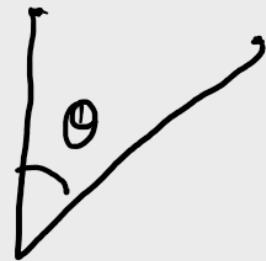
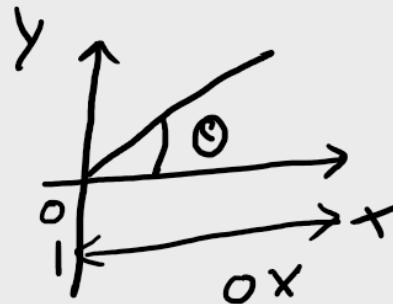
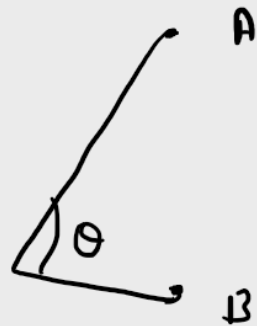
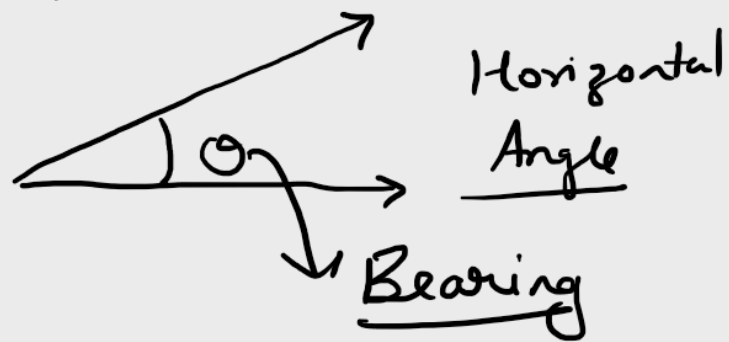
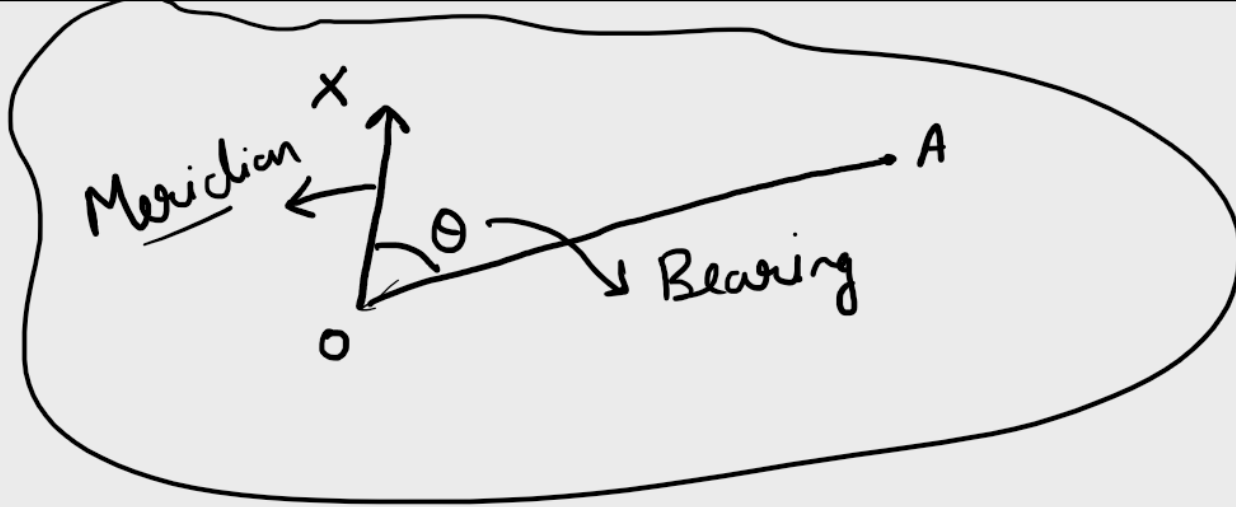


Module-2 Compass Surveying

Chapter-5 (In B.C. Punmia)

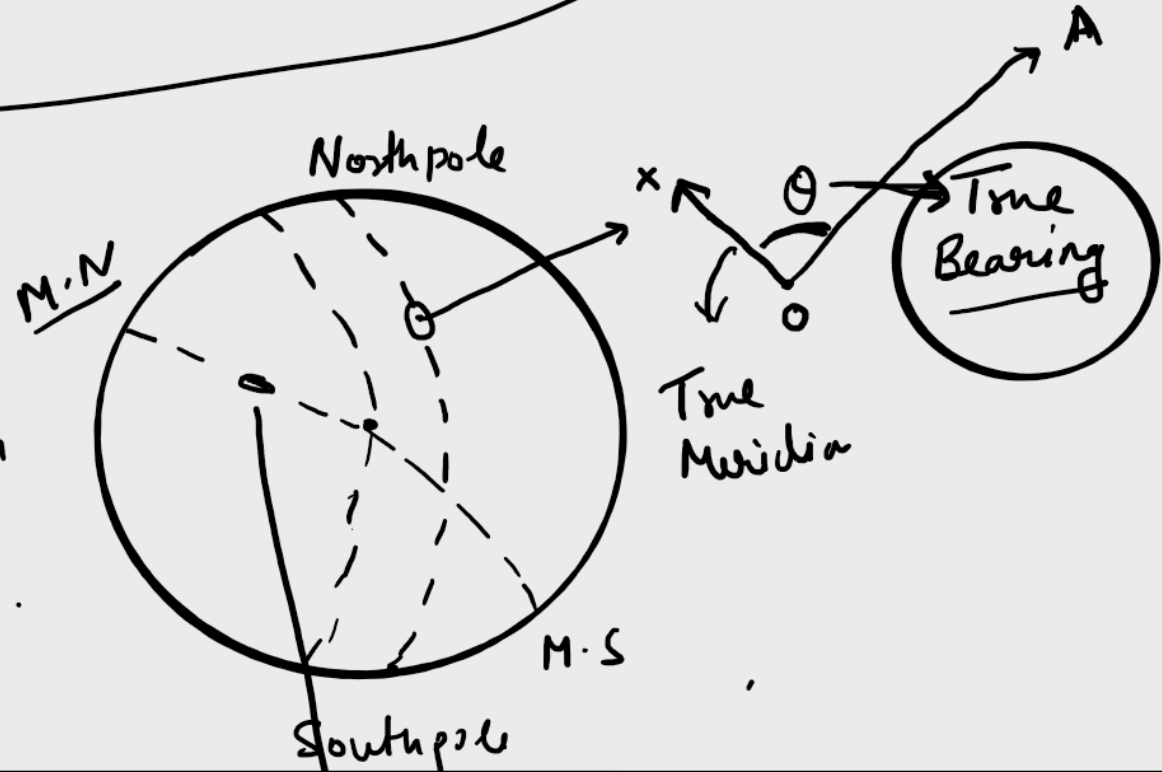




Types of Meridian

(a) True Meridian.

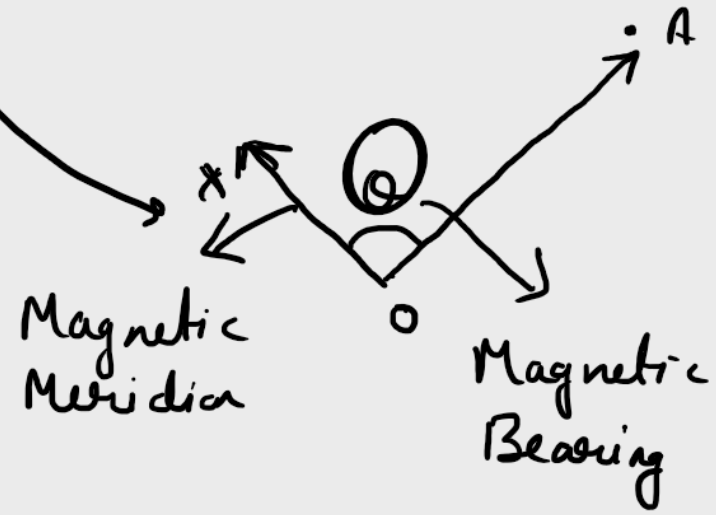
Any line connecting true north & true south of earth is called true meridian



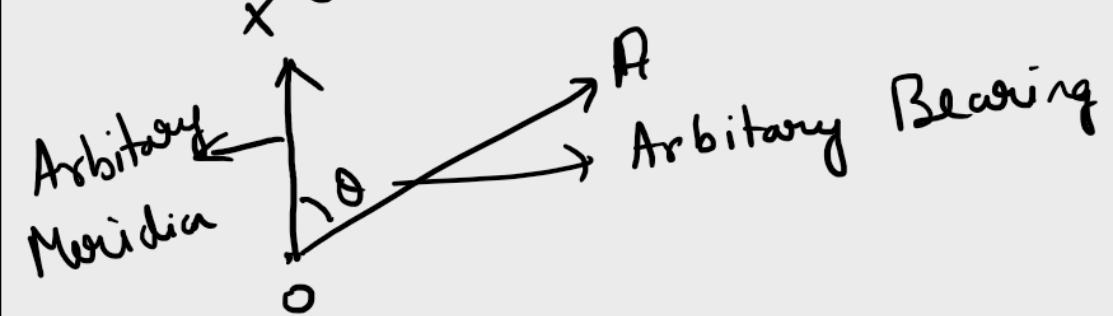
South pole

(b) Magnetic Meridian

→ line connecting magnetic north & magnetic south on earth
is known as Magnetic Meridian



Arbitrary Meridian



Types of Bearing

- (a) True Bearing
- (b) Magnetic Bearing ✓
- (c) Arbitrary Bearing

* Systems of Bearing

- (a) Whole Circle Bearing System (W.C.B)
- (b) Quadrantal Bearing System / Reduced Bearing System (Q.B)

(a) Whole Circle Bearing System

Reference $\rightarrow$ North

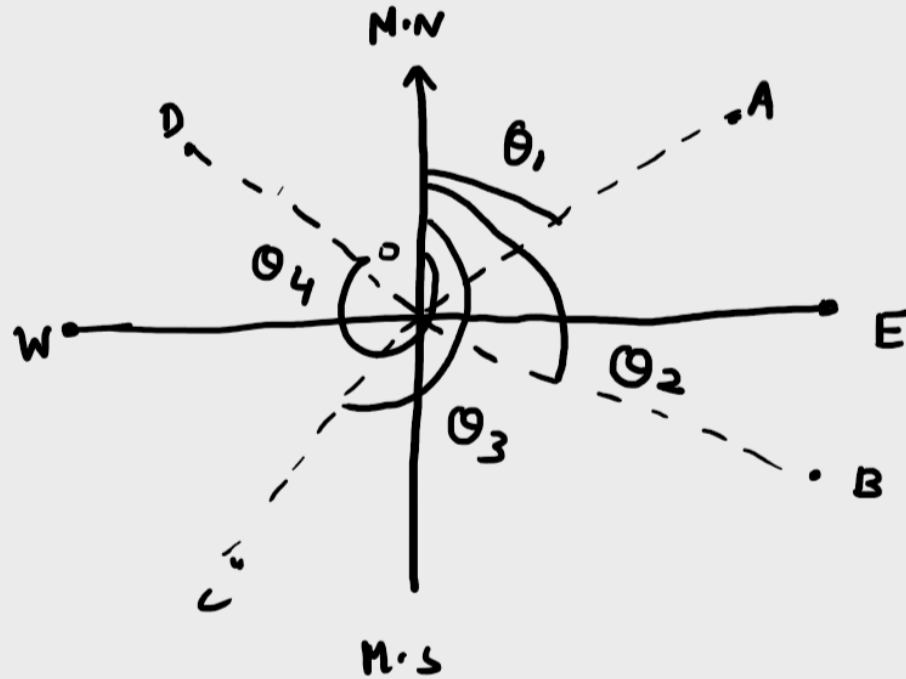
$\theta \rightarrow 0^\circ - 360^\circ$

$OA \rightarrow \theta_1$, $OB \rightarrow \theta_2$

$OE \rightarrow \theta_3$, $OD \rightarrow \theta_4$

Representation - θ

Movement $\rightarrow$ clockwise



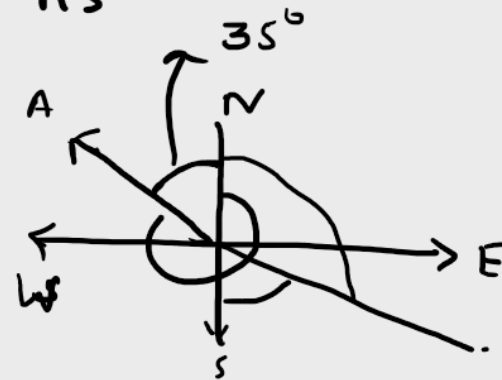
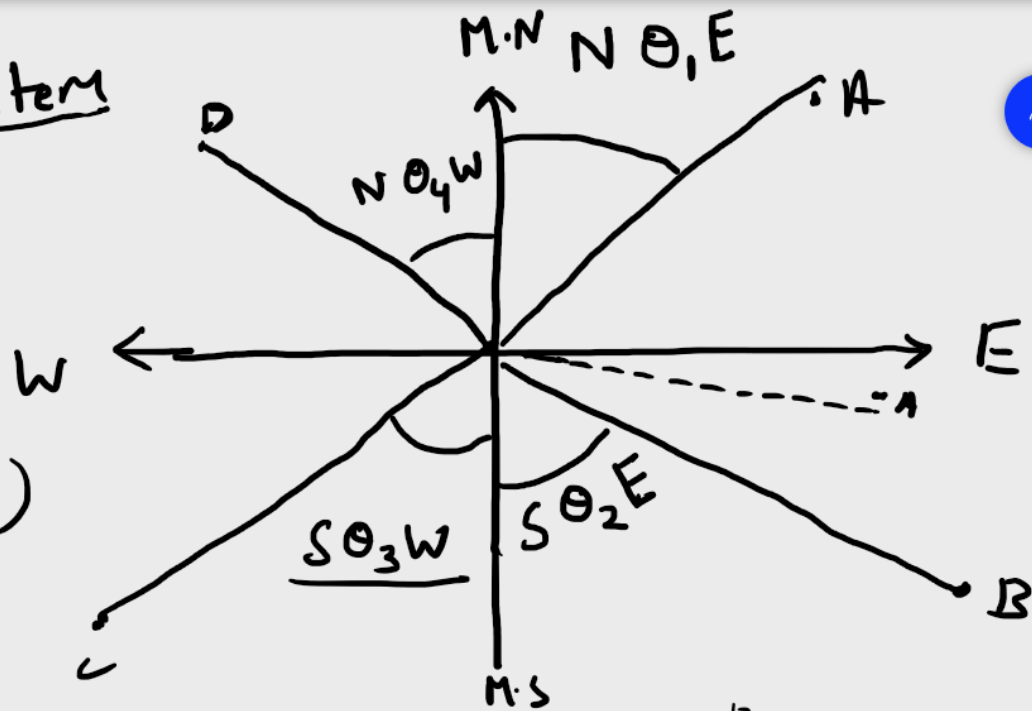
(b) Quadrantal Bearing System

Reference $\rightarrow$ North, South
 Representation $\rightarrow$ $N\theta E$, $N\theta W$
 Movement $\rightarrow$ (clockwise,
 Anticlockwise)

$\theta \rightarrow 0^\circ - 90^\circ$

W.C.B $\rightarrow$ Q.B
 Q.B $\rightarrow$ W.C.B

Q. 325° , 99° (W.C.B $\rightarrow$ Q.B) -

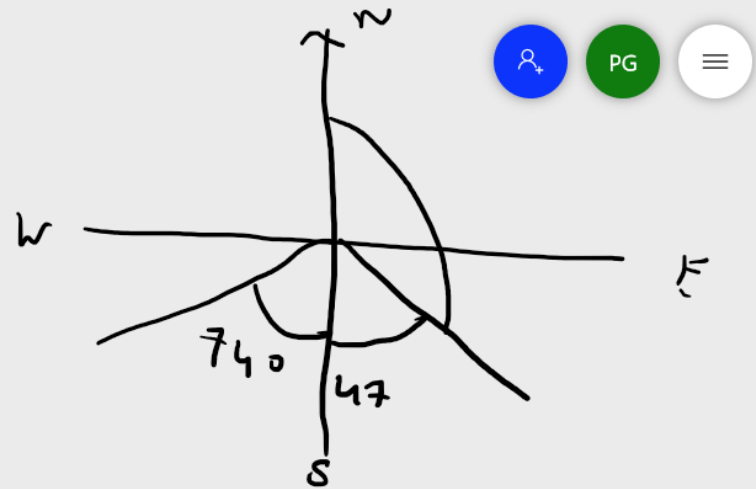


N 35° W, S 81° E

S 47° E, S 74° W

133°

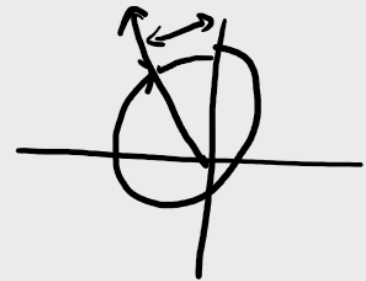
$$180 + 74 = 254^\circ$$



Q. Convert W.C.B into QB

346°, 287°, 173°, 42°

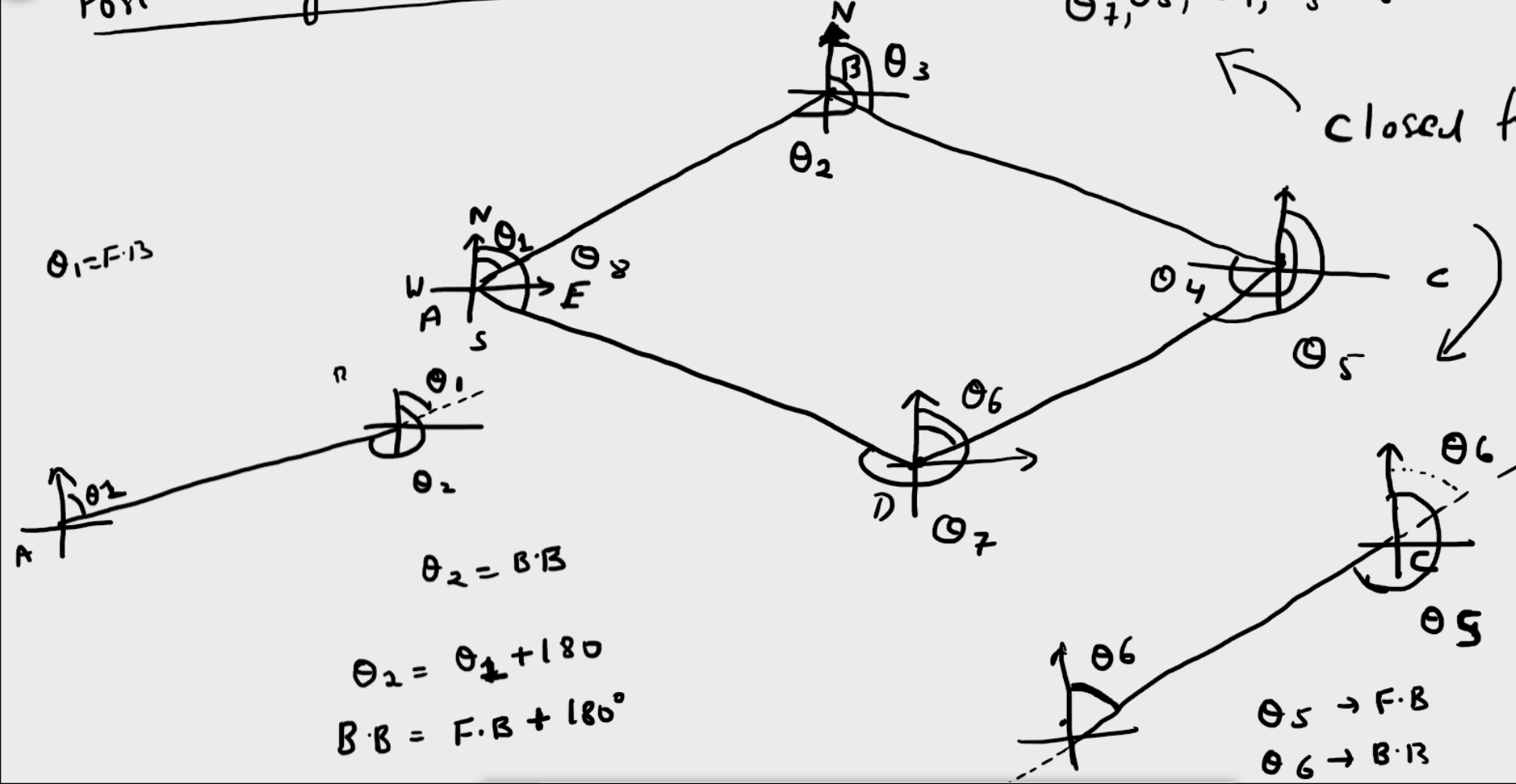
N 14° W, N 73° W, S 7° E, N 42° E



Fore Bearing and Back Bearing

$\theta_8, \theta_6, \theta_4, \theta_2 \rightarrow$ Back Bearing
 $\theta_7, \theta_5, \theta_1, \theta_3 \rightarrow$ fore Bearing

closed traverse



$$\theta_1 = F.B$$

$$\theta_2 = B.B$$

$$\theta_2 = \theta_1 + 180^\circ$$

$$B.B = F.B + 180^\circ$$

$$\theta_5 \rightarrow F.B$$

$$\theta_6 \rightarrow B.B$$

$$B.B = F.B \pm 180^\circ$$

$$\left[\begin{array}{l} + \text{ when } F.B < 180^\circ \\ - \text{ when } F.B \geq 180^\circ \end{array} \right]$$

$$\theta_6 + 180 = \theta_5$$

$$\theta_6 = \theta_5 - 180^\circ$$

$$B.B = F.B - 180^\circ$$

Q F.B, 45° , 98° , 138° , 272° , 195° , 352°

B.B = $45 + 180$, $98 + 180$, $138 + 180$, $272 - 180$, $352 - 180$
 $195 - 180$, ~~$352 - 180$~~

Q (F.B) N 45° W, N 65° E, S 89° W, S 34° E
 ↓ ↓ ↓ ↓ ↓ ↓
 (B.B) S 45° E, S 65° W, N 89° E, N 34° W

$$B.B = 90^\circ$$

$$B.B = F.B \pm 180^\circ$$

$$90 = F.B \pm 180^\circ$$

$$F.B = 270^\circ$$

$$12 \times 256$$

$$256^\circ = F.B \pm 180$$

$$256 - 180 = F.B$$

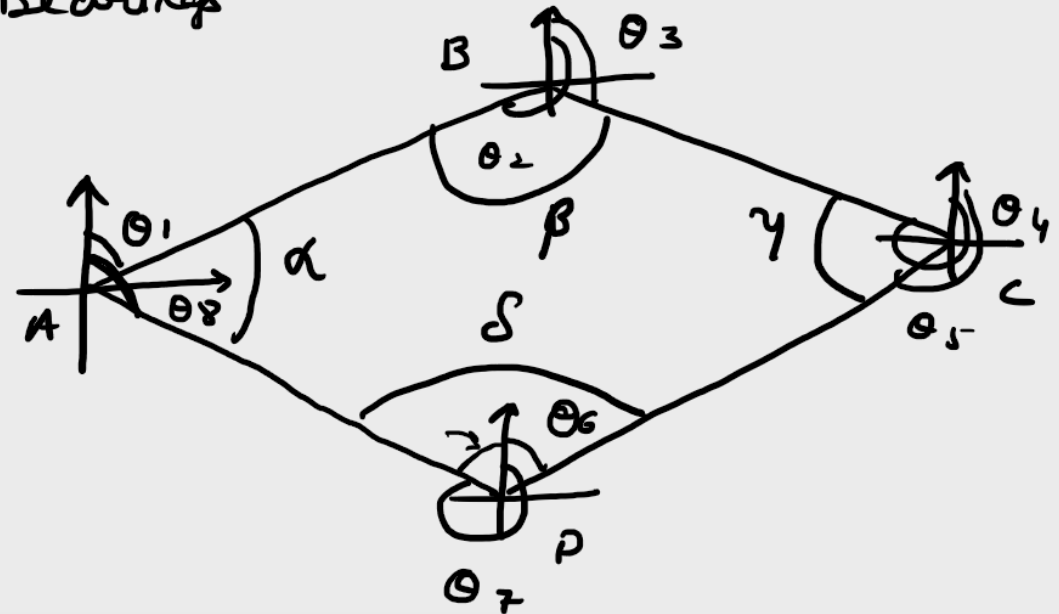
Interior Angle Measurement from Bearings

$$\beta = \theta_2 - \theta_3$$

$$\alpha = \theta_8 - \theta_1$$

$$\gamma = \theta_4 - \theta_5$$

$$\delta = \theta_6 + 360 - \theta_7$$



$$\beta = \text{B.B of AB} - \text{F.B of BC} \\ = \text{B.B of previous line} - \text{F.B of next line } (+) \checkmark$$

$$\alpha = \text{B.B of DA} - \text{F.B of AB} \\ = \text{B.B of previous line} - \text{F.B of next line } (+) \checkmark$$

$$\gamma = \text{B.B of BC} - \text{F.B of CD} \\ = \text{B.B of Previous line} - \text{F.B of Next line } (+) \checkmark$$

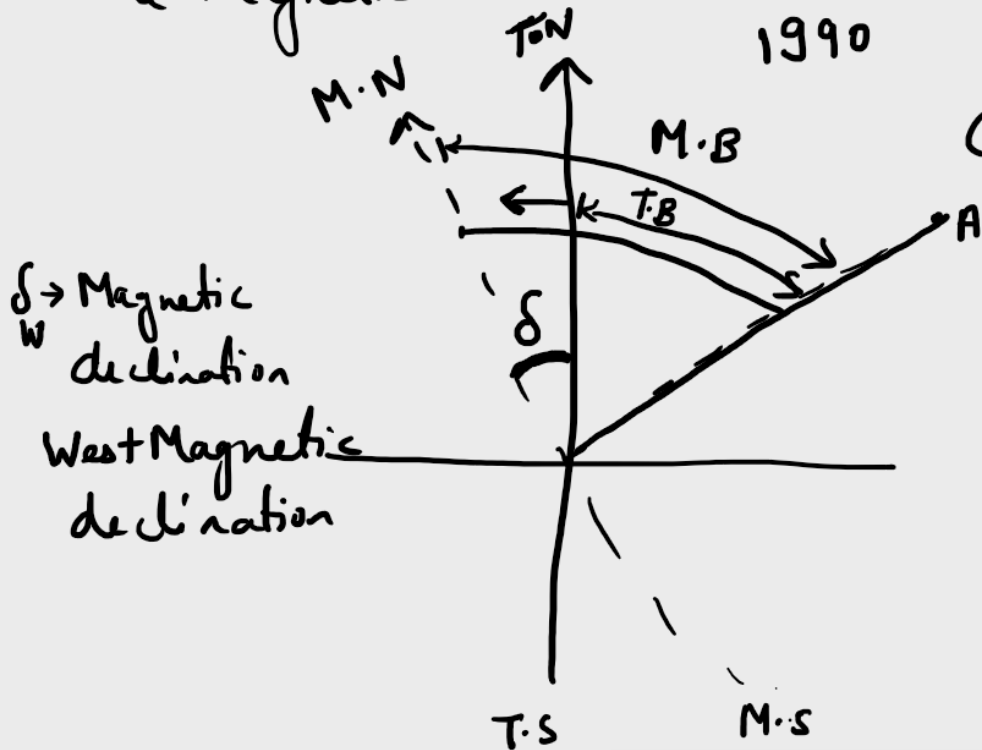
$$\delta = \text{B.B of CD} - \text{F.B of DA} \\ = \text{B.B of previous line} - \text{F.B of Next line}$$

$$\text{C- (Exterior)} \\ + \underline{360^\circ}$$

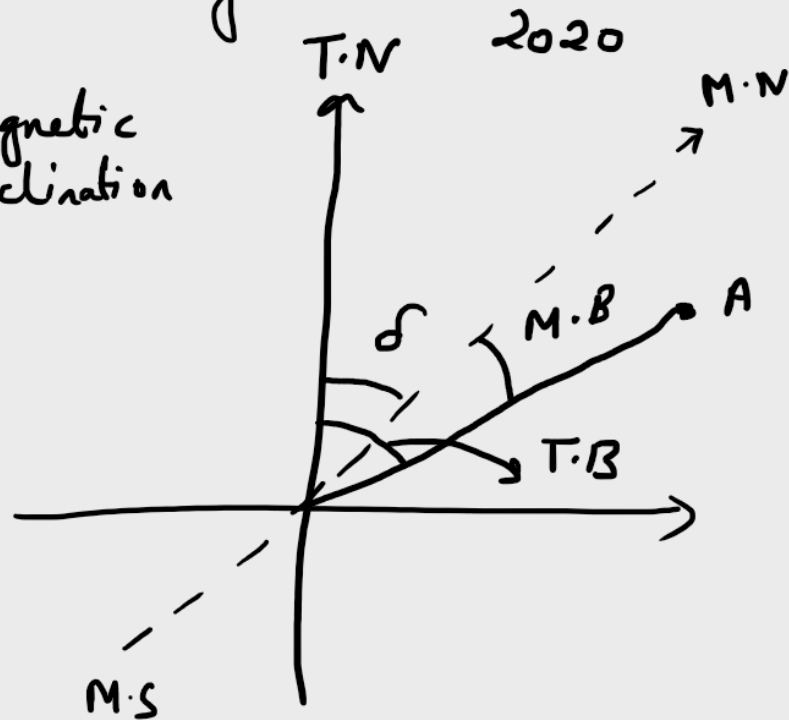
Magnetic Declination.

The difference of horizontal angle b/w True Meridian

& Magnetic Meridian is known as Magnetic declination



$\delta_E \rightarrow$ Magnetic (East) Declination



$$\text{T.B} = \text{M.B} - \delta_w$$

$$\text{T.B} = \frac{\text{M.B}}{\text{T.B}} + \frac{\delta_E}{\text{T.B}}$$

Q. Magnetic Bearing is 356°
 And declination is 4° W in 2019, δ is 6° West in 1992,
 find. Magnetic Bearing in 2019

Solution

$$\text{T.B (2019)} = \text{T.B (2019)} (2012)$$

$$\text{T.B} = \text{M.B} - \delta_w$$

$$\text{T.B} = 356^\circ - 6^\circ = 350^\circ$$

Solution

$$T.B \text{ (2012)} = T.B \text{ (2019)} \text{ (2012)}$$

$$\widehat{T.B} = M.B - \delta_w$$

$$T.B = 356^\circ - 6^\circ = 350^\circ$$

$$T.B = \underline{350^\circ} \quad (\underline{2019})$$

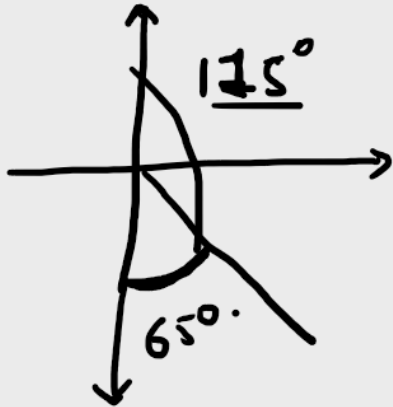
$$T.B = M.B - \delta_w$$

$$350^\circ = M.B - 4^\circ$$

$$M.B = 354^\circ$$

Question Magnetic Bearing of line is $S 65^\circ E$ & declination is $(6^\circ E)$, find true Bearing of line.

Ans $S 59^\circ E$, $S 71^\circ E$



$$T.B = M.B + \delta$$

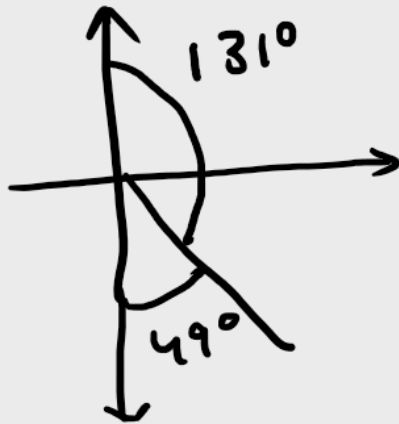
$$T.B = 115 + 6$$

$$= (121^\circ)$$

$$T.B = S 59^\circ E$$

Q. Magnetic Bearing of line is $4^\circ W$, find true Bearing of line
is $4^\circ W$, find true Bearing of line

Soln $S 53^\circ E (V)$



$$T.B = M.B - \delta$$

$$T.B = 131 - 4$$

$$= 127^\circ$$

$$T.B = S 53^\circ E$$

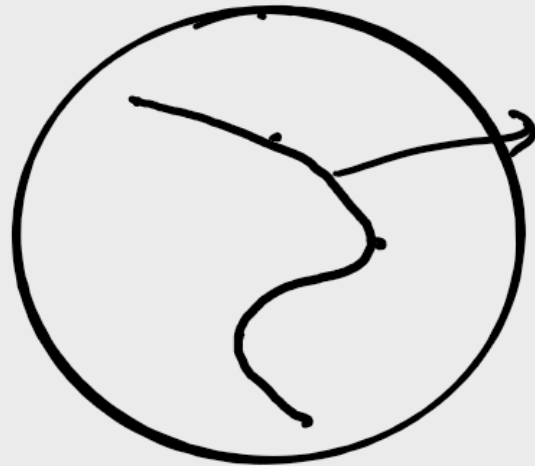
Isogonic lines (Most Important)

The line joining the points of equal declination is known as Isogonic lines

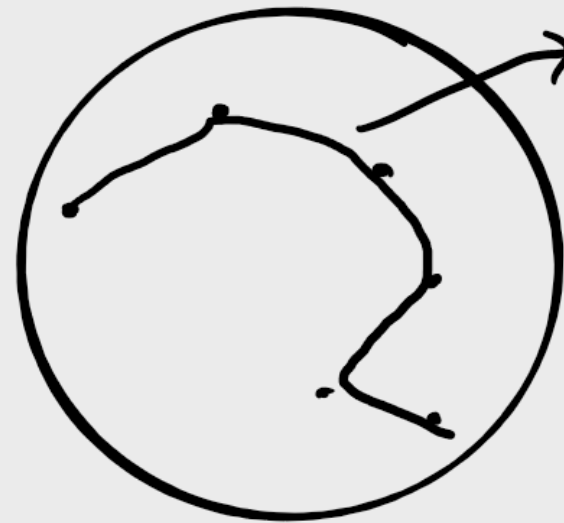
Agonic lines

The line joining the points of zero declination are called Agonic lines

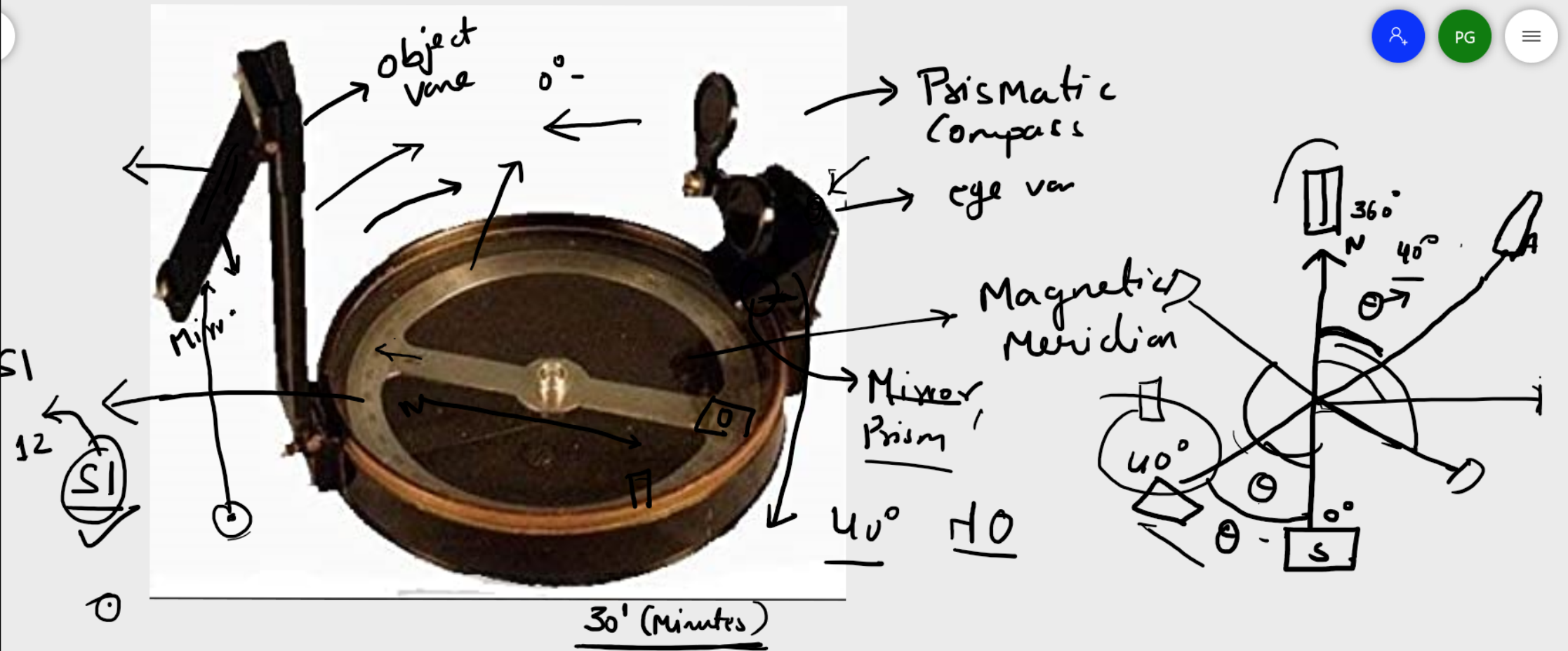




Same
Isogonic
lines



Agonic
lines



Prismatic Compass

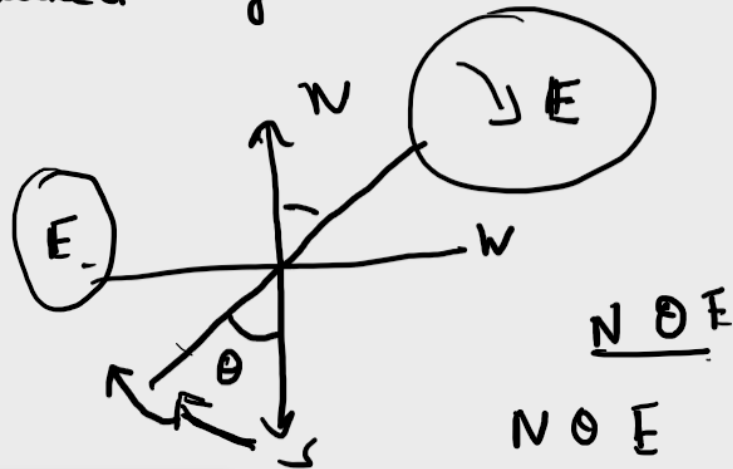
(W.C.B) 0-360°

Needle is attached with graduated ring

Surveyor Compass

Q.B

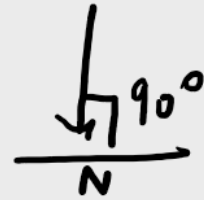
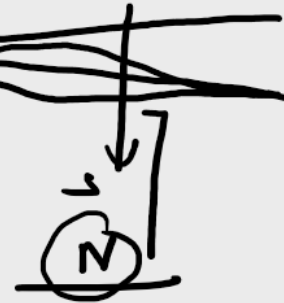
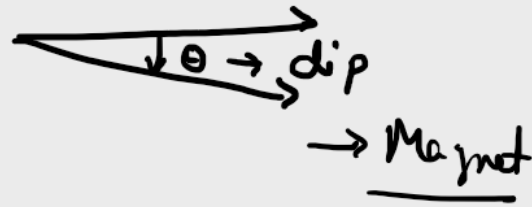
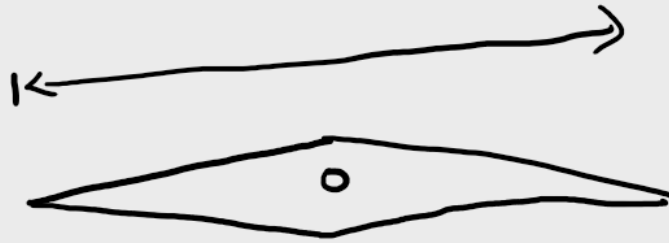
Needle is not attached with graduated ring



Magnetic dip.



PG



Poles $\rightarrow 90^\circ$

Equator $\rightarrow 0^\circ$

$\rightarrow$ Line joining the points of equal dip are called

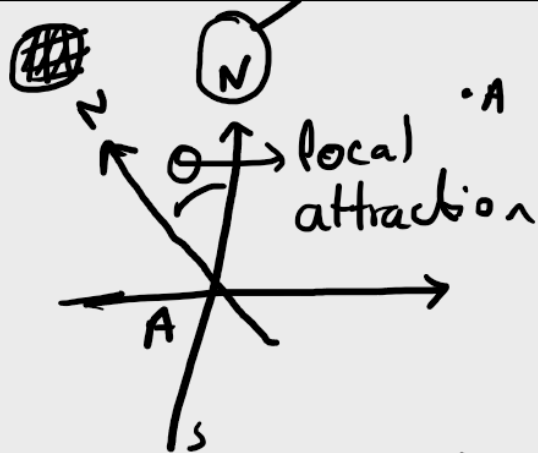
Isoclinic lines

$\rightarrow$ Line joining the points of zero dip are called Aclinic lines

Magnetic declination

- 1) Daily Variation → Variation in 24 hrs, declination in day time will be more than declination in night time
- 2) Yearly Variation / Annual Variation
→ Variation in Year (365 days), More in Summer, Less in winter
→ Declination at pole will be more than equator
- 3) Secular Variation → 20 - 30 yrs
- 4) Irregular Variation → (Earthquakes, Tsunami, floods)

Local Attraction



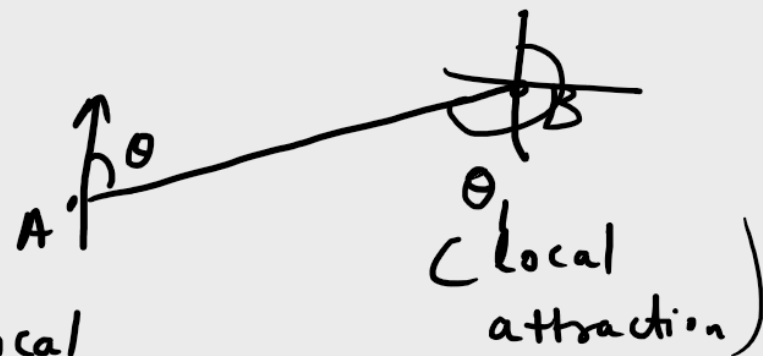
Suppose line AB

Case I $B.B - F.B \neq 180^\circ \rightarrow$

Case II $B.B - F.B = 180^\circ$



(local attraction)



Both have local attraction

(✓) a) Both station do not have local attraction

(X) b) Both station have local attraction of same amount