



(3) The value of  $1/(\text{Fine Structure Constant})$  is... (Relative Uncertainty  $1.1 \times 10^{-63}$ )\*\*

```
fmtDec a137ph_x =: precSqrt( (137x^2)+(30x*(PrimeConstant+5x)) % ((59x*PrimeConstant)-8x) )
```

```
137.035`999`084`114`069`051`510`536`990`526`283`083`923`808`685`605`940`625`219`167`076
'|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' |
0  3  6  9 12 15 18 21 24 27 30 33 36 39 42 45 48 51 54 57 60 63
```

Currently the Planck time is:  $5.39124334778149 \times 10^{-44}$  of a second. It's reciprocal,  $\omega_P = 1.85485969653271 \times 10^{43}$  counts 1-quantum increments since the beginning of time. Our Planck time value in seconds shrinks as the reciprocal of  $\omega_P$  growing  $4.27 \times 10^{25}/\text{second}^2$ .

(4) So the EXACT value of the Fine Structure Constant, just in time for CODATA 2022 is:

```
fmtDec alpha_x =: 1 % precSqrt( (137x^2)+(30x*(PrimeConstant+5x)) % ((59x*PrimeConstant)-8x) )
0.007`297`352`569`277`726`665`783`313`402`330`653`912`423`078`499`989`495`271`648`995`938
'|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' | '|' |
0  3  6  9 12 15 18 21 24 27 30 33 36 39 42 45 48 51 54 57 60 63 66
```

\* The age of the "observable universe"... (Note: relative to Earth-bound reference frame.)  
 is  $4.0278129150e60$  time quanta (relative uncertainty  $2.6e_{10}$ )  
 This translates to  $4.3429839167e17$  seconds  
 or  $13.762`085$  Billion Years (relative uncertainty  $2.1e_{10}$ )

This value is based on the best measurements of the electron mass & Bohr radius. Turns out that we can determine how long, since the beginning of time, it has taken for our [meter] to have grown to it current length -- relative to Planck length.

$$4\pi^2 * (1+\alpha) * (\text{Bohr radius}) / (\text{Planck length}) * c$$

```
'age_meter' defQty '4p2*(1+alpha)*a_0%l_P*c'; 's/m| How long it took for meter to grow.'
```

age_meter	4.34298391676e17	2.1e_10	_1 1 0 0 0	s/m	4p2*(1+alpha)*a_0%l_P*c
-----------	------------------	---------	------------	-----	-------------------------

units = [seconds/meter]

)

Note''

\*\* The relative uncertainty was calculated by comparing the value of the PrimeConstant computed to 199 bits vs. 211 bits. (The difference between the 45th & 46th prime.) Seriously precise!  $1.1 \times 10^{-63}$

(1+i.9 1); fmtDec alpha\_x ^ 1+i.9 NB. integer powers of 1/alpha

1	137.035`999`084`114`069`051`510`536`990`526`283`083`923`808`686
2	18,778.865`044`981`311`971`932`634`403`448`728`204`274`295`590`556
3	2,573,380.533`104`760`773`507`004`117`635`644`071`513`091`911`812`990
4	352,645,772.377`620`972`110`931`887`829`768`545`694`218`089`980`069`495
5	48,325,165,740.556`366`005`067`167`676`304`431`901`937`239`415`142`310`092
6	6,622,287,368,162.542`759`340`867`890`614`602`696`909`740`346`867`259`917`802
7	907,491,765,718,262.378`371`062`516`231`674`565`786`392`334`055`012`537`032`883
8	124,359,040,775,808,862.609`497`689`024`297`465`383`759`849`812`404`593`623`358`785
9	17,041,665,397,855,047,463.742`263`873`971`415`886`071`407`072`788`270`594`288`701`994
	18 15 12 9 6 3 0 -3 -6 -9 -12 -15 -18 -21 -24 -27 -30 -33 -36 -39 -42 -45

'speed\_e' defQty '(e^2)%4p1\*eps\_0\*hBar c\*alpha' NB. Might this be the speed of an electron?

Symbol	Value	relUnc	-L-T+M+C+K	SIunits	Formula
speed_e	2187691.26363638	8.8e_11	1 _1 0 0 0	m/s	(e^2)%4p1*eps_0*hBar

```
)
NB. PrimeConstant function: Limits precision to the requested number of bits
PrimeConst_f =: 3 : 0
if. 1>: #y do.
  (1r2^lastPrime)*(lastPrime $ 2x) #. (x:1+i.]lastPrime=._1 pick primes) e. ]primes=.p:i.x:>y
else. o =. 0$y
  for_i. i.#y do.
    o =. o, PrimeConst_f i{y
  end.
end.
)
```

Note''

This table shows how QUICKLY the Prime Constant converges...  
 After just 50 time quantum since the beginning of time we  
 are already at 63-digits of precision.

\_\_\_n\_\_ 1st, 2nd, 3rd,... Ordinal position of each prime number.

```
| / n'th prime ((+&1,. p:) i); <fmtDec PrimeConst_f 1+i=. i.51
```

1	2	0.250`000`0
2	3	0.375`000`0
3	5	0.406`250`000`0
4	7	0.414`062`500`0
5	11	0.414`550`781`250`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`0
6	13	0.414`672`851`562`500`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`0
7	17	0.414`680`480`957`031`250`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`0
8	19	0.414`682`388`305`664`062`500`000`000`000`000`000`000`000`000`000`000`000`000`000`000`000`0
10	23	0.414`682`507`514`953`613`281`250`000`000`000`000`000`000`000`000`000`000`000`000`000`000`0
11	29	0.414`682`509`377`598`762`512`207`031`250`000`000`000`000`000`000`000`000`000`000`000`000`0
12	31	0.414`682`509`843`260`049`819`946`289`062`500`000`000`000`000`000`000`000`000`000`000`000`0
13	37	0.414`682`509`850`536`007`434`129`714`965`820`312`500`000`000`000`000`000`000`000`000`000`0
14	41	0.414`682`509`850`990`754`785`016`179`084`777`832`031`250`000`000`000`000`000`000`000`000`000`0
15	43	0.414`682`509`851`104`441`622`737`795`114`517`211`914`062`500`000`000`000`000`000`000`000`000`0
16	47	0.414`682`509`851`111`547`050`095`396`116`375`923`156`738`281`250`000`000`000`000`000`000`000`0
17	53	0.414`682`509`851`111`658`072`397`858`632`029`965`519`905`090`332`031`250`000`000`000`000`000`0
18	59	0.414`682`509`851`111`659`807`121`334`608`837`059`931`829`571`723`937`988`281`250`000`000`000`0
19	61	0.414`682`509`851`111`660`240`802`203`603`038`833`534`810`692`071`914`672`851`562`5
20	67	0.414`682`509`851`111`660`247`578`467`181`073`236`247`357`272`077`351`808`547`973`6
21	71	0.414`682`509`851`111`660`248`001`983`654`700`386`416`891`433`327`691`629`528`999`3
22	73	0.414`682`509`851`111`660`248`107`862`773`107`173`959`274`973`640`276`584`774`255`7
23	79	0.414`682`509`851`111`660`248`109`517`134`332`280`014`624`716`457`660`724`699`962`8
24	83	0.414`682`509`851`111`660`248`109`620`531`908`849`143`084`075`383`747`233`445`319`5
25	89	0.414`682`509`851`111`660`248`109`622`147`495`983`035`716`252`866`967`335`144`465`7
26	97	0.414`682`509`851`111`660`248`109`622`153`806`870`277`484`347`310`261`163`666`728`0
27	101	0.414`682`509`851`111`660`248`109`622`154`201`300`730`094`853`212`967`027`949`369`4
28	103	0.414`682`509`851`111`660`248`109`622`154`299`908`343`247`479`688`643`494`020`029`8
29	107	0.414`682`509`851`111`660`248`109`622`154`306`071`319`069`518`843`373`273`149`446`0
30	109	0.414`682`509`851`111`660`248`109`622`154`307`612`063`025`028`632`055`717`931`800`1
31	113	0.414`682`509`851`111`660`248`109`622`154`307`708`359`522`247`993`848`370`730`697`2
32	127	0.414`682`509`851`111`660`248`109`622`154`307`708`365`399`719`747`959`808`270`540`9

33	131	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	767`	061`	732`	591`	773`	116`	781`	1
34	137	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	772`	801`	451`	101`	647`	567`	503`	6
35	139	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	236`	380`	729`	116`	180`	184`	3
36	149	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	237`	782`	027`	580`	505`	001`	3
37	151	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	132`	352`	196`	586`	205`	6
38	157	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	826`	018`	712`	474`	4
39	163	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	911`	547`	183`	197`	4
40	167	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	892`	712`	617`	6
41	173	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	976`	236`	514`	8
42	179	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	541`	575`	6
43	181	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	867`	840`	9
44	191	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	159`	5
45	193	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	239`	1
46	197	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	244`	1
47	199	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	245`	4
48	211	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	245`	4
49	223	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	245`	4
50	227	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	245`	4
51	229	0.414`	682`	509`	851`	111`	660`	248`	109`	622`	154`	307`	708`	365`	774`	238`	137`	916`	977`	868`	245`	4
^	^	.....	!.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....	.....
		0	-3	-6	-9	-12	-15	-18	-21	-24	-27	-30	-33	-36	-39	-42	-45	-48	-51	-54	-57	-60

```

\__The_n'th_prime_number__
\_n__
)

```

```

alpha_pf =: 3 : 0
precSqrt ( (137x^2) + (30x*(5x+PrimeConst_f y)) % (_8x+59x*PrimeConst_f y) )
)

|. (1+i.27 1); fmtDec (1%alpha_x)^ 1+i. 27

```

Do we see any pattern in powers of alpha? When is alpha closest to an integer?  $\alpha^{11th}$

	137.035`9	1
	18,778.865`0	2
	2,573,380.537`3	3
	352,645,773.145`5	4
	48,325,165,872.091`9	5
	6,622,287,389,792.673`2	6
	907,491,769,176,386.671`5	7
	124,359,041,317,394,597.015`8	8
	17,041,665,481,348,882,466.063`0	9
	2,335,321,656,565,199,484,215.913`4	10
	320,023,136,564,393,700,889,154.048`4	11
	43,854,690,273,007,056,887,487,775.346`6	12
	6,009,671,299,357,428,782,859,828,062.425`4	13
	823,541,311,122,888,266,267,155,305,930.542`3	14
	112,854,806,418,201,790,695,558,383,074,711.047`7	15
	15,465,171,157,381,456,507,695,468,461,458,232.739`9	16
	2,119,285,181,712,282,957,833,720,892,916,248,118.754`8	17
	290,418,362,378,198,037,918,787,688,251,525,507,987.109`3	18
	39,797,770,462,533,649,854,634,271,717,020,596,423,890.430`0	19
	5,453,727,239,622,427,527,218,356,299,580,636,335,335,338.945`7	20
	747,356,961,420,750,959,919,782,065,223,277,031,717,393,016.581`4	21
	102,414,807,936,512,580,512,926,383,517,698,809,947,059,853,399.340`4	22
	14,034,515,534,227,725,439,794,275,388,657,753,656,006,173,511,753.754`5	23
	1,923,233,858,941,379,769,759,135,643,600,711,407,092,373,536,823,725.748`0	24
	263,552,273,475,899,912,768,171,208,900,447,049,813,384,091,879,591,804.326`7	25
	36,116,149,126,320,406,396,706,179,028,483,165,120,734,909,087,614,206,692.046`2	26
	4,949,212,581,290,408,444,239,034,043,630,447,057,680,338,663,365,704,620,957.051`6	27
	57 54 51 48 45 42 39 36 33 30 27 24 21 18 15 12 9 6 3 0 -3	

<--Close to an integer

Quantum spirals of Fibbinocci interesting patterns for ratios between every 2nd term in the Fibbinocci series.

These ratios converge on  $\phi^2 = 1+\phi = 2.61803398874989$

See this link: <https://drv.ms/u/s!AtQceyfqMlsQun3ZD4r-MK7ks2Gj?e=62B3uB>