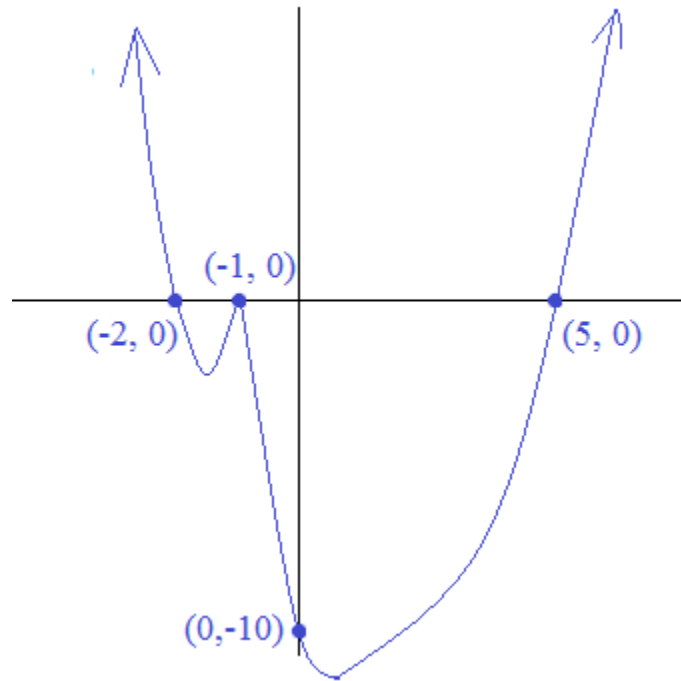


# Algebra II Semester Finals Review

## Practice Test and Solutions

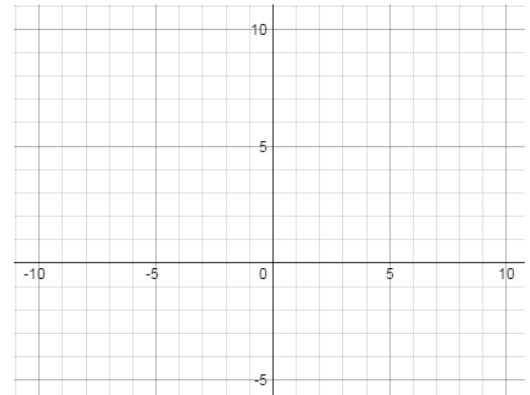


*Topics include polynomials, exponents, matrices, imaginary numbers, piecewise functions, and more.*

## I. Linear

line A:  $3x + 5y = 15$  (standard form)

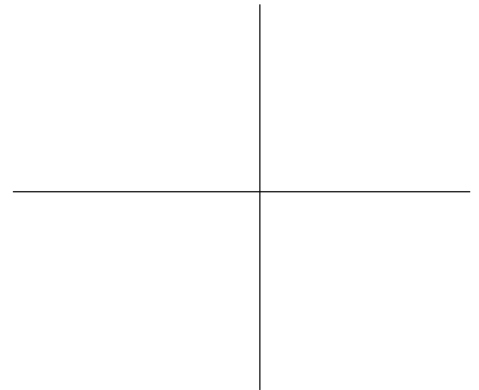
- What is the x-intercept? y-intercept?
- Graph line A
- Line B is parallel to A and goes through  $(-4, 10)$ .  
What is the equation of Line B  
in point slope form:  
in slope intercept form:



## II. Quadratic

parabola A:  $x^2 + 8x - 20$  (standard form)

- Write the equation of A in *vertex form*
- Write the equation of A in *factored (intercept) form*
- Graph the curve. Label the axis of symmetry, vertex, any x-intercepts, and y-intercept



## Miscellaneous:

- What is the vertex of  $3x^2 + 6x - 90$
- Describe the solutions of the following: real, imaginary, rational, irrational....

$$x^2 + 5x + 12$$

$$3x^2 + 12x + 9$$

$$x^2 - 14x + 49$$

$$-2(x^2 + 4) - 11$$

$$-x^2 + 4x + 15$$

$$(x + 4)(x - 2)$$

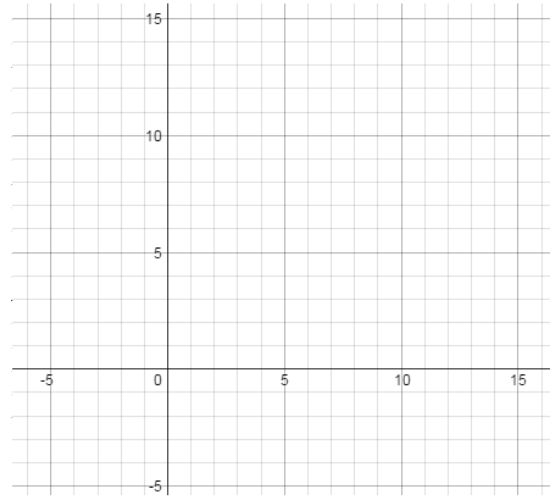
III. Absolute Values

$$y = -3|x - 5| + 12$$

a) Identify the vertex, axis of symmetry, y-intercept, and any x-intercepts

b) Graph the equation

c) What is the domain? Range?



IV: Polynomials

Describe the end behavior of the following:

$$f(x) = (x + 3)^2(x - 13)$$

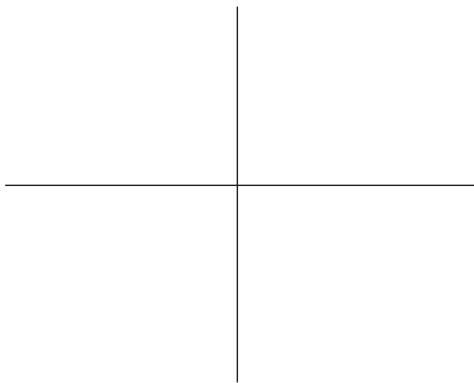
$$g(x) = 4x - 2x^4 + 5x^2$$

$$h(x) = -(x^6 + 7x^3 + 2)$$

Find a polynomial of degree 4 with integer coefficients and zeros  $3i$  and  $4$ , where  $4$  is a double zero.

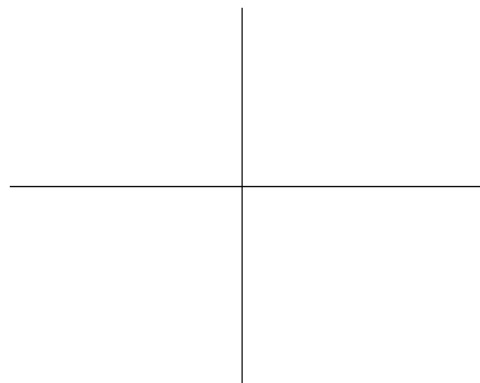
Graph  $(x - 5)(x + 1)^2(x + 2)$

Label the zeros and y-intercept



Graph  $x^3 + 6x^2 - 3x - 18$

Identify the linear factors



## V: Composite functions

$$f(x) = x^2 + 4$$

$$g(x) = 5x + 1$$

$$h(x) = 7$$

Find the following:

1)  $f(2)$

5)  $f(h(6))$

2)  $g(-3)$

6)  $h(g(5))$

3)  $h(4)$

7)  $(g \circ g)(x)$

4)  $f(w + 1)$

8)  $f(g(x))$

## VI. Exponents and Roots

Evaluate:

$$64^{\frac{1}{3}}$$

$$32^{\frac{2}{5}}$$

$$\sqrt[3]{-8}$$

$$\left(\frac{9}{25}\right)^{-\frac{1}{2}}$$

Simplify:

$$(3x^3 y^{-4})^2$$

$$\left(\frac{12x^2 y^{-3}}{3x^4 yz}\right)^{-1}$$

$$\frac{4a^2 b^5}{7bc^{-1}} \cdot (2ac^3)^{-3}$$

## VII. Factoring

Simplify:  $3x^2 - 75$

$x^4 + 3x^2 - 4$

$2x^3 + 54$

$x^3 - 7x^2 - 2x + 14$

Solve:

(Include real and complex solutions)

$2x^2 + 10x + 8 = 0$

$2x^2 - 5x = -2$

$x^2 + 5x + 19 = 0$

## VIII. Polynomials and Theorems

1) What are the *possible* rational roots of the polynomial  $2x^5 + 3x^2 + 7x - 6$

2) What is the remainder of  $g(x) = x^{100} + x^{40} + 2x^{25} \div (x - 1)$  ?

3) Using synthetic division, find  $x^4 - 3x^3 + 7x + 8 \div (x + 2)$

4) Find  $x^4 + 5x^3 - 11x^2 + 2x + 1 \div (x^2 + 2)$

## IX. Matrices

$$A = \begin{bmatrix} 4 & 2 & -1 \\ 0 & 3 & 5 \end{bmatrix} \quad B = \begin{bmatrix} 1 & 0 \\ 5 & -3 \\ 2 & 6 \end{bmatrix} \quad C = \begin{bmatrix} 2 & 3 & 1 \\ 1 & 2 & 3 \end{bmatrix}$$

1) Identify the following elements: from A:  $a_{21}$  from B:  $b_{12}$  from C:  $c_{12}$

2) What are the dimensions of each matrix? A: B: C:

3) Find the following:

$A + 2C =$

$AB =$

$BA =$

$AC =$



XI. Imaginary and Complex Numbers

1)  $(5i - 6)^2 =$

2)  $2i^{25} + 4i^{11} + 2i^{20} =$

3)  $\frac{3i + 4}{4i - 9} =$

XII. Piecewise Functions

$$h(t) = \begin{cases} \sqrt{-t} & , \text{ if } t < -3 \\ 5 & , \text{ if } 0 \leq t < 5 \\ -2t & , \text{ if } 5 \leq t \end{cases}$$

$h(-4) =$

$h(5) =$

$h(10) =$

(\*\*challenge)

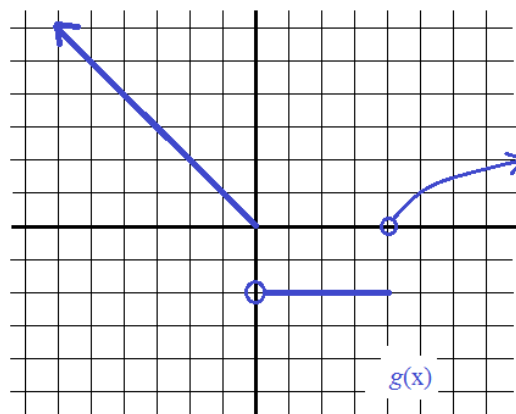
What is the domain and range of each function? ?

$h(x)$ : Domain -

Range -

$g(x)$ : Domain -

Range -



$g(-3) =$

$g(4) =$

$g(5) =$

$g(-20) =$

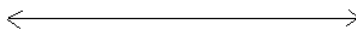
XIII. Three more questions

1) Change to vertex form  
(i.e complete the square)

$y = 2x^2 + 8x + 11$

2) Solve and graph on number line

$3|x - 5| - 7 > 8$



3) Circle the irrational numbers

$3 \quad 0 \quad 3/2 \quad \pi \quad -\sqrt{16}$

$.243 \quad \sqrt{7} \quad 3i \quad .23\overline{23}$

*Good luck on your final exam!*

Teaching an Old  
Dog new Tricks

Diophantus,  
Oka, &  
Gauss  
School of Mathematics

Grades K-9



Restrooms

Teachers

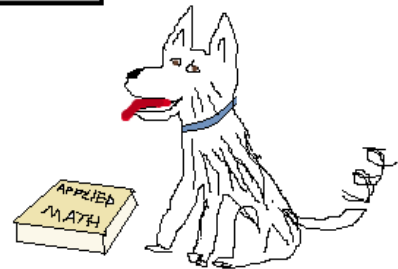


"Notice how I convert the  
answer into 'your' years."

$$12 \text{ HYR} \times \frac{7 \text{ dYR}}{1 \text{ HYR}} = 84 \text{ dYR}$$



My age is 84.



**SOLUTIONS ->**



SOLUTIONS

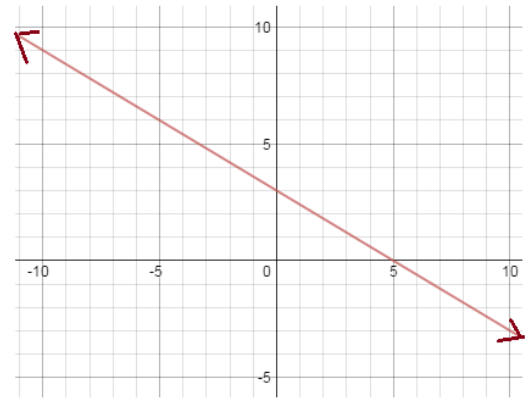
I. Linear

line A:  $3x + 5y = 15$  (standard form)

a) What is the x-intercept? y-intercept?

x-intercept: where  $y = 0$     y-intercept: where  $x = 0$   
 $3x + 5(0) = 15$                        $3(0) + 5y = 15$   
 $x = 5$                                        $y = 3$   
 $(5, 0)$                                        $(0, 3)$

b) Graph line A



c) Line B is parallel to A and goes through  $(-4, 10)$ .

What is the equation of Line B

For line, we need a point and the slope

in point slope form:  $(y - 10) = \frac{-3}{5}(x + 4)$

point:  $(-4, 10)$

slope: parallel to line A

slope of line A is

$5y = -3x + 15$

$y = (-3/5)x + 3$

in slope intercept form:  $y - 10 = \frac{-3x}{5} - \frac{12}{5}$

$y = \frac{-3}{5}x + \frac{38}{5}$

II. Quadratic

parabola A:  $x^2 + 8x - 20$  (standard form)

a) Write the equation of A in vertex form

Complete the square! separate the x's:  $x^2 + 8x - 20$

complete the square:  $(x^2 + 8x + 16) - 20 - 16$

and balance

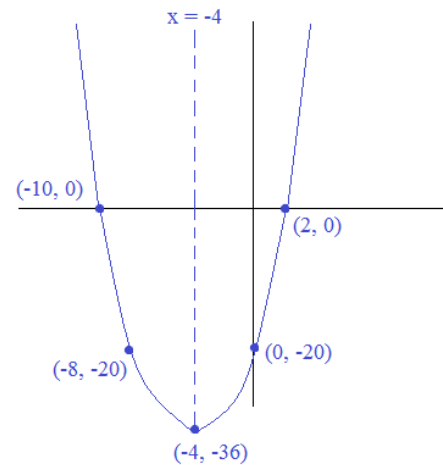
factor and collect terms:  $(x + 4)^2 - 36$

b) Write the equation of A in factored (intercept) form

$(x + 10)(x - 2)$

c) Graph the curve. Label the axis of symmetry, vertex, any x-intercepts, and y-intercept

vertex:  $(-4, -36)$   
 x-intercepts:  $(-10, 0)$   $(2, 0)$     axis of symmetry:  $x = -4$   
 y-intercept:  $(0, -20)$



Miscellaneous:

1) What is the vertex of  $3x^2 + 6x - 90$      $\frac{-b}{2a} = \frac{-6}{2(3)} = -1$  (axis of symmetry) vertex is on axis of symmetry!

$3(-1)^2 + 6(-1) - 90 = -93$      $(-1, -93)$

2) Describe the solutions of the following: real, imaginary, rational, irrational....

$x^2 + 5x + 12$     use discriminant:  $b^2 - 4ac$  ---->  $(5)^2 - 4(1)(12) = -23$  ----> since discriminant  $< 0$ , 2 IMAGINARY

$3x^2 + 12x + 9$     use discriminant:  $b^2 - 4ac$  ---->  $(12)^2 - 4(3)(9) = 36$  ----> since discriminant  $> 0$ , 2 REAL  
 since discriminant is perfect square, 2 RATIONAL

$x^2 - 14x + 49$     discriminant:  $(-14)^2 - 4(1)(49) = 0$  ----> since discriminant = 0, 1 REAL solution

$-2(x^2 + 4) - 11$     vertex is  $(-4, -11)$ ; curve faces DOWN ----> no x-intercepts! 2 IMAGINARY

$-x^2 + 4x + 15$     discriminant:  $(4)^2 - 4(-1)(15) = 76$  ----> since discriminant  $> 0$ , 2 REAL  
 since 76 is not a perfect square, 2 IRRATIONAL

$(x + 4)(x - 2)$     there are 2 zeros! ----> 2 REAL solutions

III. Absolute Values

SOLUTIONS

Algebra II Review Questions/Topics

$y = -3|x - 5| + 12$

a) Identify the vertex, axis of symmetry, y-intercept, and any x-intercepts

$y = a|x - h| + k$

vertex (h, k): (5, 12)  
axis of symmetry:  $x = 5$

y-intercept: when  $x = 0$ ,  
 $y = -3|0 - 5| + 12 = -3$

(0, -3)

x-intercept: when  $y = 0$   
 $0 = -3|x - 5| + 12$   
 $-12 = -3|x - 5|$   
 $4 = |x - 5|$   
 $4 = x - 5 \quad -4 = x - 5$

(9, 0)

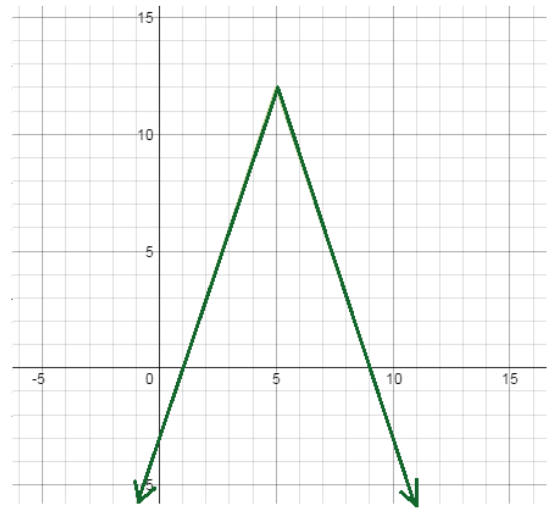
(1, 0)

b) Graph the equation

c) What is the domain? Range?

domain: all real  $(-\infty, \infty)$

range:  $y \leq 12 \quad (-\infty, 12]$



IV: Polynomials

Describe the end behavior of the following:

$f(x) = (x + 3)^2(x - 13)$

degree: 3  
lead coefficient:  $1 > 0$   
"up right, down left"

as  $x \rightarrow \infty, f(x) \rightarrow \infty$

as  $x \rightarrow -\infty, f(x) \rightarrow -\infty$

$g(x) = 4x^3 - 2x^4 + 5x^2$

degree: 4  
lead coefficient:  $-2$   
"down left, down right"

as  $x \rightarrow \infty, g(x) \rightarrow -\infty$

as  $x \rightarrow -\infty, g(x) \rightarrow -\infty$

$h(x) = -(x^6 + 7x^3 + 2)$

degree: 6  
lead coefficient:  $-1$   
"down left, down right"

as  $x \rightarrow \infty, g(x) \rightarrow -\infty$

as  $x \rightarrow -\infty, g(x) \rightarrow -\infty$

Find a polynomial of degree 4 with integer coefficients and zeros  $3i$  and  $4$ , where  $4$  is a double zero.

since  $3i$  is a zero,  $-3i$  must be a zero ("conjugate theorem")

$(x - 3i)(x - -3i) \rightarrow (x - 3i)(x + 3i) = (x^2 + 9)$

since  $4$  is a double zero  $\rightarrow (x - 4)(x - 4)$

$y = (x^2 + 9)(x - 4)^2$

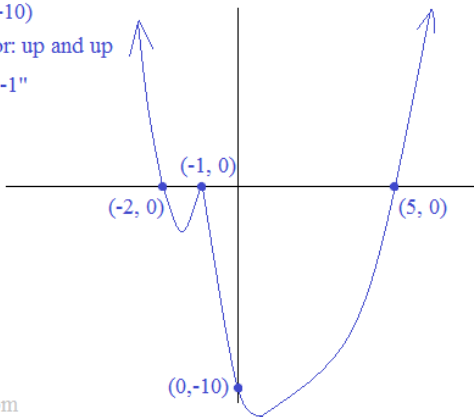
another solution:  $y = 3(x^2 + 9)(x - 4)^2$

Graph  $(x - 5)(x + 1)^2(x + 2)$

Label the zeros and y-intercept

y-intercept:  
 $(0 - 5)(0 + 1)^2(0 + 2) = -10$   
(0, -10)

end behavior: up and up  
"bounce at -1"



Graph  $x^3 + 6x^2 - 3x - 18$

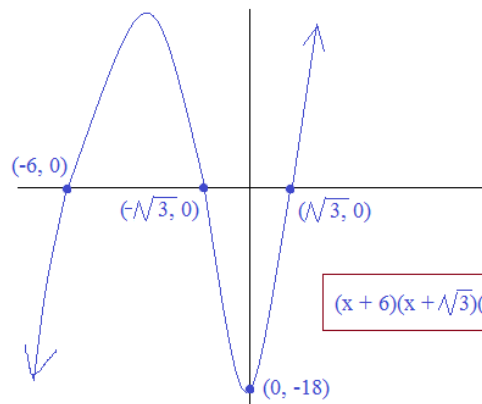
Identify the linear factors

to find intercepts: factor by grouping

$x^3 + 6x^2 - 3x - 18$

$x^2(x + 6) - 3(x + 6)$

$(x^2 - 3)(x + 6)$



$(x + 6)(x + \sqrt{3})(x - \sqrt{3})$

V: Composite functions

SOLUTIONS

Algebra II Review Questions/Topics

$$f(x) = x^2 + 4$$

$$g(x) = 5x + 1$$

$$h(x) = 7$$

Find the following:

1)  $f(2)$   $(2)^2 + 4 = 8$

5)  $f(h(6))$   $h(6) = 7$  then,  $f(7) = 53$

2)  $g(-3)$   $5(-3) + 1 = -14$

6)  $h(g(5))$   $g(5) = 26$  then,  $h(26) = 7$

3)  $h(4)$  every input of  $h = 7$

7)  $(g \circ g)(x)$   $g(g(x)) \rightarrow g(x) = 5x + 1$   
then,  $g(5x + 1) = 5(5x + 1) + 1$

4)  $f(w + 1)$   $(w + 1)^2 + 4$   
 $(w + 1)(w + 1) + 4$   
 $w^2 + 2w + 5$

8)  $f(g(x))$   $f(5x + 1) = 25x + 6$   
 $(5x + 1)^2 + 4 = (5x + 1)(5x + 1) + 4$   
 $25x^2 + 10x + 5$

VI. Exponents and Roots

Evaluate:

$$\frac{1}{64^{\frac{1}{3}}}$$

$$\sqrt[3]{4 \cdot 4 \cdot 4}$$

$$4$$

$$32^{\frac{2}{5}}$$

$$\left(32^{\frac{1}{5}}\right)^2$$

$$(2)^2 = 4$$

$$\sqrt[3]{-8}$$

$$-2$$

because  $(-2)(-2)(-2) = 8$

$$\left(\frac{9}{25}\right)^{-\frac{1}{2}}$$

$$\left(\frac{25}{9}\right)^{\frac{1}{2}} = \frac{\sqrt{25}}{\sqrt{9}} = \frac{5}{3}$$

Simplify:

$$\frac{(3x^3 y^{-4})^2}{9x^6 y^{-8}}$$

$$\frac{9x^6}{y^8}$$

$$\left(\frac{12x^2 y^{-3}}{3x^4 yz}\right)^{-1}$$

"flip the fraction"

$$\frac{3x^4 yz}{12x^2 y^{-3}}$$

combine "like" terms

$$\frac{1x^2 y^4 z}{4}$$

$$\frac{4a^2 b^5}{7bc^{-1}} \cdot (2ac^3)^{-3}$$

$$\frac{4a^2 b^5 c^1}{7b} \cdot \frac{1}{(2ac^3)^3}$$

$$\frac{4a^2 b^4 c^1}{7} \cdot \frac{1}{8a^3 c^9} = \frac{b^4}{14ac^8}$$

VII. Factoring

Simplify:  $3x^2 - 75$

$$x^4 + 3x^2 - 4$$

$$2x^3 + 54$$

$$x^3 - 7x^2 - 2x + 14$$

GCF:  $3(x^2 - 25)$

multiplies to -4  
adds to +3

GCF:  $2(x^3 + 27)$

factor by grouping:  $x^3 - 7x^2 - 2x + 14$

difference of squares:  $3(x + 5)(x - 5)$

$$(x + 4)(x - 1)$$

sum of cubes:  $2(x + 3)(x^2 - 3x + 9)$

$$x^2(x - 7) - 2(x - 7)$$

$$(x^2 - 2)(x - 7)$$

Solve:

(Include real and complex solutions)

$$2x^2 + 10x + 8 = 0$$

$$2x^2 - 5x = -2$$

$$x^2 + 5x + 19 = 0$$

Divide by 2 (GCF)  $x^2 + 5x + 4 = 0$

$$2x^2 - 5x + 2 = 0$$

the discriminant:  $b^2 - 4ac = (5)^2 - 4(1)(19)$

Factor  $(x + 1)(x + 4) = 0$

$$(2x - 1)(x - 2) = 0$$

$$= -51 < 0 \text{ NO REAL}$$

Solve (zero product property)  $x = -1, -4$

$$x = 1/2, 2$$

Use Quadratic Formula

$$x = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} = \frac{-5 \pm \sqrt{-51}}{2}$$

VIII. Polynomials and Theorems

SOLUTIONS

1) What are the possible rational roots of the polynomial  $2x^5 + 3x^2 + 7x - 6$

factors of constant ('p'): 1, 2, 3, 6

1, 2, 3, 6, 1/2, 3/2

factors of lead coefficient ('q'): 1, 2

-1, -2, -3, -6, -1/2, -3/2

2) What is the remainder of  $g(x) = x^{100} + x^{40} + 2x^{25} \div (x - 1)$  ?

Taking advantage of the remainder theorem, we can find  $g(1)$  to get the remainder!

$$g(1) = 1^{100} + 1^{40} + 2(1)^{25} = 4$$

3) Using synthetic division, find  $x^4 - 3x^3 + 7x + 8 \div (x + 2)$

$$x^3 - 5x^2 + 10x - 13 + \frac{34}{(x+2)}$$

$$\begin{array}{r|rrrrr} -2 & 1 & -3 & 0 & 7 & 8 \\ & & -2 & 10 & -20 & 26 \\ \hline & 1 & -5 & 10 & -13 & 34 \end{array}$$

$1x^3 - 5x^2 + 10x - 13$  Remainder 34

4) Find  $x^4 + 5x^3 - 11x^2 + 2x + 1 \div (x^2 + 2)$

Use Polynomial Long Division:

$$\begin{array}{r} x^2 + 5x - 13 \\ x^2 + 2 \overline{) x^4 + 5x^3 - 11x^2 + 2x + 1} \\ \underline{-(x^4 + \phantom{5x^3} + 2x^2)} \phantom{+ 1} \\ 5x^3 - 13x^2 \phantom{+ 2x + 1} \\ \underline{-(5x^3 + 10x)} \phantom{+ 1} \\ -13x^2 - 8x \phantom{+ 1} \\ \underline{-(-13x^2 - 26)} \phantom{+ 1} \\ -8x + 27 \end{array}$$

$$x^2 + 5x - 13 + \frac{-8x + 27}{x^2 + 2}$$

IX. Matrices

$$A = \begin{bmatrix} 4 & 2 & -1 \\ 0 & 3 & 5 \end{bmatrix} \quad B = \begin{bmatrix} 1 & 0 \\ 5 & -3 \\ 2 & 6 \end{bmatrix} \quad C = \begin{bmatrix} 2 & 3 & 1 \\ 1 & 2 & 3 \end{bmatrix}$$

1) Identify the following elements: from A:  $a_{21}$  from B:  $b_{12}$  from C:  $c_{12}$   
 row2, column1: 0 row1, column2: 0 row1, column2: 3

2) What are the dimensions of each matrix? A: 2 x 3 B: 3 x 2 C: 2 x 3  
 row x column

3) Find the following:

$$A + 2C = \begin{bmatrix} 4 & 2 & -1 \\ 0 & 3 & 5 \end{bmatrix} + \begin{bmatrix} 4 & 6 & 2 \\ 2 & 4 & 6 \end{bmatrix} = \begin{bmatrix} 8 & 8 & 1 \\ 2 & 7 & 11 \end{bmatrix}$$

$$AB = \begin{bmatrix} 4 & 2 & -1 \\ 0 & 3 & 5 \end{bmatrix} \begin{bmatrix} 1 & 0 \\ 5 & -3 \\ 2 & 6 \end{bmatrix} = \begin{bmatrix} 4+10-2 & 0-6-6 \\ 0+15+10 & 0-9+30 \end{bmatrix} = \begin{bmatrix} 12 & -12 \\ 25 & 21 \end{bmatrix}$$

$$BA = \begin{bmatrix} 1 & 0 \\ 5 & -3 \\ 2 & 6 \end{bmatrix} \begin{bmatrix} 4 & 2 & -1 \\ 0 & 3 & 5 \end{bmatrix} \quad AC = 2 \times 3 \cdot 2 \times 3$$

insides must be same..

Therefore, UNDEFINED

$$\begin{bmatrix} 4+0 & 2+0 & -1+0 \\ 20+0 & 10-9 & -5-15 \\ 8+0 & 4+18 & -2+30 \end{bmatrix} \rightarrow \begin{bmatrix} 4 & 2 & -1 \\ 20 & 1 & -20 \\ 8 & 22 & 28 \end{bmatrix}$$

X. Word Problems

SOLUTIONS

- 1) A company invested \$100,000 in 3 funds. Last year, the growth fund earned 12%, the income fund earned 8%, and the money market fund yielded 5%. So, after one year, the company had \$109,000. If the company invested twice as much in the income fund as the money market fund, how much did it invest in each fund?

Let G = Growth Fund  
I = Income Fund  
M = Money Market Fund

3 equations with 3 unknowns

$$\begin{cases} G + I + M = 100,000 \\ (1.12)G + (1.08)I + (1.05)M = 109,000 \\ 2M = I \end{cases}$$

or

$$\begin{cases} G + 3M = 100,000 \\ .12G + .08I + .05M = 9,000 \end{cases}$$

or  $I - 2M = 0$

Solve using substitution:  $I = 2M$ , so

$$\begin{aligned} G + (2M) + M &= 100,000 \\ (.12)G + (.08)(2M) + (.05)M &= 9,000 \\ G + 3M &= 100,000 & -7G - 21M &= -700,000 \\ 12G + 21M &= 900,000 & \underline{12G + 21M} &= \underline{900,000} \\ & & 5G &= 200,000 \end{aligned}$$

One method: solve using augmented matrix

$$\text{ref} \begin{bmatrix} 1 & 1 & 1 & 100000 \\ .12 & .08 & .05 & 9000 \\ 0 & 1 & -2 & 0 \end{bmatrix} = \begin{bmatrix} 1 & 0 & 0 & 40000 \\ 0 & 1 & 0 & 40000 \\ 0 & 0 & 1 & 20000 \end{bmatrix} =$$

using reduced row echelon form method:

Growth: 40,000  
Income: 40,000  
Money Market: 20,000

$G = 40,000$

$G + 3M = 100,000$   
so,  $M = 20,000$

$G + I + M = 100,000$   
so,  $I = 40,000$

- 2) A math test consists of number problems and graphing problems. Number problems are worth 6 points each, and graphing problems are worth 10 points each. You can accurately solve a number problem in 2 minutes and a graphing problem in 4 minutes. Assuming you have 40 minutes and may choose no more than 12 problems, to answer, how many of each type should you solve to get the highest score? What is that highest score?

1) Identify and label variables:  $N = \#$  of number problems       $G = \#$  of graphing problems

2) Determine the objective function: "how many to get highest score?"

$$6N + 10G = \text{Score}$$

3) List and graph the constraints: (time)  $2N + 4G \leq 40$

(problems)  $N + G \leq 12$

4) Test the corner points of the feasibility region

$(0, 0) : 6(0) + 10(0) = 0$

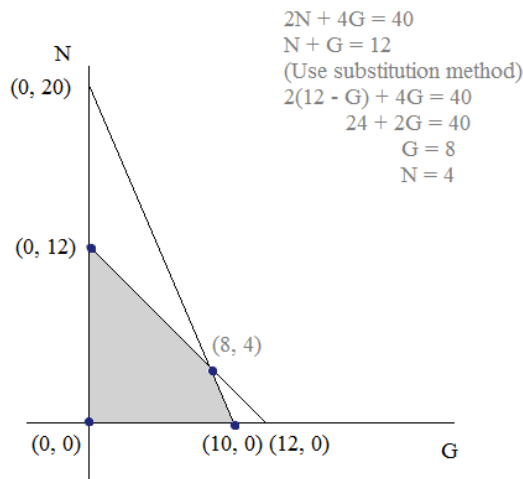
$(0, 12) : 6(12) + 10(0) = 72$

$(8, 4) : 6(4) + 10(8) = 104$

$(10, 0) : 6(0) + 10(10) = 100$

Under the test constraints, answering 8 graphing problems and 4 number problems would get the best score!

The maximum score would be 104..



XI. Imaginary and Complex Numbers

SOLUTIONS

1)  $(5i - 6)^2 =$

$$(5i - 6)(5i - 6) =$$

$$25i^2 - 30i - 30i + 36 =$$

$$-25 - 60i + 36 =$$

11 - 60i

2)  $2i^{25} + 4i^{11} + 2i^{20} =$

$$2i^{24}i + 4i^8i^3 + 2i^{20}$$

$$2(1)i + 4(1)(-i) + 2(1)$$

$$2i - 4i + 2$$

-2i + 2

3)  $\frac{3i + 4}{4i - 9} =$

$$\frac{3i + 4}{4i - 9} \cdot \frac{4i + 9}{4i + 9} =$$

$$\frac{12i^2 + 16i + 27i + 36}{16i^2 - 81} =$$

$$\frac{24 + 43i}{-97} = \frac{-24}{97} + \frac{-43}{97}i$$

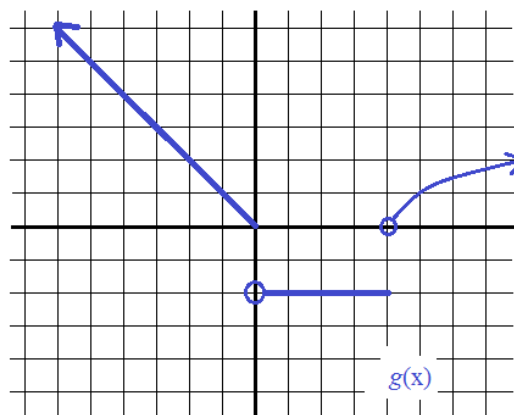
XII. Piecewise Functions

$$h(t) = \begin{cases} \sqrt{-t} & , \text{ if } t < -3 \\ 5 & , \text{ if } 0 \leq t < 5 \\ -2t & , \text{ if } 5 \leq t \end{cases}$$

$$h(-4) = \sqrt{-(-4)} = \boxed{2}$$

$$h(5) = -2(5) = \boxed{-10}$$

$$h(10) = -2(10) = \boxed{-20}$$



(\*\*challenge)

What is the domain and range of each function?

$h(x)$ : Domain -  $(-\infty, -3) \cup (-3, \infty)$

Range -  $(-\infty, -10] \cup (\sqrt{3}, \infty)$

$g(x)$ : Domain -  $(-\infty, \infty)$

Range -  $g(x) = -2$  or  $g(x) \geq 0$

$g(-3) = \boxed{3}$

$g(4) = \boxed{-2}$

$g(5) = \boxed{1}$

$g(-20) = \boxed{20}$

$g(x) = -x$  if  $x \leq 0$

XIII. Three more questions

1) Change to vertex form (i.e complete the square)

separate the x's from rest  $y = 2x^2 + 8x + 11$

factor out 2  $y = 2(x^2 + 4x + \quad) + 11$

complete the square  $y = 2(x^2 + 4x + 4) + 11 - 8$

$y = 2(x + 2)^2 + 3$

2) Solve and graph on number line

$$3|x - 5| - 7 > 8$$



$$3|x - 5| > 15$$

$$|x - 5| > 5$$

$$x - 5 > 5 \quad x - 5 < -5$$

$x > 10 \quad \text{or} \quad x < 0$

3) Circle the irrational numbers

3   0   3/2    $\sqrt{16}$     $-\sqrt{16}$

.243    $\sqrt{7}$    3i   .2323

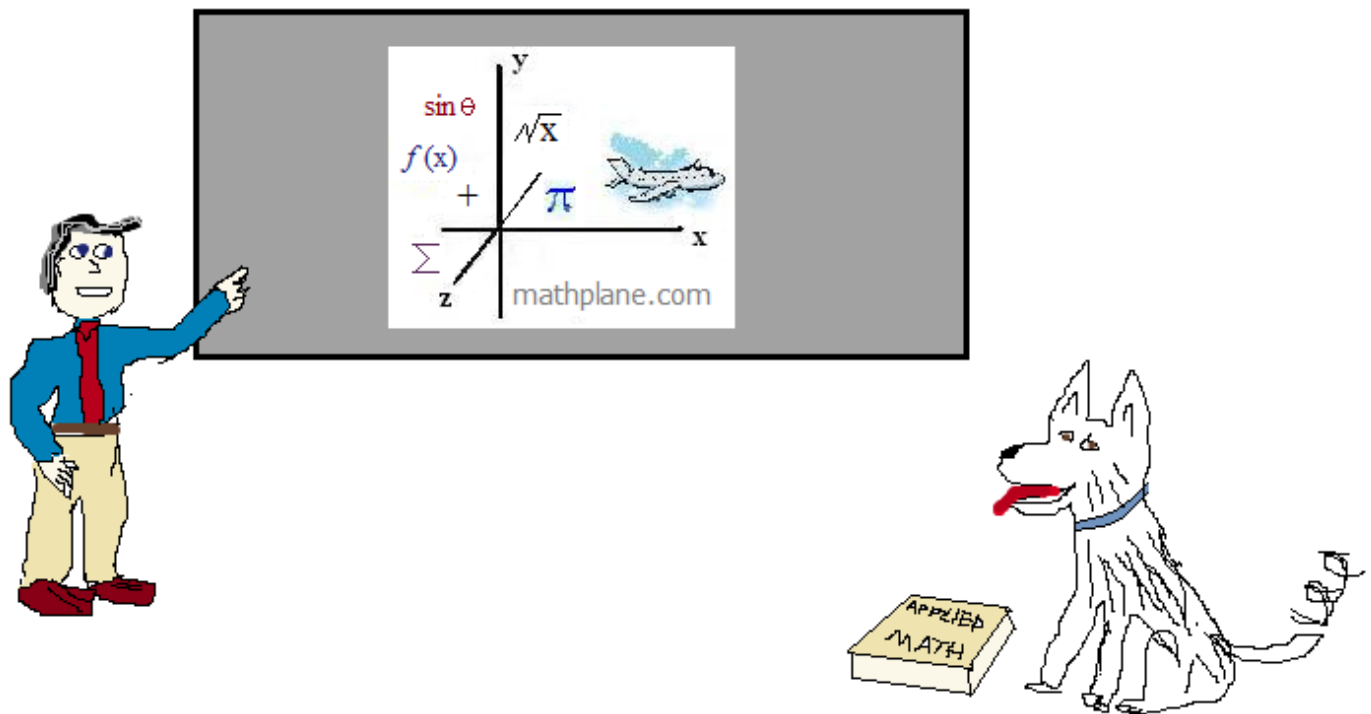
imaginary

*Good luck on your final exam!*

Thanks for visiting. (Hope it helped!)

If you have questions, suggestions, or requests, let us know.

Good luck!



Also, at Facebook, Google+, Pinterest, and TeachersPayTeachers

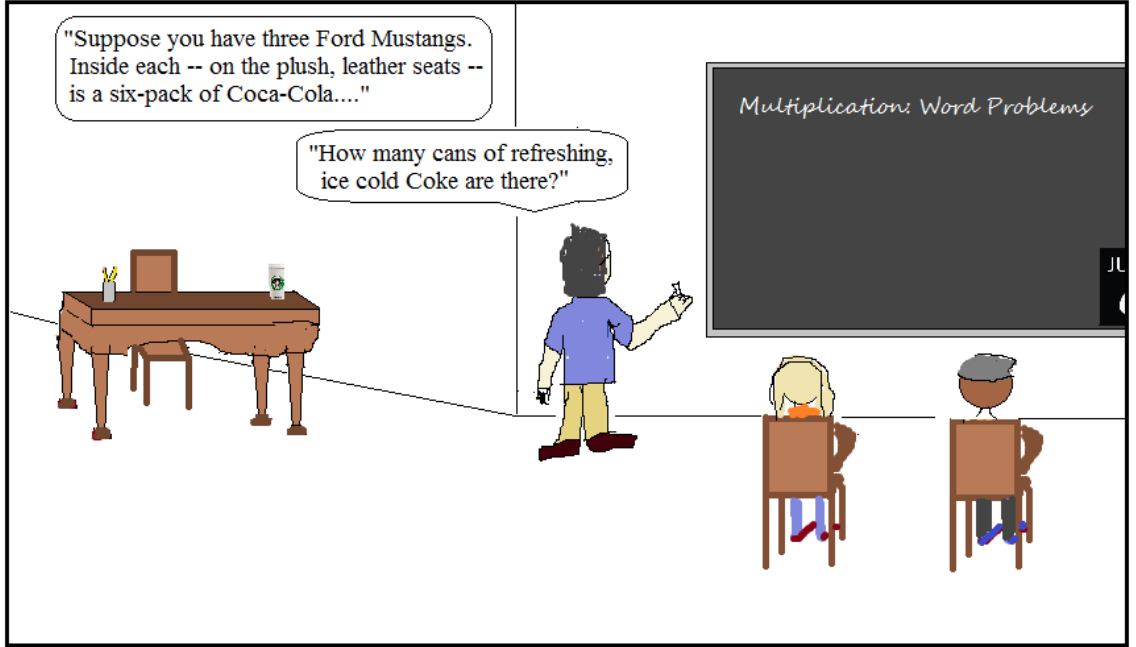
Thanks for your support. Any proceeds go to the mathplane site (and treats for Oscar the dog!)

Product Placement

"Suppose you have three Ford Mustangs. Inside each -- on the plush, leather seats -- is a six-pack of Coca-Cola...."

"How many cans of refreshing, ice cold Coke are there?"

Multiplication: Word Problems



LanceAF #41 (7-14-12)  
www.mathplane.com

"... and, the product of 6 and 3 is 18 cans of Coke."

Multiplication: Word Problems

$$\frac{6 \text{ cans}}{\text{mustang}} \times 3 \text{ mustangs} = 18 \text{ cans}$$

JUST DO IT.

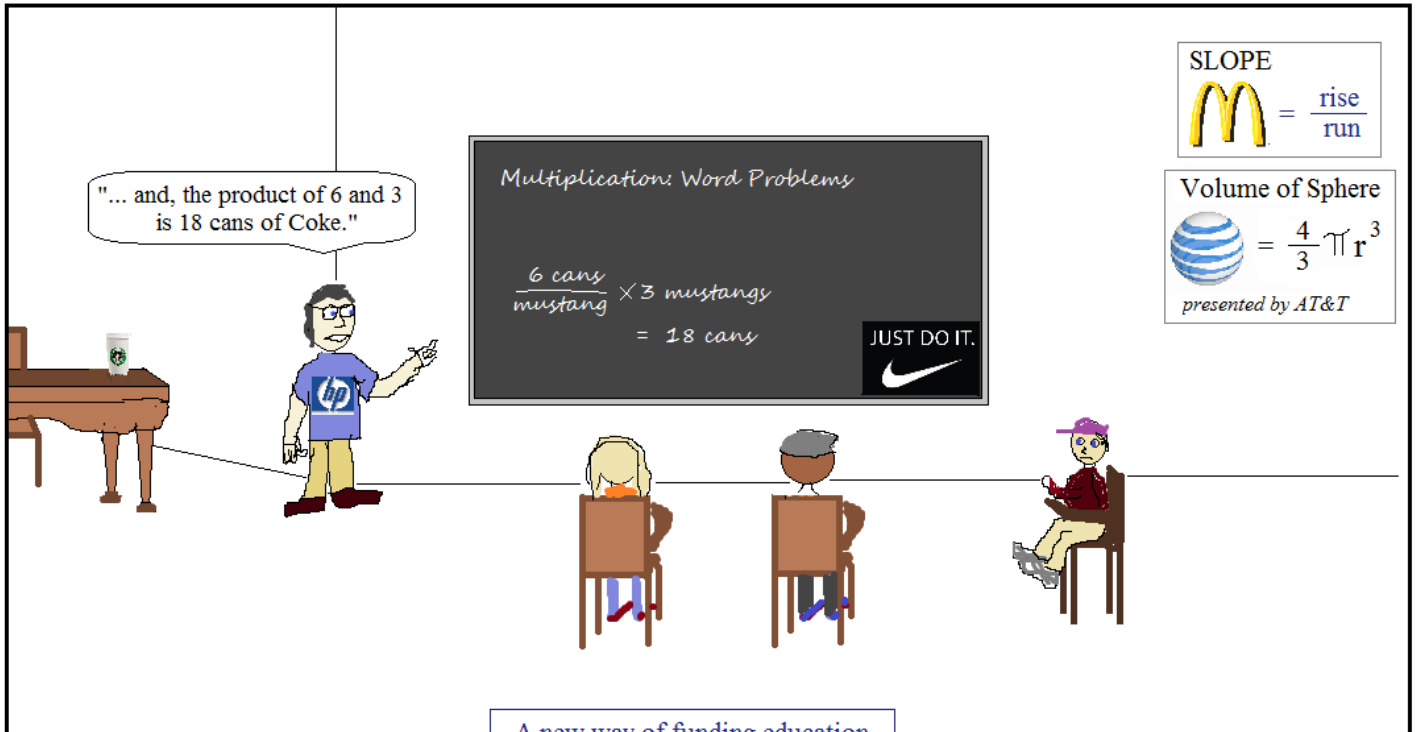
SLOPE

$$\text{McDonald's} = \frac{\text{rise}}{\text{run}}$$

Volume of Sphere

$$\text{AT\&T} = \frac{4}{3} \pi r^3$$

presented by AT&T



A new way of funding education