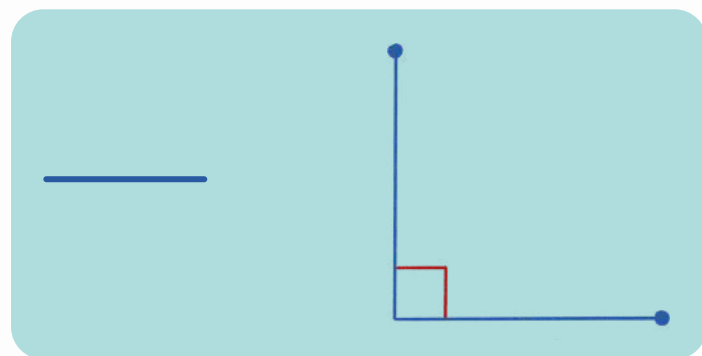
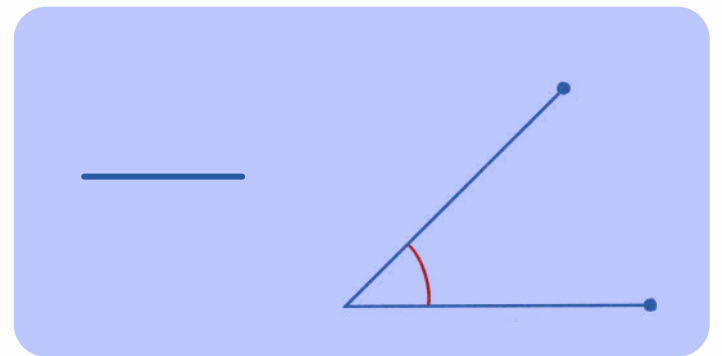
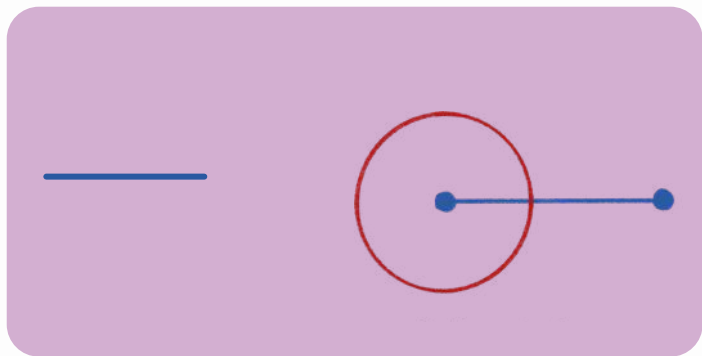
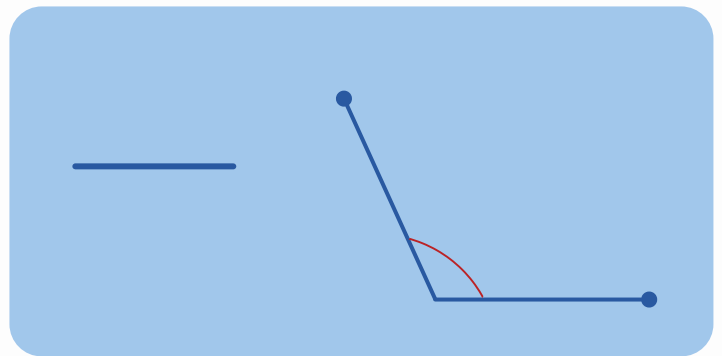
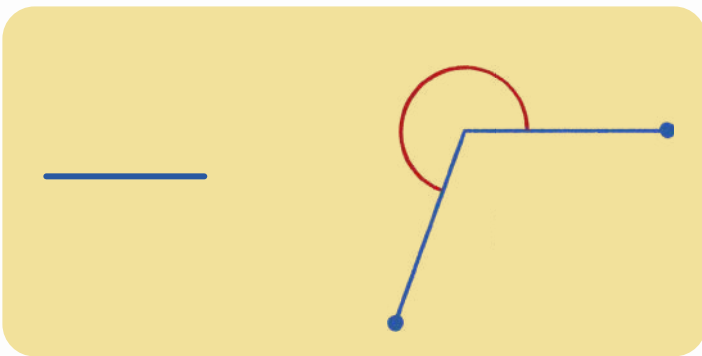
A **full rotation angle** is an angle equal to  $360^\circ$



# TYPES OF ANGLES

Match the correct number for each angle

1. Right Angle    2. Obtuse Angle    3. Straight Angle  
4. Acute Angle    5. Full Rotation Angle    6. Reflex Angle



# ANGLE IDENTIFICATION

- Acute triangles have three angles less than  $90^\circ$
- Obtuse triangles have one obtuse angle greater than  $90^\circ$
- Right triangles have one  $90^\circ$  angle
- Equilateral triangles have three equal angles
- Isosceles triangles have two equal angles
- Scalene triangles have no equal angles

**Name each of these triangles using its angles.**

1. Triangle ABC has angles that measure  $100^\circ$ ,  $40^\circ$ , and  $40^\circ$  \_\_\_\_\_

2. Triangle DEF has angles that measure  $60^\circ$ ,  $70^\circ$ , and  $50^\circ$  \_\_\_\_\_

3. Triangle GHI has angles that measure  $60^\circ$ ,  $60^\circ$ , and  $60^\circ$  \_\_\_\_\_

4. Triangle JKL has angles that measure  $110^\circ$ ,  $30^\circ$ , and  $40^\circ$  \_\_\_\_\_

5. Triangle MNO has angles that measure  $90^\circ$ ,  $45^\circ$ , and  $45^\circ$  \_\_\_\_\_

6. Triangle PQR has angles that measure  $90^\circ$ ,  $40^\circ$ , and  $50^\circ$  \_\_\_\_\_

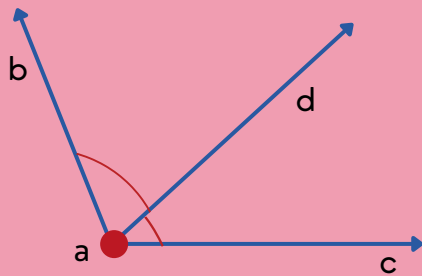
7. Triangle STU has angles that measure  $80^\circ$ ,  $50^\circ$ , and  $50^\circ$  \_\_\_\_\_

8. Triangle VWX has angles that measure  $130^\circ$ ,  $30^\circ$ , and  $20^\circ$  \_\_\_\_\_

# TYPES OF ANGLE PAIRS

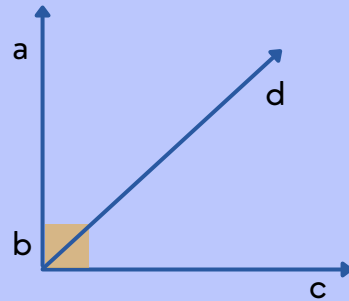
## Adjacent Angles

Angles that share a vertex, one side, and no interior points.



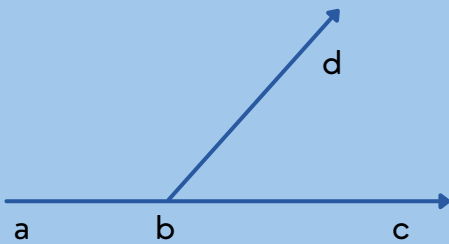
## Complementary Angles

Two angles that add up to  $90^\circ$



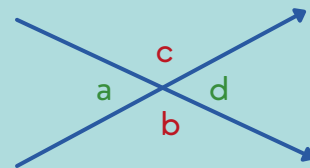
## Supplementary Angles

Two angles that add up to  $180^\circ$



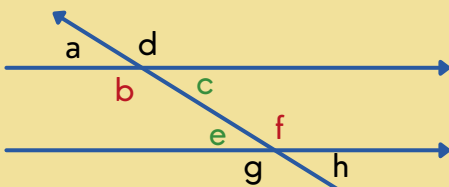
## Vertical Angles

When two lines intersect two pairs of congruent angles are formed (Angles are opposite to each other)



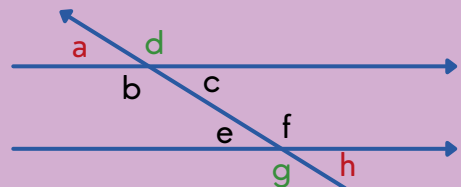
## Alternate Interior Angles

When a transversal intersects a pair of lines, alternate interior angles are formed on opposite sides of the transversal



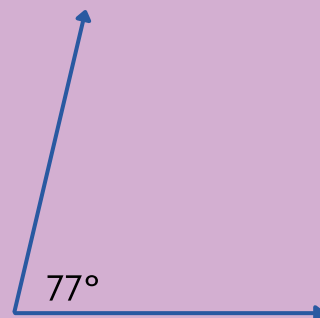
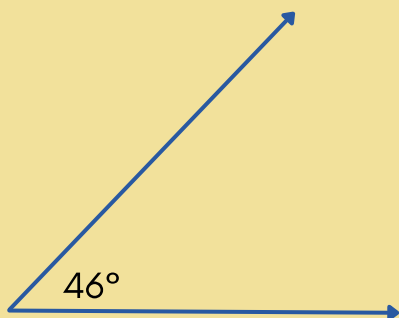
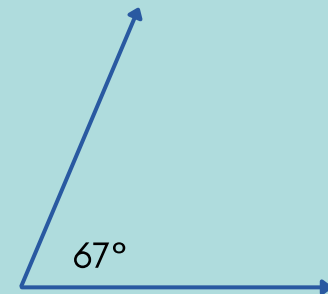
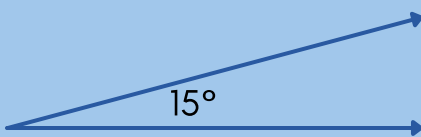
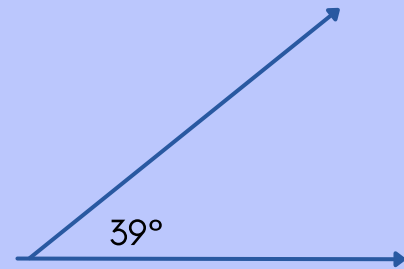
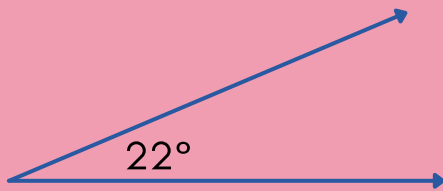
## Alternate Exterior Angles

When two lines are crossed by a transversal, the opposite angle pairs on the outside of the lines are alternate exterior angles.



# COMPLEMENTARY ANGLES

Draw an angle that is complementary to the given angle





# SUPPLEMENTARY ANGLES

Draw an angle that is complementary to the given angle

