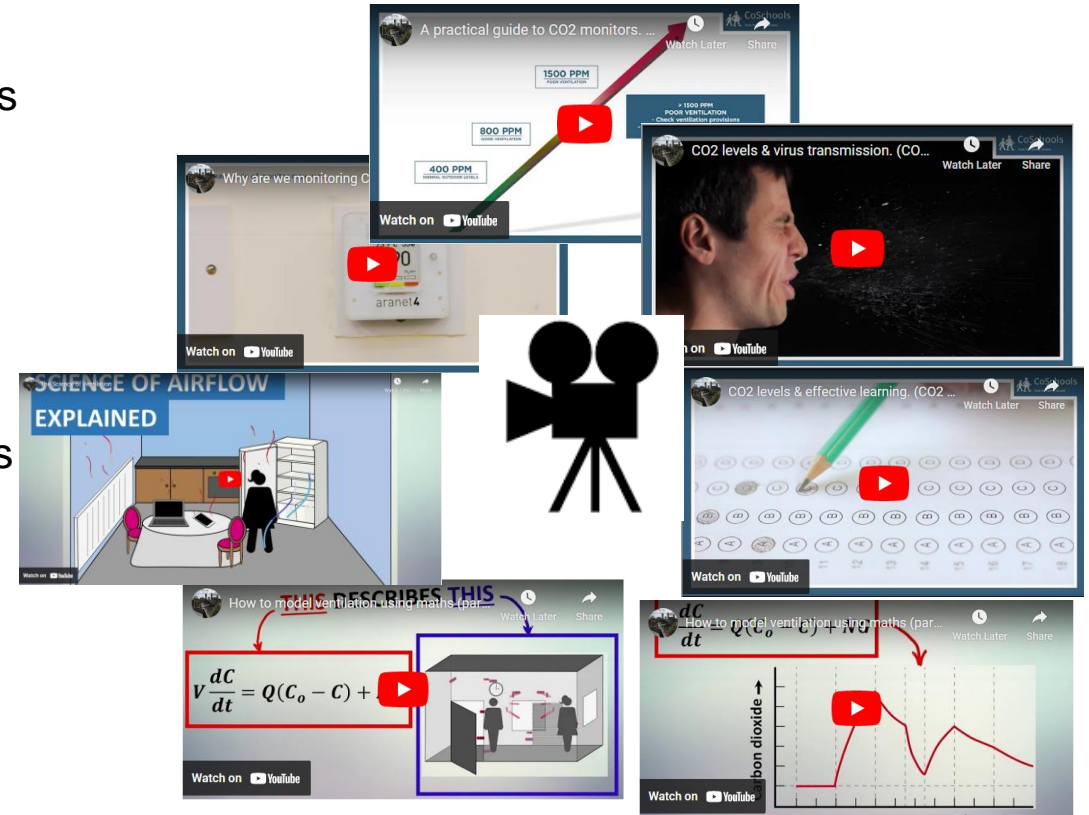


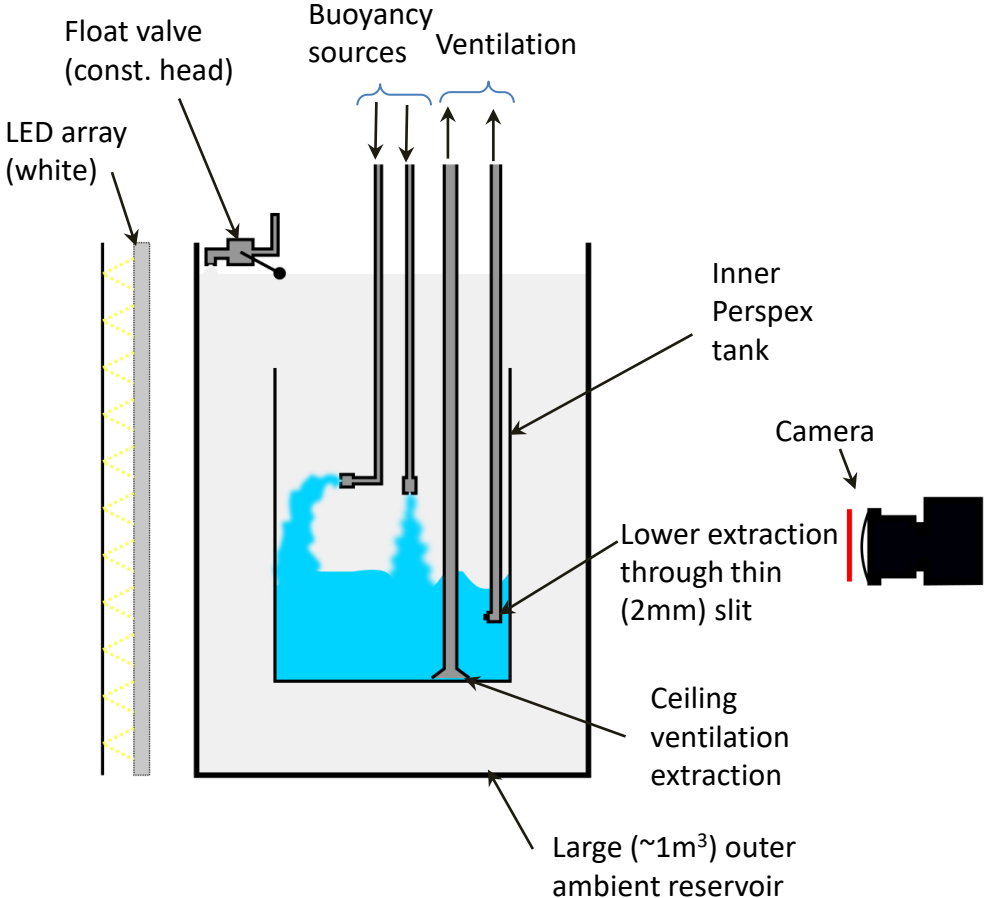
## Output summary

- Journal:
  1. (*in preparation*) “Displacement ventilation: effects of the position of buoyancy sources and ventilation openings”
  2. (*in preparation*) “Inferring Ventilation from CO<sub>2</sub> Measurements in Schools”
- Conference:
  1. The effect of outlet height in displacement ventilated rooms. *The 9<sup>th</sup> International Symposium on Stratified Flows (ISSF)*, 31<sup>st</sup> Aug 2022, University of Cambridge, UK.
  2. Targeted extraction of exhaled breath to reduce potential virus exposure. *UK Fluids Conference*, 6-8<sup>th</sup> September 2022, University of Sheffield, UK.

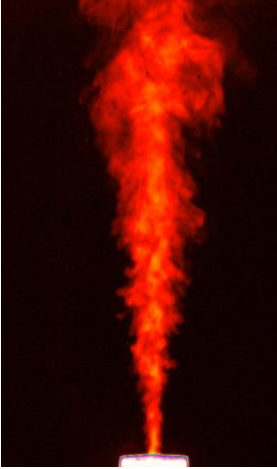


## Displacement ventilation: effects of the position of buoyancy sources and ventilation openings

### Experiment Setup



### Buoyancy sources



Turbulent plume



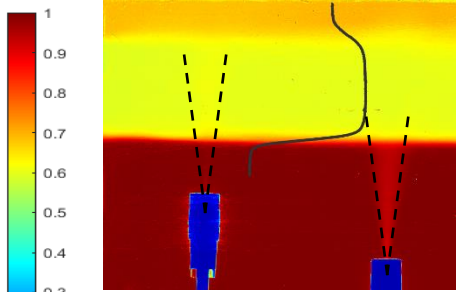
Steady buoyant jet



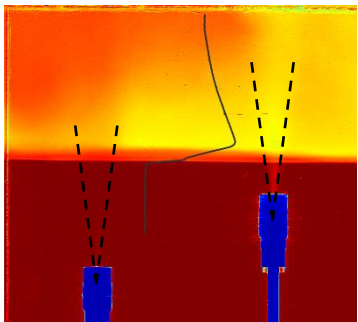
Intermittent buoyant jet

# Work Package 1.2

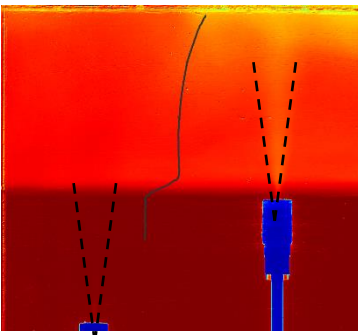
## Displacement ventilation: effects of the position of buoyancy sources and ventilation openings (cont.)



Weaker plume on r.h.s contains dye. Plume strength ratio 3.5:1.  
**Mode 1:** intermediate layer has greatest dye concentration – classic “lock up layer”



**Transitional regime:** Layers are mostly mixed with very blurred boundaries. Some horizontal features.  
**Mode 2:**



Concentration gradient reverses as dye increases in concentration at the ceiling

— Instantaneous distribution

Steady distributions:

—  $Q_r = 1$

—  $Q_r = 0.75$

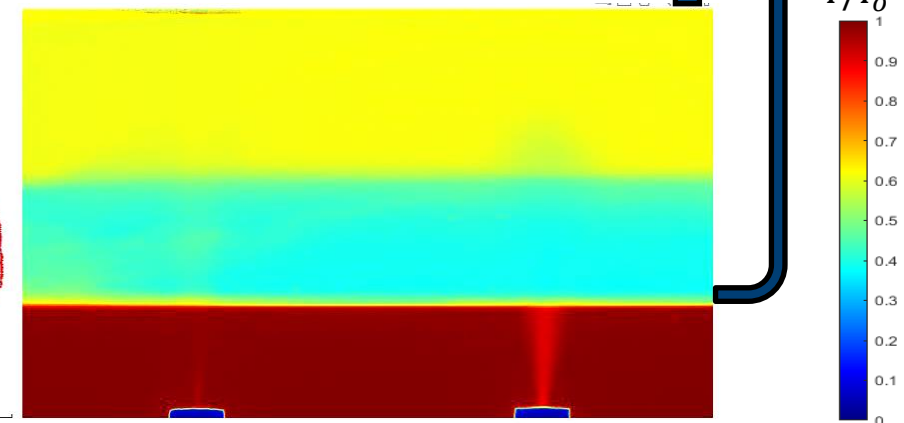
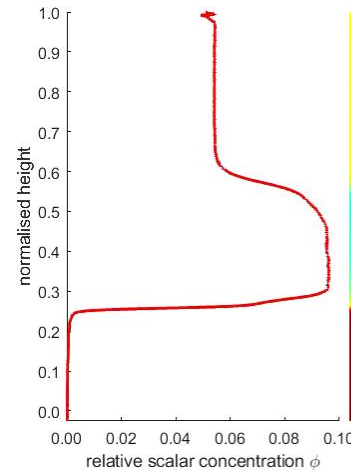
—  $Q_r = 0.5$

—  $Q_r = 0.25$

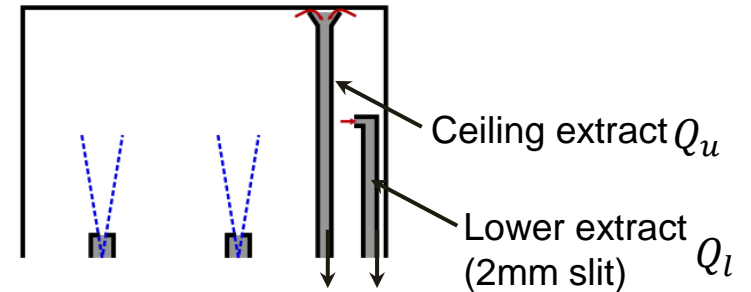
—  $Q_r = 0$

Lower ventilation fraction:  $Q_r = \frac{Q_l}{Q_u + Q_l}$

$$Q_{vent} = Q_u + Q_l = 38 \text{ cm}^3 \text{ s}^{-1}$$



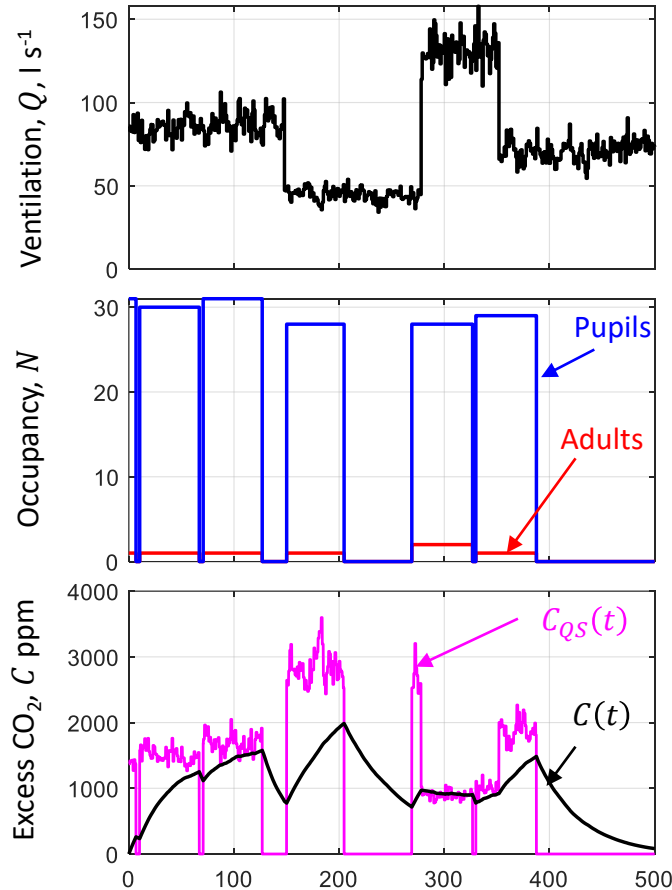
View from front



# Work Package 1.2

## Inferring Ventilation from CO2 Measurements in Schools

One example of the well-mixed simulation for one random school day



Random inputs

$$V \frac{dC(t)}{dt} = -Q(t)C(t) + S(t)$$

output

$$V = 167 \text{ m}^3$$

$$N_{p,base} = 31$$

$$Q_{base} = 90 \text{ l s}^{-1}$$

$$\kappa = \frac{\int_0^T C(t) dt}{\int_0^T C_{QS}(t) dt}$$

$$\kappa = 0.9950$$

$\lambda$  is closely related to  $\kappa$  (details not given here)

$$\bar{Q}_{pp} = \lambda \frac{\int_0^T \bar{G}_p(t) dt}{\int_0^T C(t) dt}$$

Defined parameters  $\kappa$  and  $\lambda$

$\lambda$  is also reliably predictable and can be used to quantify average per person ventilation rate  $\bar{Q}_{pp}$  from measured CO<sub>2</sub> data  $C(t)$

Results of 10<sup>5</sup> random school days (random classroom size, timetable, occupancy profile, generation rate profile, ventilation profile)

